

Diffraction for all: *from Tevatron to LHC and Beyond*

Konstantin Goulianos

The Rockefeller University



Recent references

Diffraction at the Tevatron: CDF results

http://pos.sissa.it//archive/conferences/035/016/DIFF2006_016.pdf

Renormalized diffractive parton densities

http://pos.sissa.it//archive/conferences/035/044/DIFF2006_044.pdf

Contents

- Introduction
- Elastic and Total Cross Sections
- Diffraction
- Exclusive Production

\bar{p} - p Interactions

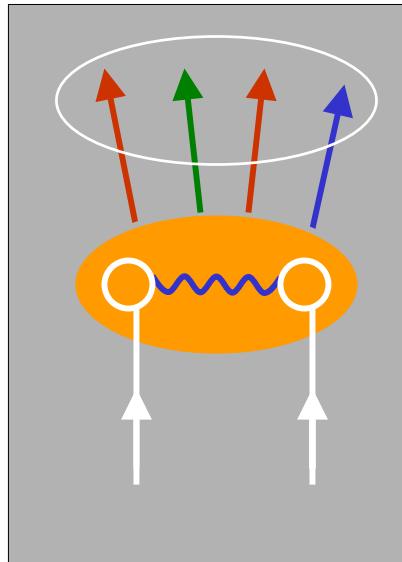
Non-diffractive:

Color-exchange

Incident hadrons
acquire color
and break apart



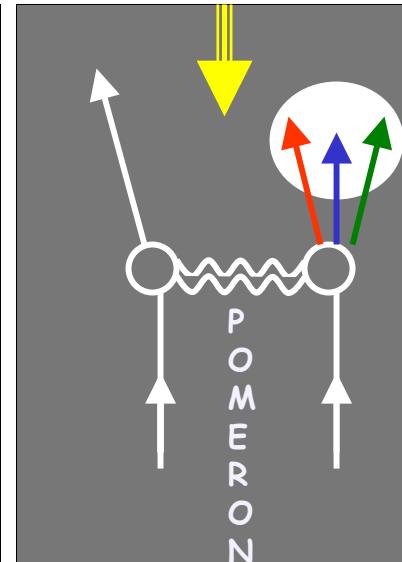
CONFINEMENT



Diffractive:

Colorless exchange with
vacuum quantum numbers

rapidity gap



Incident hadrons retain
their quantum numbers
remaining colorless

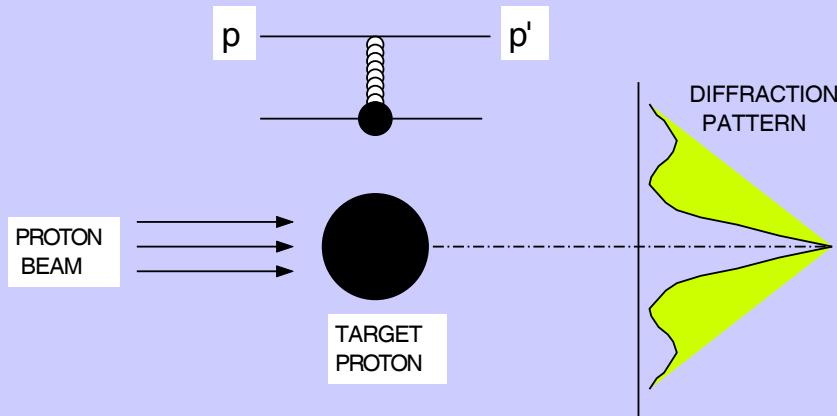


pseudo-
DECONFINEMENT

Goal: understand the QCD nature of the diffractive exchange

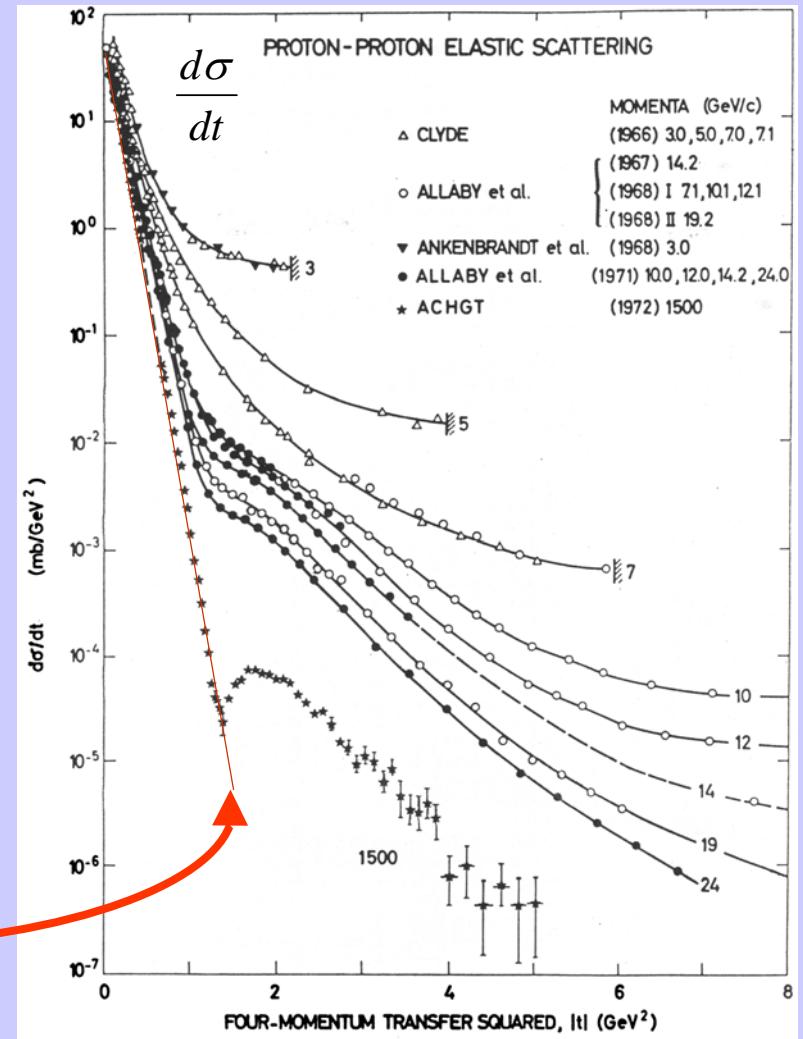
Elastic Scattering

PROTON-PROTON ELASTIC SCATTERING

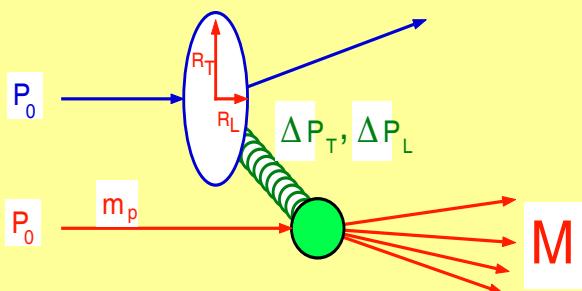


$$\frac{d\sigma}{dt} \sim e^{bt} \sim e^{-\frac{R^2}{4}(p\theta)^2}$$

$$R = \frac{1}{m_\pi} \Rightarrow b \approx 13 \left(\frac{\text{GeV}}{c} \right)^{-2}$$



Diffraction Dissociation



Momentum loss fraction

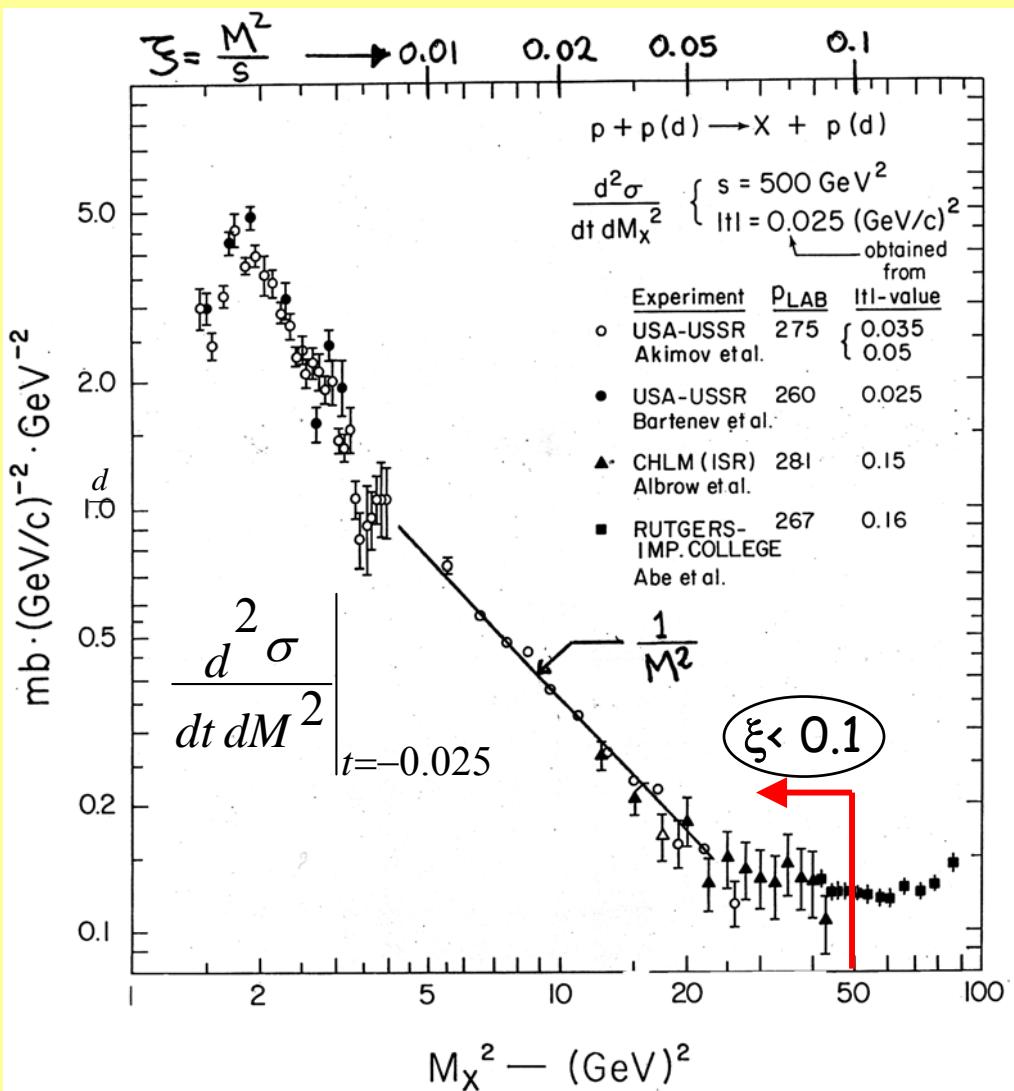
$$\xi = \frac{\Delta P_L}{P_L} = \frac{M^2}{s}$$

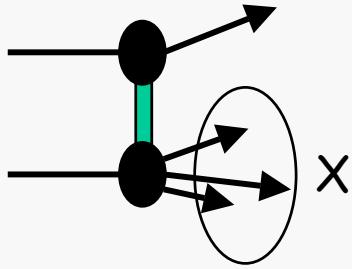
COHERENCE CONDITION

$$\xi < \frac{m_\pi}{m_p} \approx 0.1$$

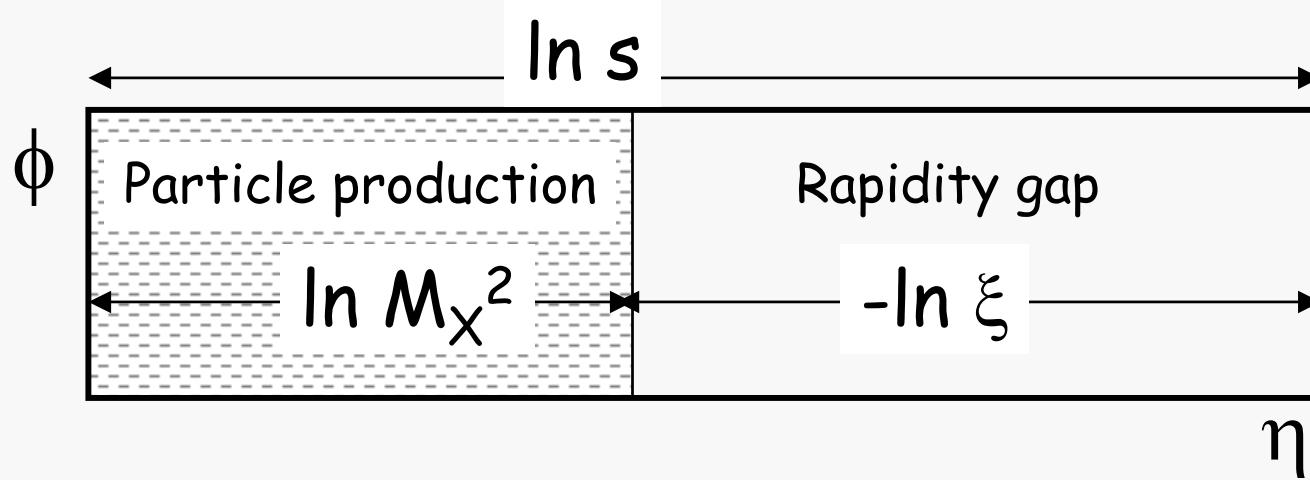
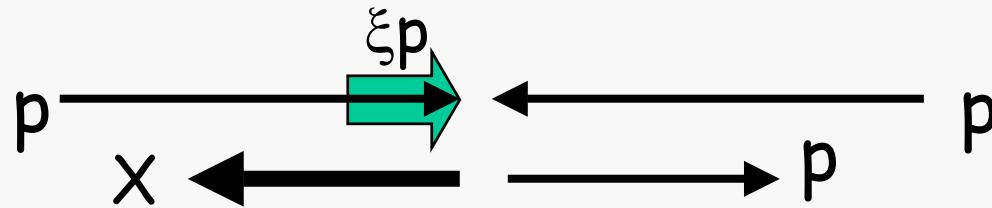
Tevatron $M \rightarrow 0.6 \text{ TeV}$
LHC $\rightarrow 4.4 \text{ TeV}$

But why $\frac{d\sigma}{dM^2} \sim \frac{1}{M^2}$?





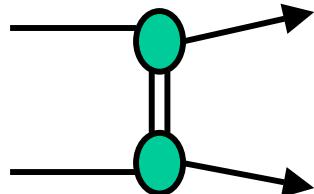
Rapidity Gaps



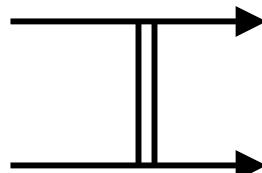
$$\left(\frac{d\sigma}{d\Delta\eta} \right)_{t=0} \approx \text{constant} \Rightarrow \frac{d\sigma}{dM^2} \sim \frac{1}{M^2} \Rightarrow \frac{d\sigma}{d\xi} \sim \frac{1}{\xi}$$

Diffractive $\bar{p}p$ Processes

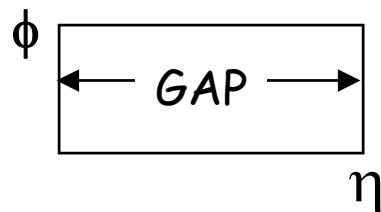
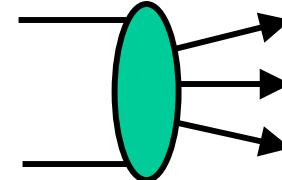
Elastic scattering



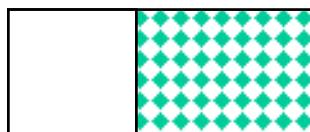
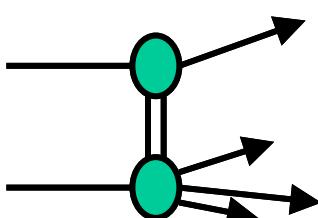
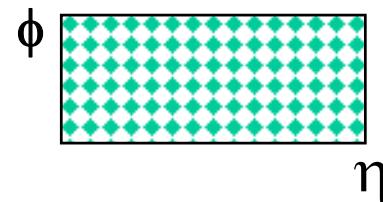
$\sigma_T = \text{Im } f_{el} (t=0)$



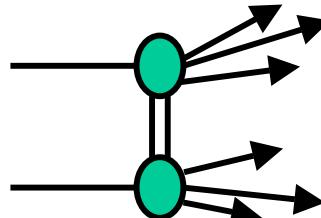
Total cross section



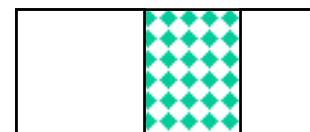
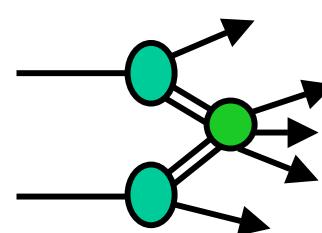
OPTICAL
THEOREM



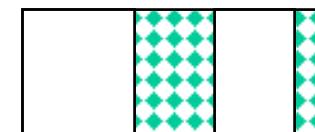
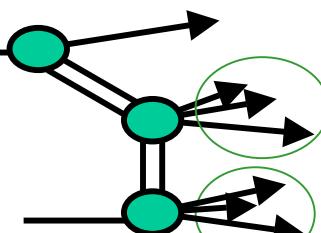
SD



DD

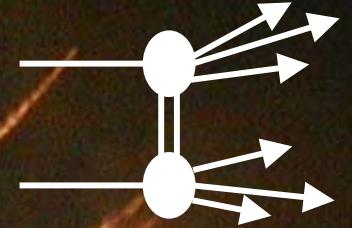


DPE



SDD=SD+DD

Rapidity Gaps in Fireworks



The Physics

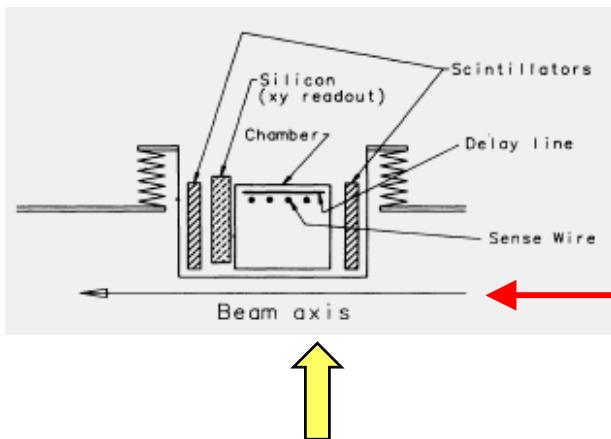
- Elastic and Total Cross Sections: $pp \rightarrow pp$ and $pp \rightarrow X$
 - ✓ Fundamental Quantum Mechanics
 - Froissart Unitarity Bound $\sigma_T < C \ln^2 s$
 - Optical theorem $\sigma_T \sim \text{Im } f(t=0)$
 - Dispersion relations $\text{Re } f(t=0) \sim \text{Im } f(t=0)$
 - Is space-time discrete? → Measure σ_T and p-value at LHC!
- Diffraction Dissociation: $pp \rightarrow pX, XgX, pXp, pXgX, \dots$
 - ✓ Non-perturbative QCD
 - Soft & hard diffraction
 - Factorization
 - Multi-gap diffraction
 - Diffraction in QCD: what is the Pomeron?
 - Dark energy?
- ★ Exclusive Production: $pp \rightarrow pp+H$ (jet+jet, $\gamma+\gamma$, ..., H^0)
 - ✓ Discovery channel
 - Diffractive Higgs production at the LHC (?)

Tevatron Experiments

Info Exp	Roman Pots	EI	σ_T	Soft diffraction	Hard diffraction
E710/811 Scint. Counters	p, pbar	x	x	sd	
CDF-0	p, pbar	x	x	sd	
CDF-I	pbar			sd,dd,dpe,sdd	JJ,b,J/ ψ ,W,JGJ
CDF-II	pbar			sd	JJ,W,Z,JGJ Exclusive JJ, $\gamma\gamma$,...
DO-I					JJ,W,Z,JGJ, ...
DO-II	p, pbar	x	x	sd,dpe,...	JJ,W,Z,JGJ,... Exclusive ???

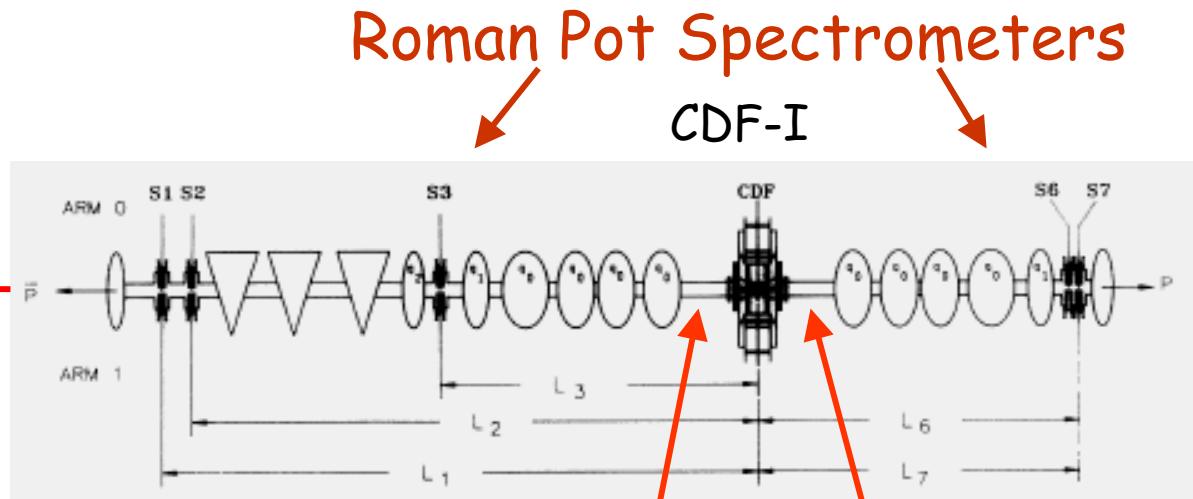
CDF Run 1-0 (1988-89)

Elastic, diffractive, and total cross section
@ 546 and 1800 GeV



Roman Pot Detectors

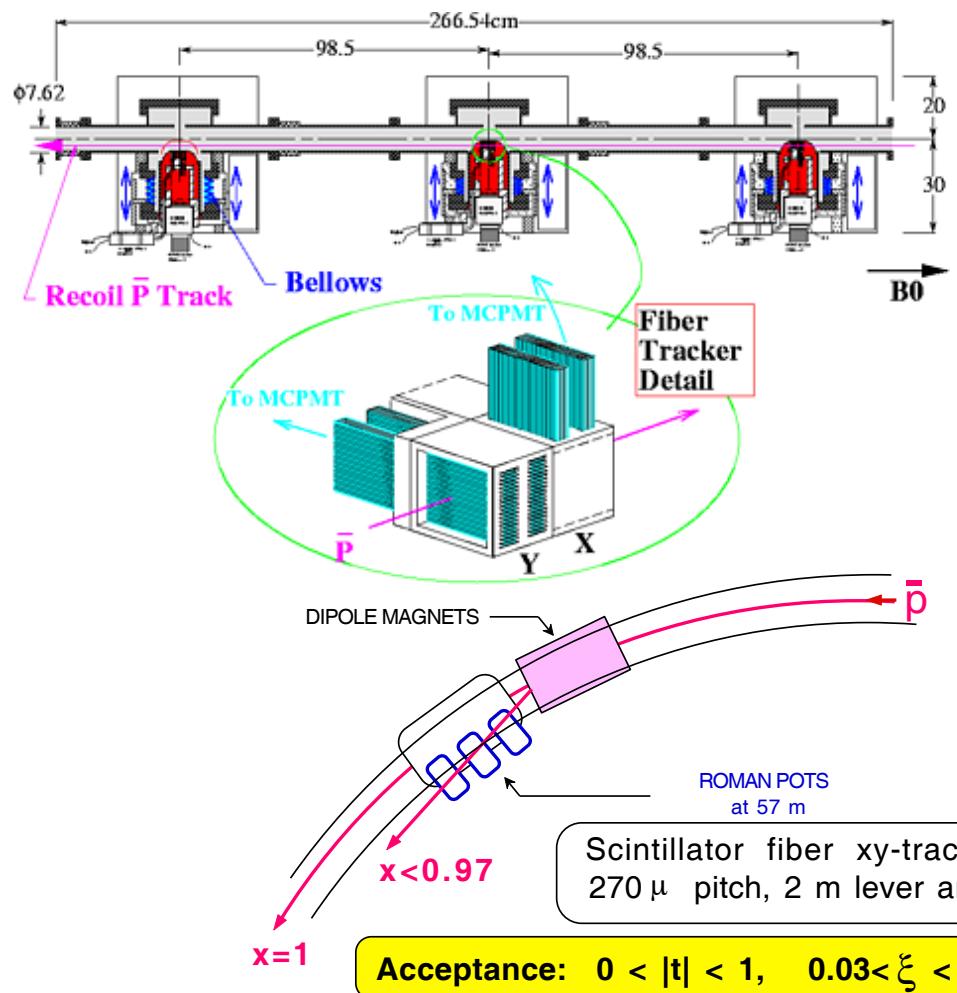
- Scintillation trigger counters
- Wire chamber
- Double-sided silicon strip detector



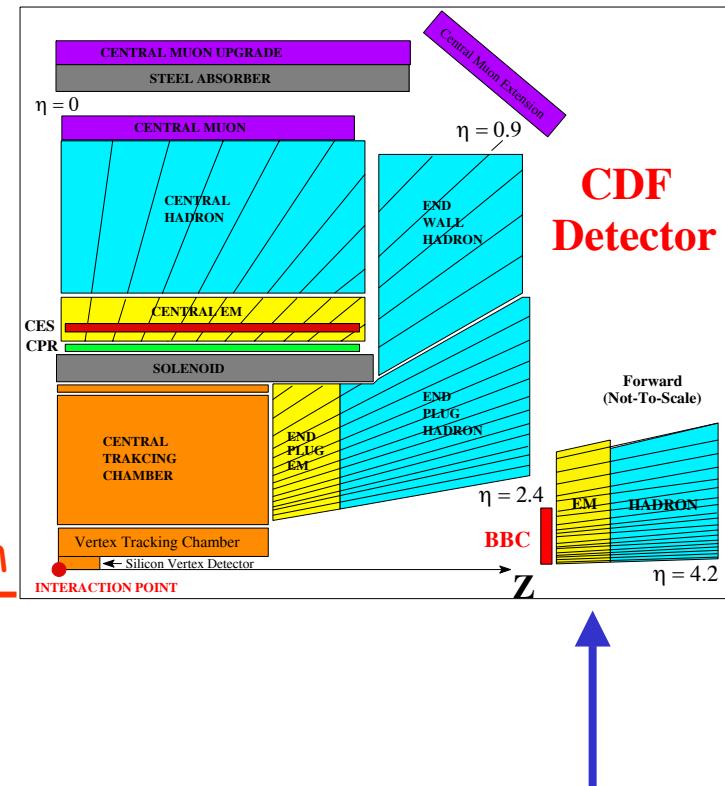
Roman Pots with Trackers
up to $|\eta| = 7$

CDF-I

Run-IC



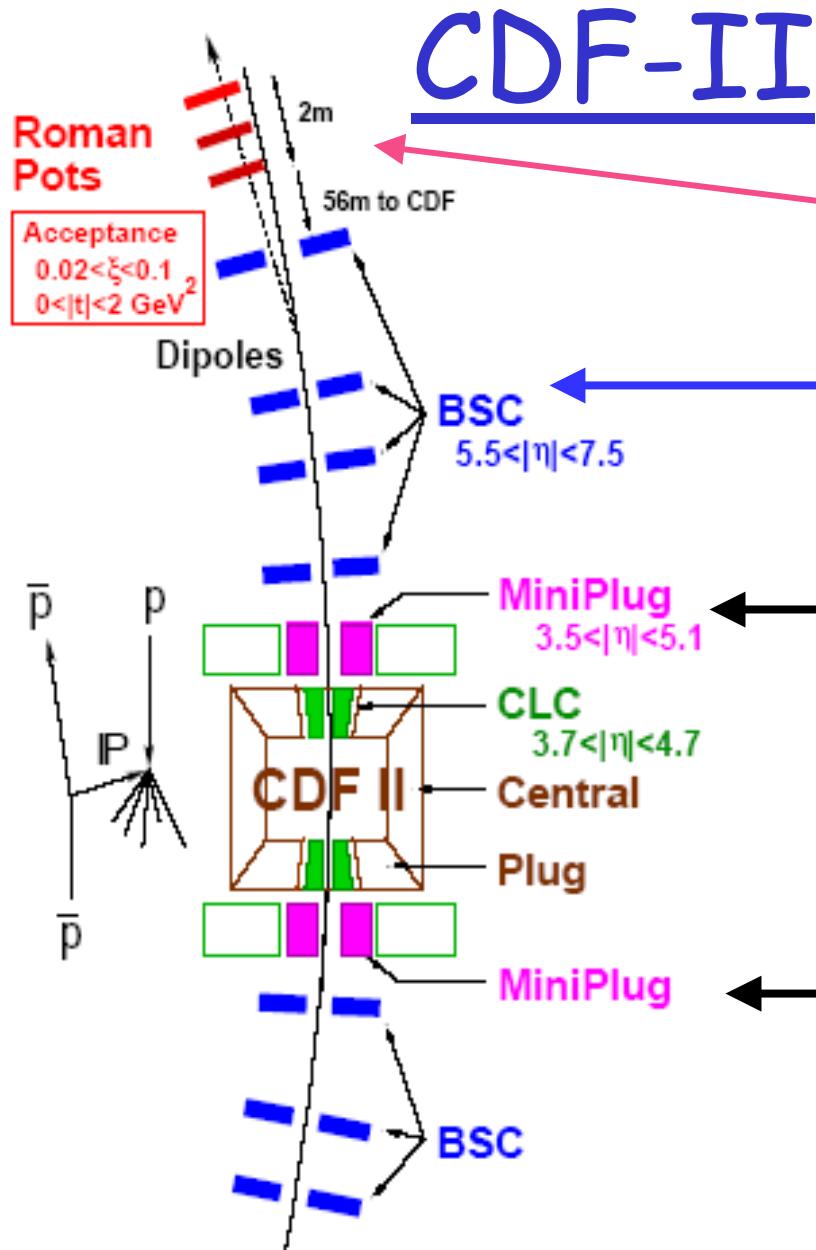
Run-IA,B



Forward Detectors

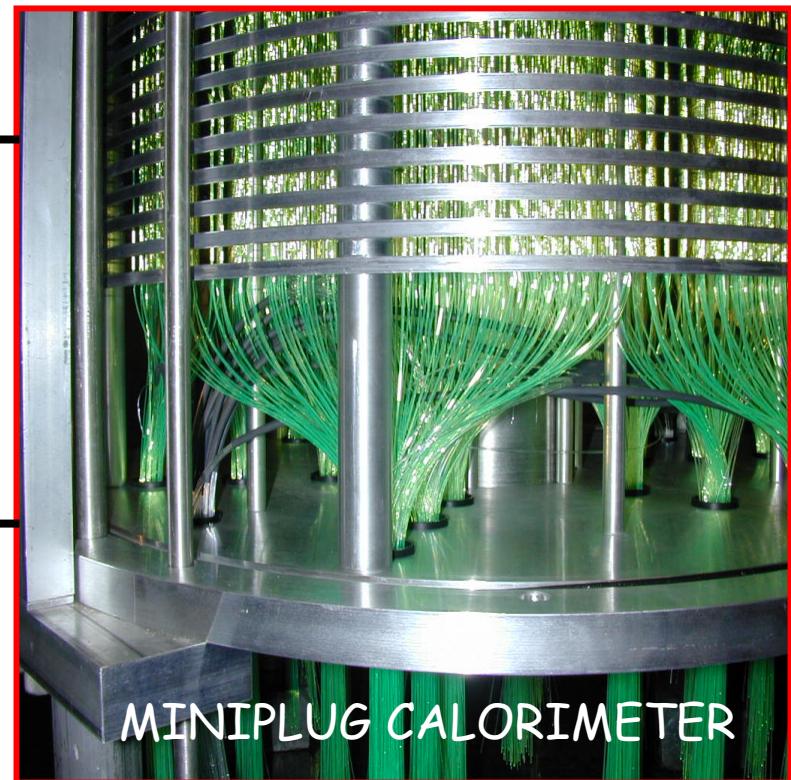
BBC $3.2 < \eta < 5.9$

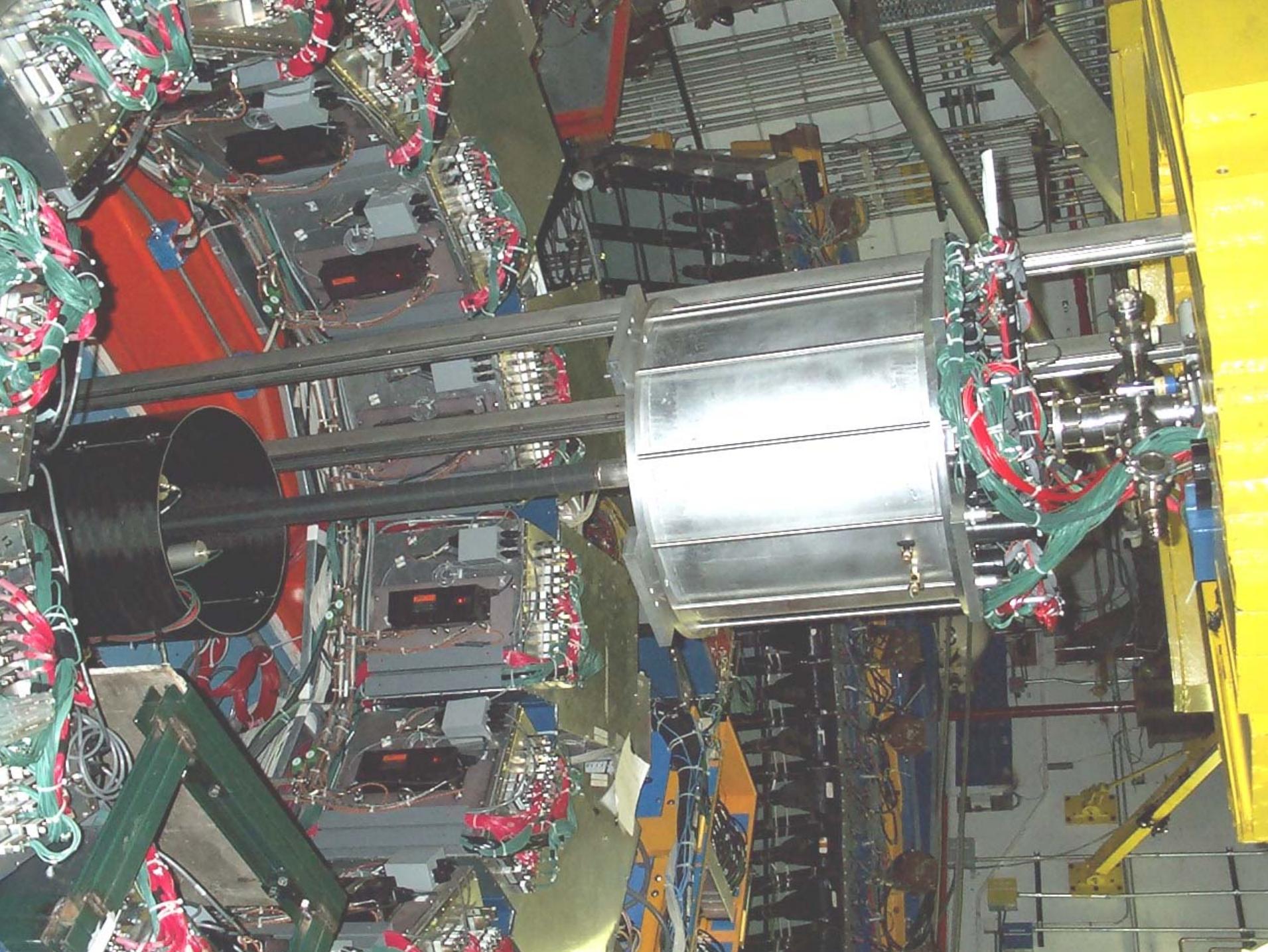
FCAL $2.4 < \eta < 4.2$



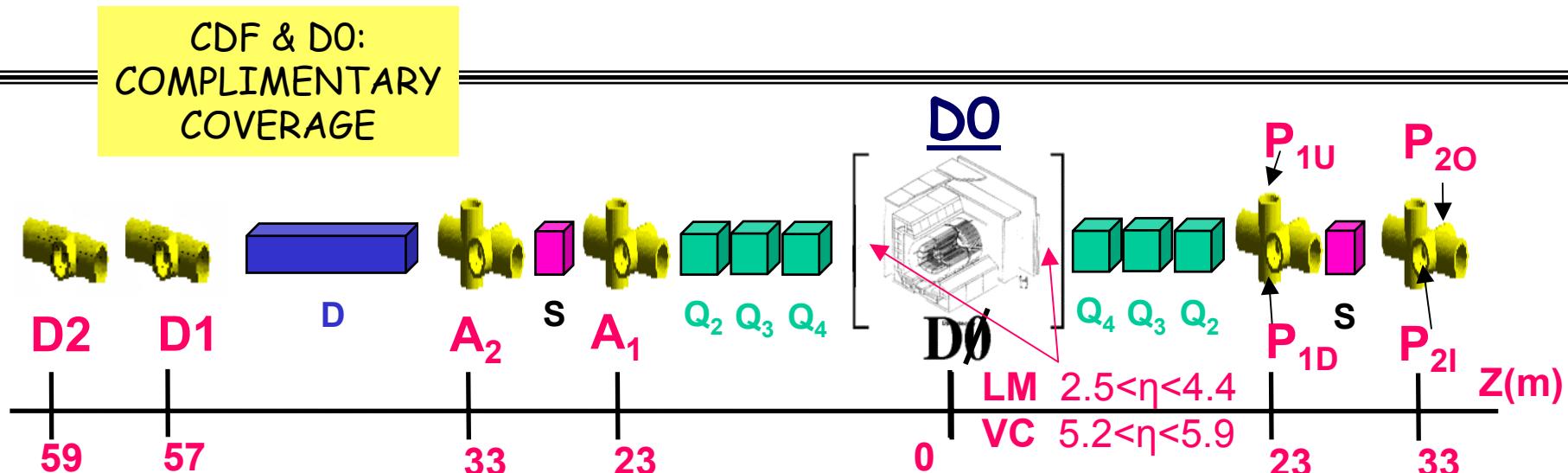
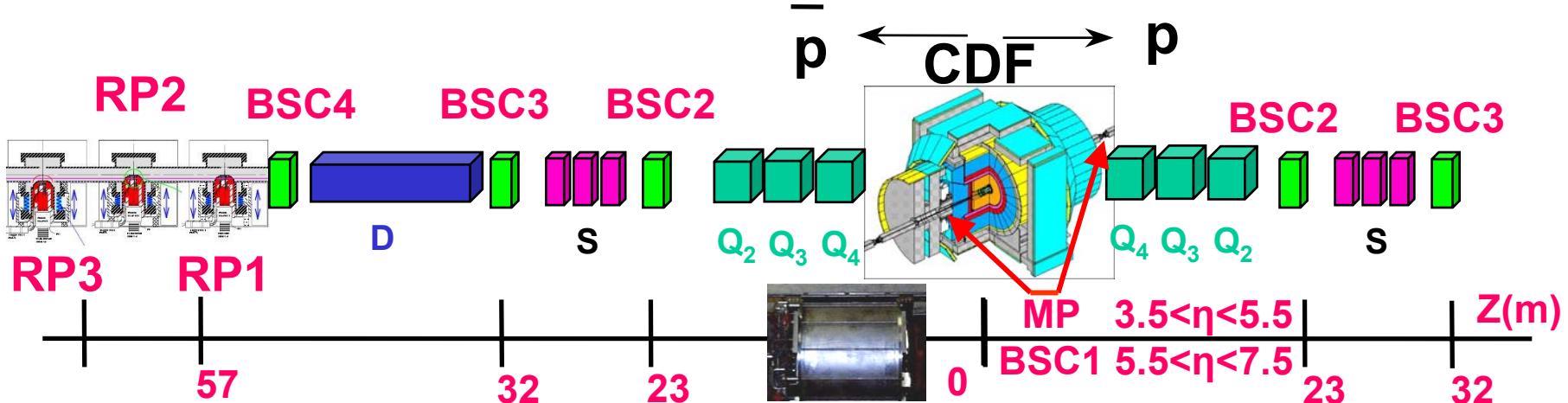
ROMAN POT DETECTORS

BEAM SHOWER COUNTERS:
Used to reject ND events





CDF & DO - Run II



From Barreto's talk in small-x

ELASTIC AND TOTAL CROSS SECTIONS

@ Tevatron: CDF and E710/811
→ use luminosity independent method ←

$$\sigma_T^2 \sim \frac{1}{L} \left. \frac{1}{1+\rho^2} \frac{dN_{el}}{dt} \right|_{t=0} \quad \& \quad \sigma_T \sim \frac{1}{L} (N_{el} + N_{inel})$$

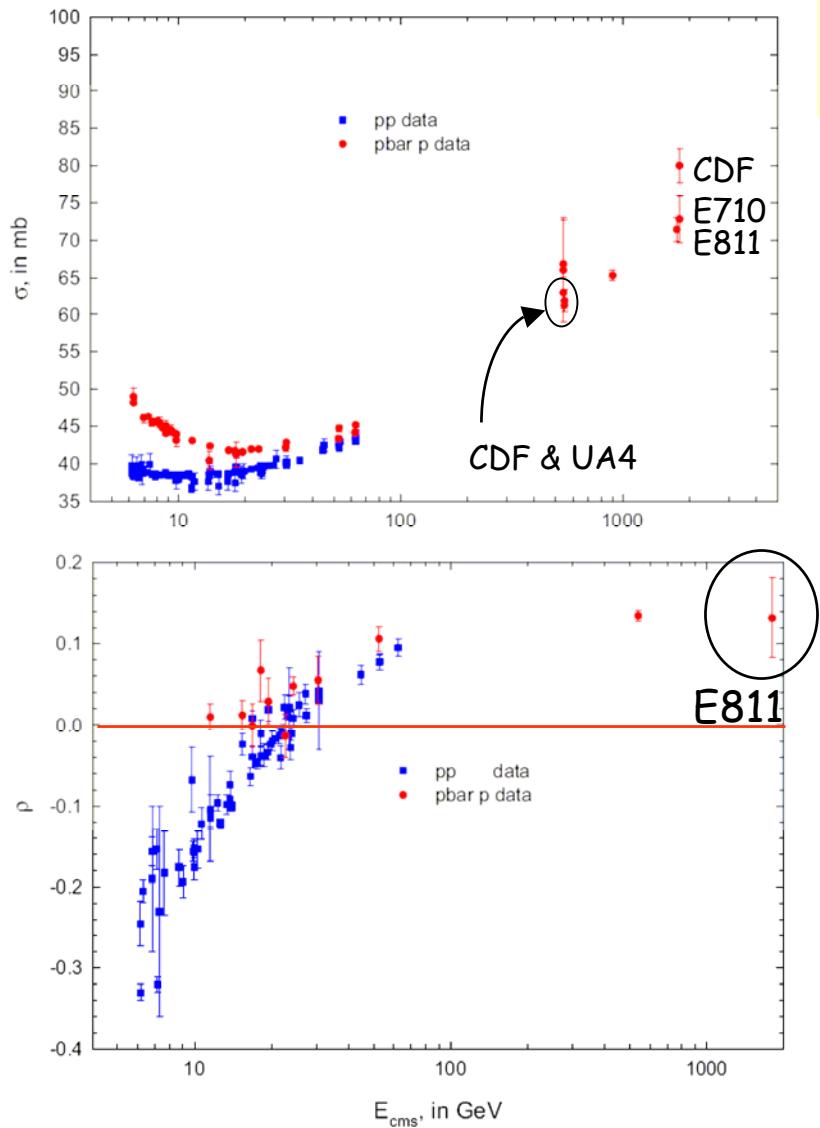
optical theorem

$$\Rightarrow \quad \sigma_T = \frac{16\pi}{1+\rho^2} \left(\left. \frac{dN_{el}}{dt} \right|_{t=0} \right) \frac{1}{N_{el} + N_{inel}}$$

Alert:

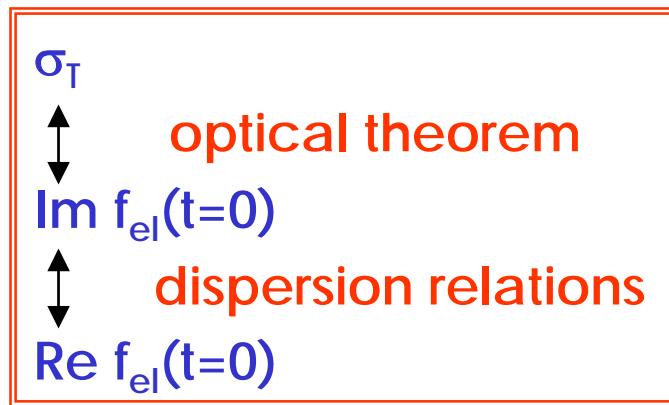
- background N_{inel} yields small σ_T
- undetected N_{inel} yields large σ_T

σ_T and ρ -values from PDG



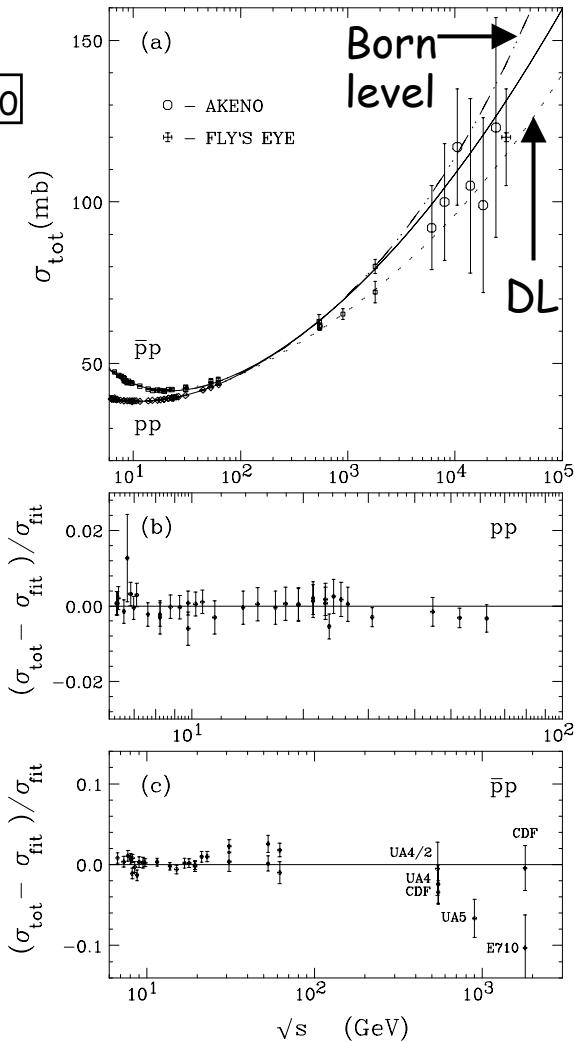
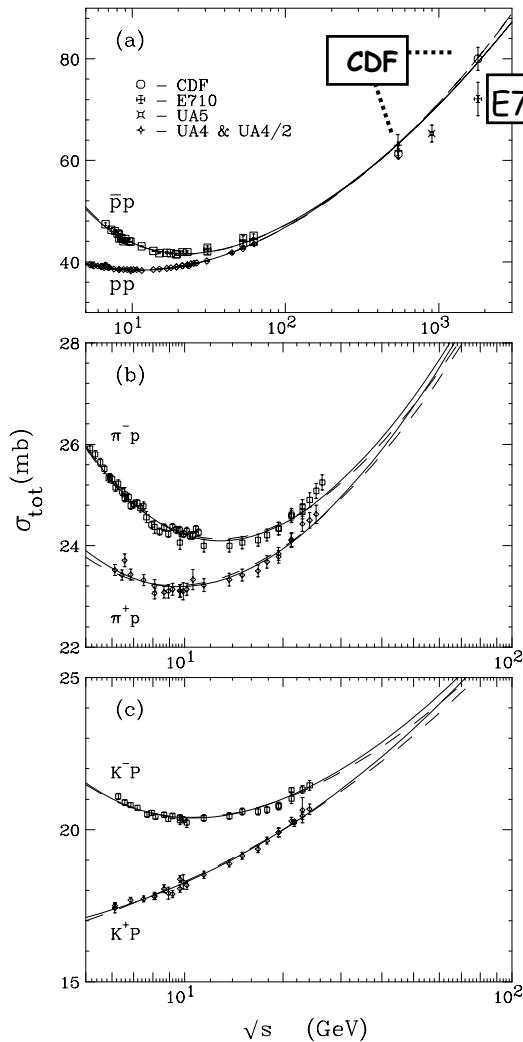
ρ = ratio of real/imaginary parts
of elastic scattering amplitude at $t=0$

CDF and E710/811 disagree



N. Khuri and A. Martin:
measuring ρ at the LHC tests
discreteness of space-time

Total Cross Sections: Regge fit



CMG: Covolan, Montagna, and G
PLB 389 (1995) 176

Simultaneous Regge fit to
 $p\bar{p}$, πp , and $K\bar{p}$ x-sections
using the eikonal approach
to ensure unitarity

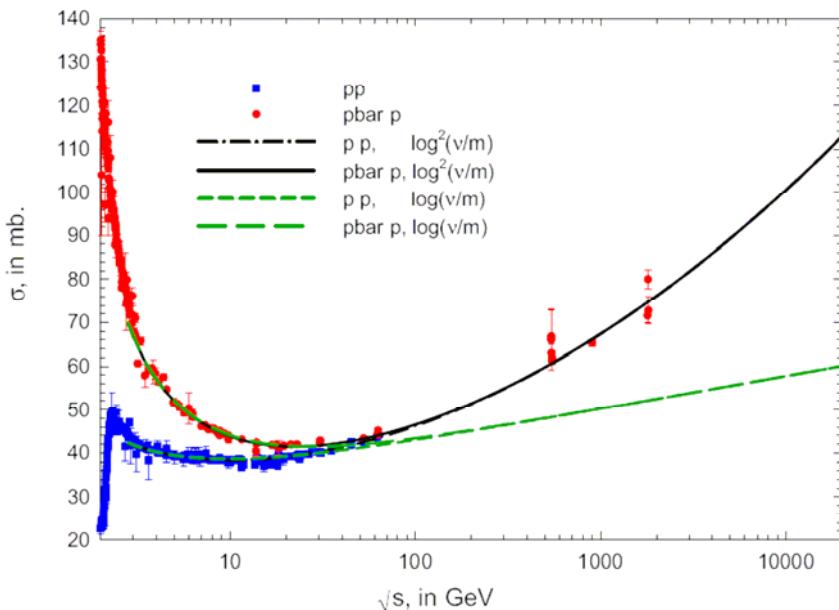
$$\sigma \rightarrow s^\varepsilon$$

$$\varepsilon = 1.104 +/- 0.002$$

$$\rightarrow \sigma_{\text{LHC}} = 115 \text{ mb}$$

$\text{@} 14 \text{ TeV}$

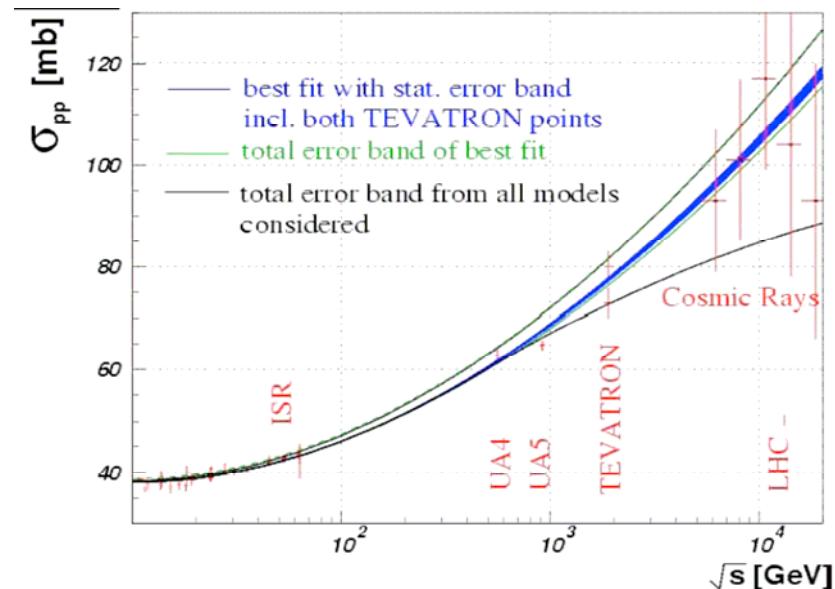
Other Approaches



e.g., M. Block, arXiv:hep-ph/0601210 (2006)

→ fit data using analyticity constraints
 M. Block and F. Halzen, Phys. Rev. D **72**, 036006

$$\sigma_T(\text{LHC}) = 107.3 \pm 1.2 \text{ mb}$$



COMPETE Collaboration fits all available hadronic data and predicts:

LHC:

$$\sigma_{tot} = 111.5 \pm 1.2 \begin{array}{l} +4.1 \\ -2.1 \end{array} \text{ mb}$$

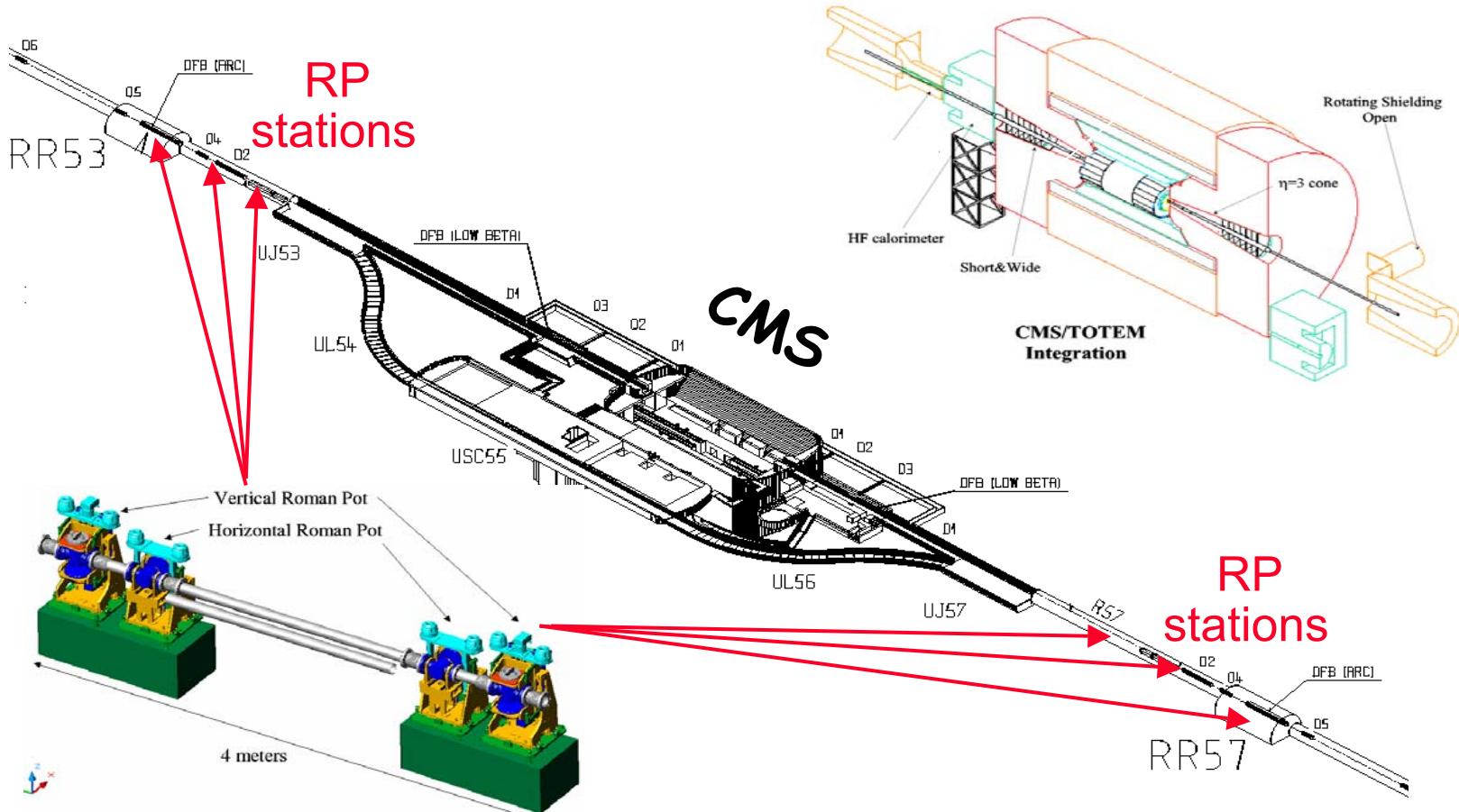
[PRL 89 201801 (2002)]

Recall CMG Regge fit: 115 mb

TOTEM experiment @ LHC

Total Cross Section, Elastic Scattering, and Diffraction Dissociation

Aim at 1% accuracy on σ_T



CMS/TOTEM LOI: Prospects for Diffractive and Forward Physics at the LHC

SOFT DIFFRACTION

Key words:

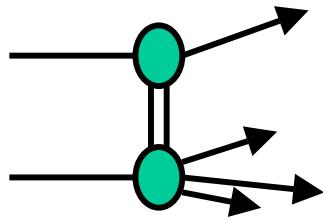
renormalization

scaling

QCD

multi-gap

- Dark energy ???



Factorization →

Renormalization

$$\frac{d^2\sigma_{SD}}{dt d\xi} = f_{IP/p}(t, \xi) \cdot \sigma_{IP-\bar{p}}(M_X^2)$$

$$\sigma_{SD} \sim s^{2\varepsilon}$$

Pomeron flux

❖ Regge theory

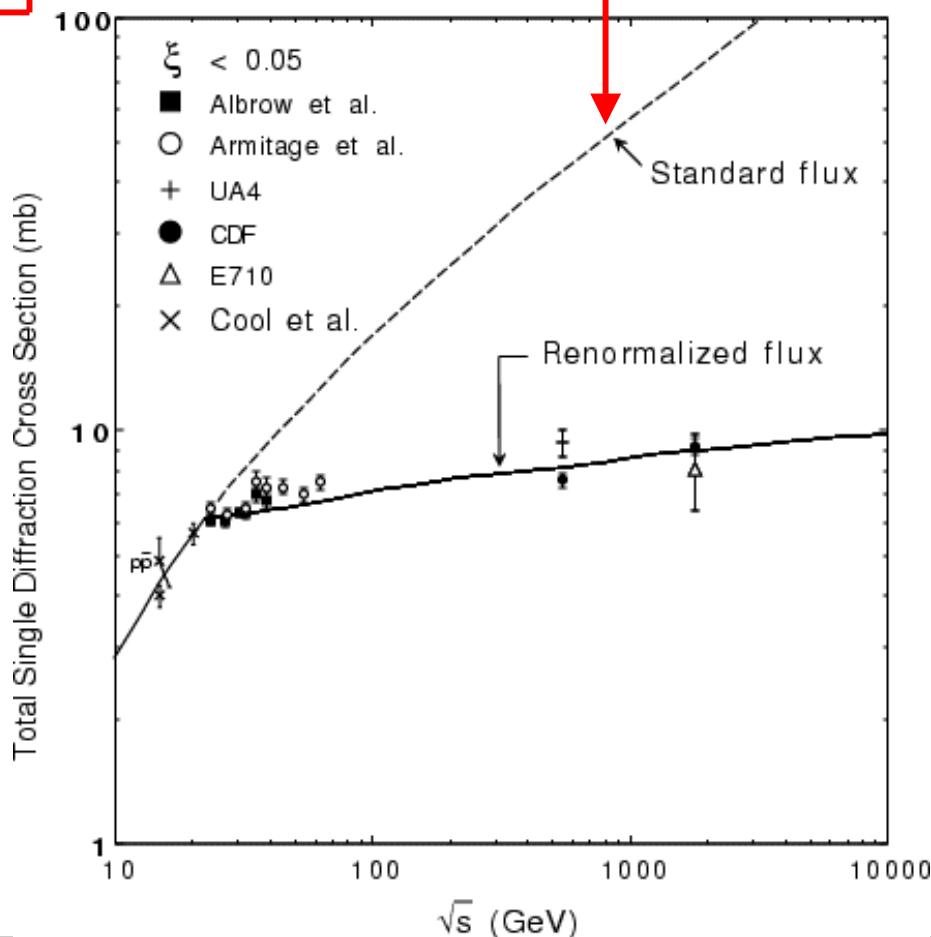
σ_{SD} exceeds σ_T at
 $\sqrt{s} \approx 2$ TeV.

❖ Renormalization

Pomeron flux integral
(re)normalized to unity

KG, PLB 358 (1995) 379

$$\int_{\xi_{min}}^{0.1} \int_{t=-\infty}^0 f_{IP/p}(t, \xi) d\xi dt = 1$$



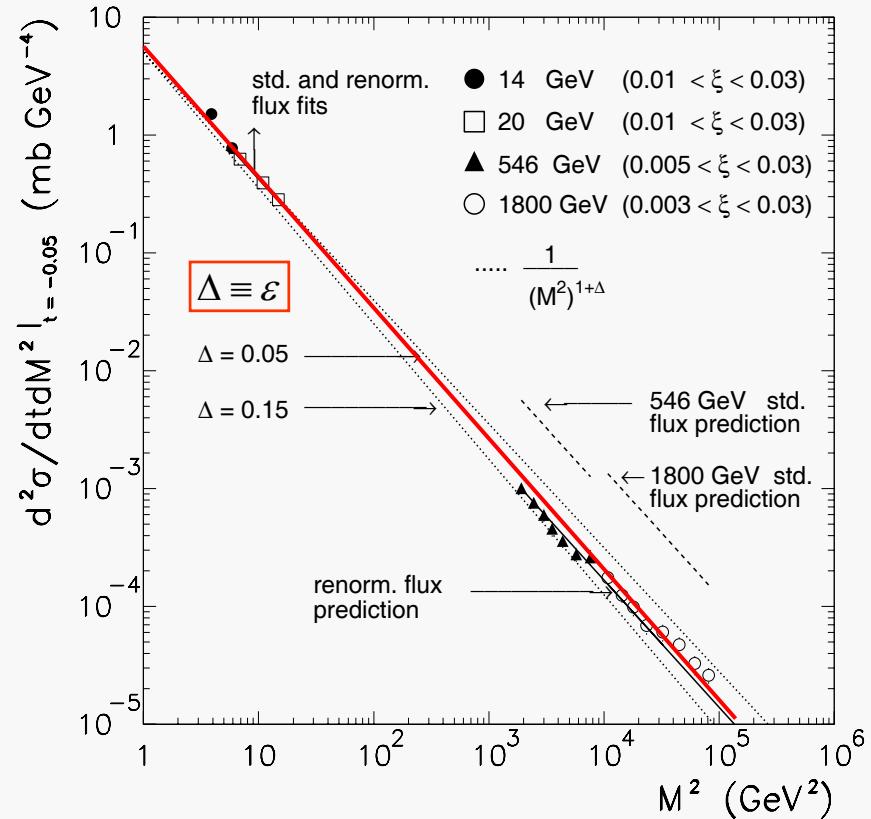
A Scaling Law in Diffraction

KG&JM, PRD 59 (1999) 114017

renormalization

$$\frac{d\sigma}{dM^2} \propto \frac{s^{2\varepsilon}}{(M^2)^{1+\varepsilon}}$$

→ Independent of S over 6 orders of magnitude in M^2 !



Factorization breaks down so as to ensure M^2 -scaling!

The QCD Connection

$\phi \quad \Delta y' = \ln s \quad y$

$$\sigma_T(s) = \sigma_o e^{\varepsilon \Delta y'} = \sigma_o s^\varepsilon$$

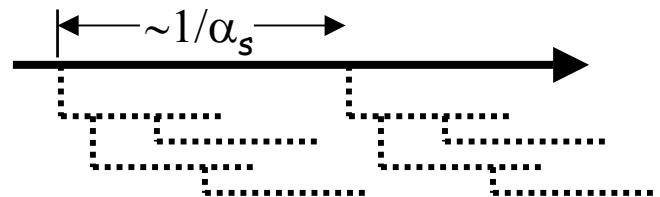
The exponential rise of $\sigma_T(\Delta y')$ is due to the increase of wee partons with $\Delta y'$

(E. Levin, An Introduction to Pomerons, Preprint DESY 98-120)

$\phi \quad \Delta y = \ln s \quad y$

$$\text{Im } f_{el}(s, t) \propto e^{(\varepsilon + \alpha' t) \Delta y}$$

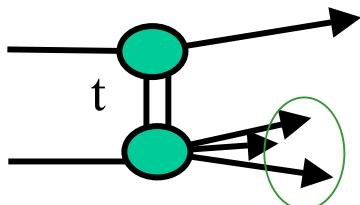
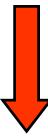
Total cross section:
power law increase versus S



Elastic cross section:
forward scattering amplitude

Single Diffraction in QCD

(KG, hep-ph/0205141)



$$\left. \frac{d\sigma}{dM^2} \right|_{\text{REGGE}} \propto \frac{s^{2\varepsilon}}{(M^2)^{1+\varepsilon}}$$

2 independent variables: $t, \Delta y$

$$\frac{d^2\sigma}{dt d\Delta y} = C \bullet F_p^2(t) \bullet \underbrace{\left\{ e^{(\varepsilon + \alpha' t)\Delta y} \right\}^2}_{\text{Gap probability}} \bullet \kappa \bullet \underbrace{\left\{ \sigma_o e^{\varepsilon \Delta y'} \right\}}_{\text{color factor}}$$

Gap probability

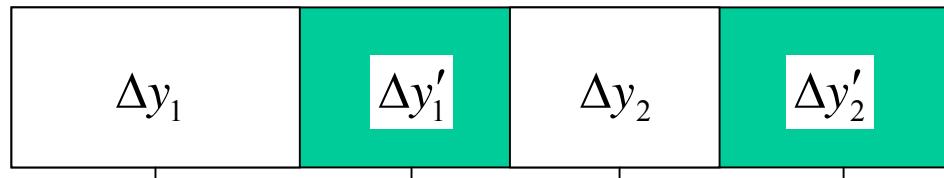
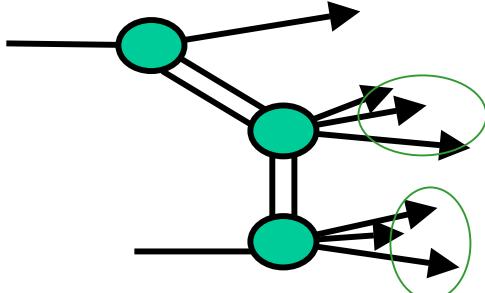
$$\downarrow \\ \sim e^{2\varepsilon \Delta y}$$

$$\rightarrow \int_{\Delta y_{\min}}^{\Delta y = \ln s} s^{2\varepsilon \Delta y} \approx s^{2\varepsilon}$$

Renormalization removes the s -dependence → SCALING

Multi-gap Renormalization

(KG, hep-ph/0205141)



5 independent variables

$$\left\{ \begin{array}{c} t_1 \\ y'_1 \\ \Delta y = \Delta y_1 + \Delta y_2 \\ t_2 \end{array} \right.$$

color factors

$$\frac{d^5 \sigma}{\prod_{i=1-5} dV_i} = C \times F_p^2(t_1) \prod_{i=1-2} \left\{ e^{(\varepsilon + \alpha' t_i) \Delta y_i} \right\}^2 \times \kappa^2 \left\{ \sigma_o e^{\varepsilon (\Delta y'_1 + \Delta y'_2)} \right\}$$

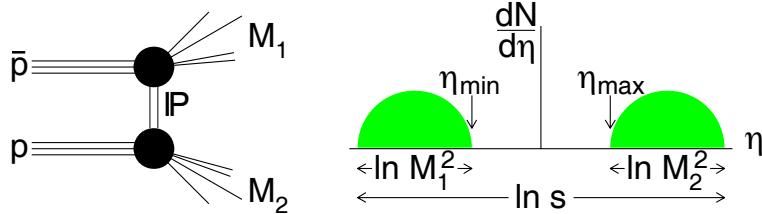
Gap probability
 $\sim e^{2\varepsilon \Delta y}$

Sub-energy cross section
 (for regions with particles)

$$\int_{\Delta y_{\min}}^{\Delta y = \ln s} s^{2\varepsilon \Delta y} \approx s^{2\varepsilon}$$

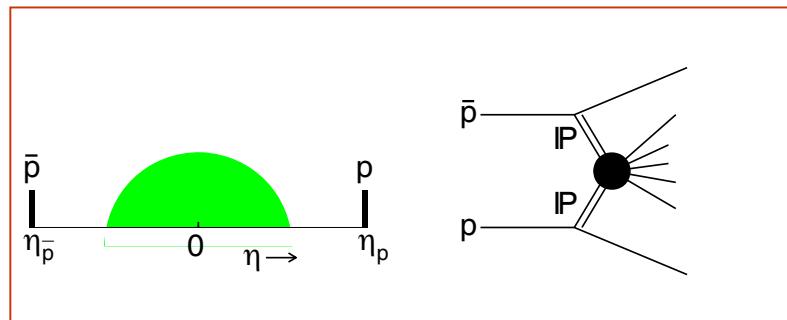
Same suppression
 as for single gap!

Central and Double Gaps @ CDF



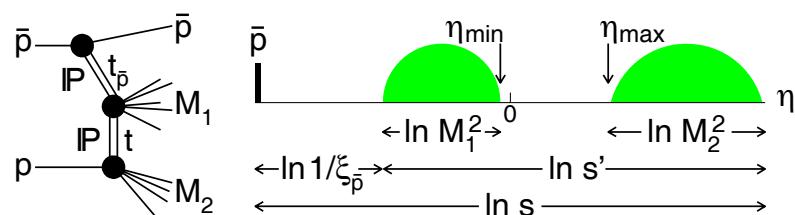
- Double Diffraction Dissociation

- One central gap



- Double Pomeron Exchange

- Two forward gaps

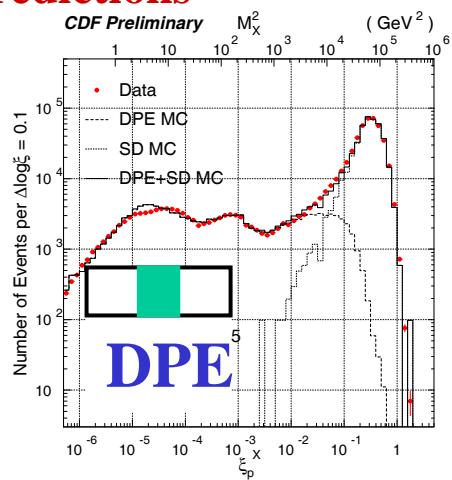
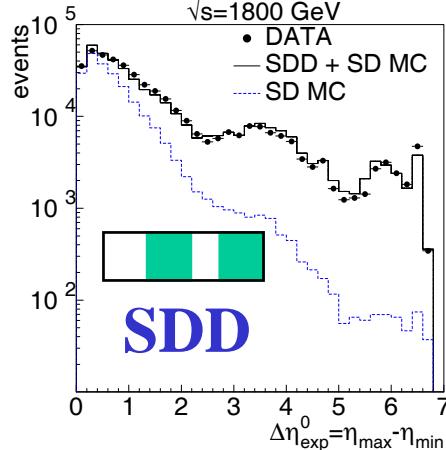
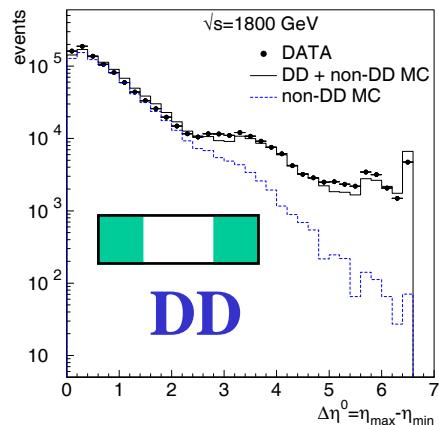


- SDD: Single+Double Diffraction

- One forward + one central gap

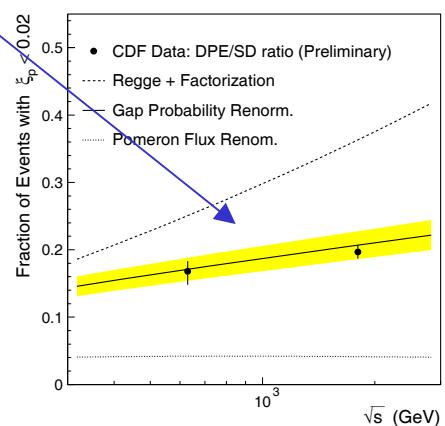
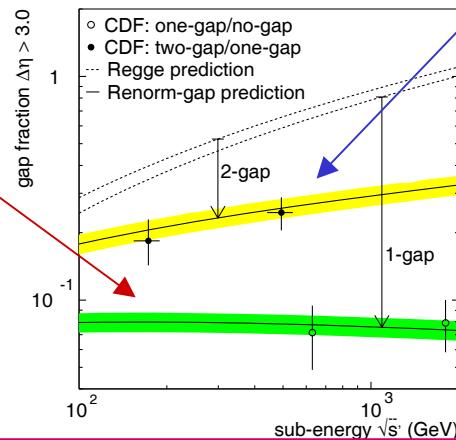
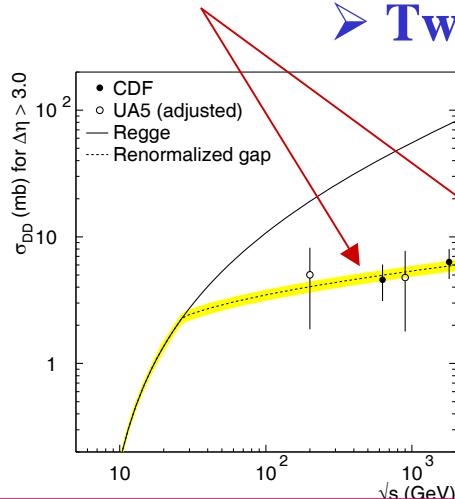
Central & Double-Gap CDF Results

Differential shapes agree with Regge predictions



➤ One-gap cross sections are suppressed

➤ Two-gap/one-gap ratios are $\approx \kappa = 0.17$



Dark Energy

Non-diffractive interactions

Rapidity gaps are formed by multiplicity fluctuations:

$$P(\Delta y) = e^{-\rho \Delta y}, \quad \rho = \frac{dN_{\text{particles}}}{dy}$$

P(Δy) is exponentially suppressed

Diffractive interactions

Rapidity gaps at $t=0$ grow with Δy :

$$\Delta y \approx -\ln \xi = \ln s - \ln M^2$$
$$P(\Delta y)|_{t=0} \sim e^{2\varepsilon \Delta y}$$

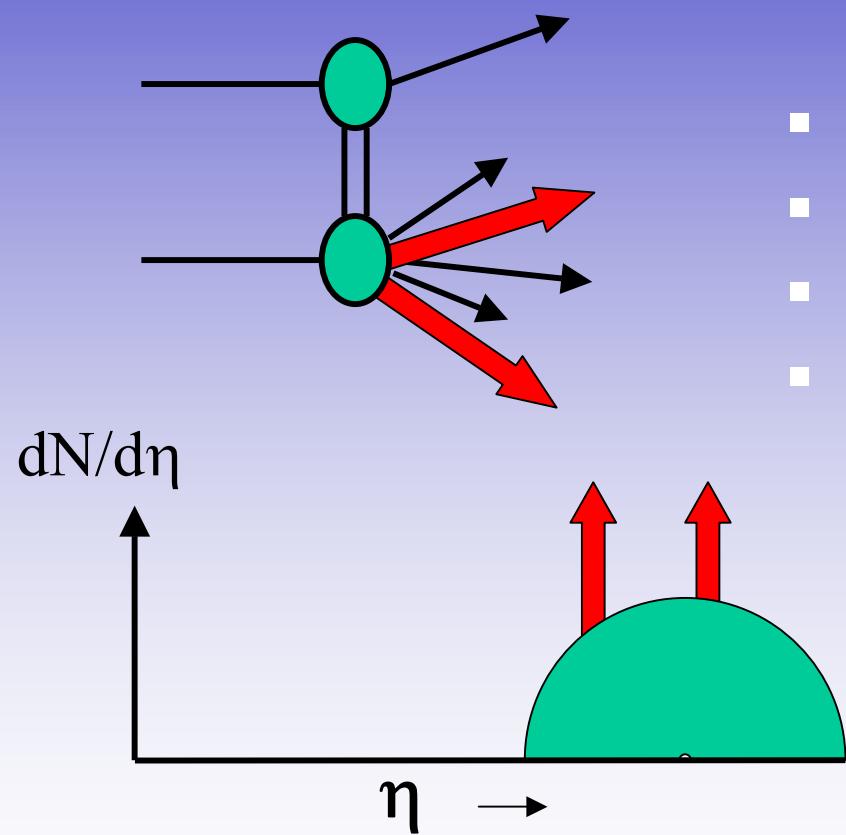
2 ε : negative particle density!



Gravitational repulsion?

HARD DIFFRACTION

- Diffractive fractions
- Diffractive structure function
→ factorization breakdown
- Restoring factorization
- Q^2 dependence
- t dependence
- Hard diffraction in QCD



JJ, W, b, J/ ψ

Diffractive Fractions @ CDF

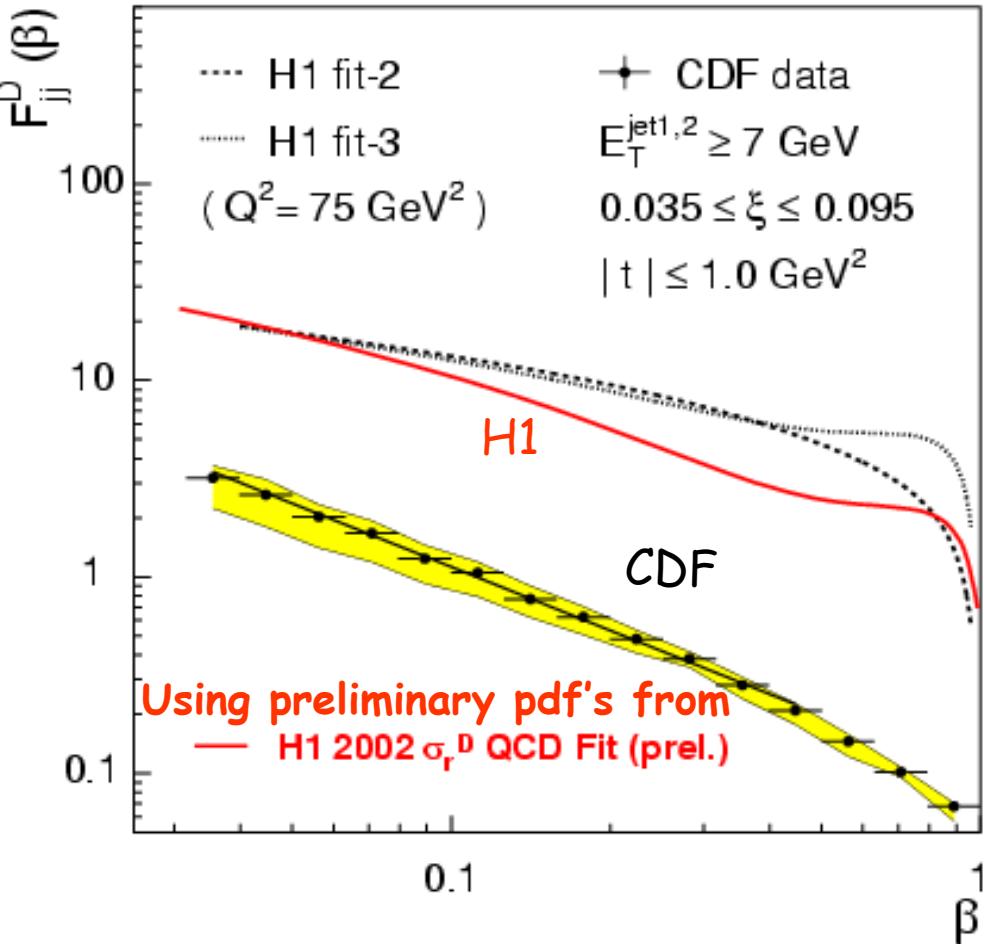
$\bar{p}p \rightarrow (\text{☀} + X) + \text{gap}$

Fraction:
SD/ND ratio
at 1800 GeV

	Fraction(%)
W	1.15 (0.55)
JJ	0.75 (0.10)
b	0.62 (0.25)
J/ ψ	1.45 (0.25)

All ratios $\sim 1\%$
→ \sim uniform suppression
 \sim FACTORIZATION !

Diffractive Structure Function: Breakdown of QCD Factorization

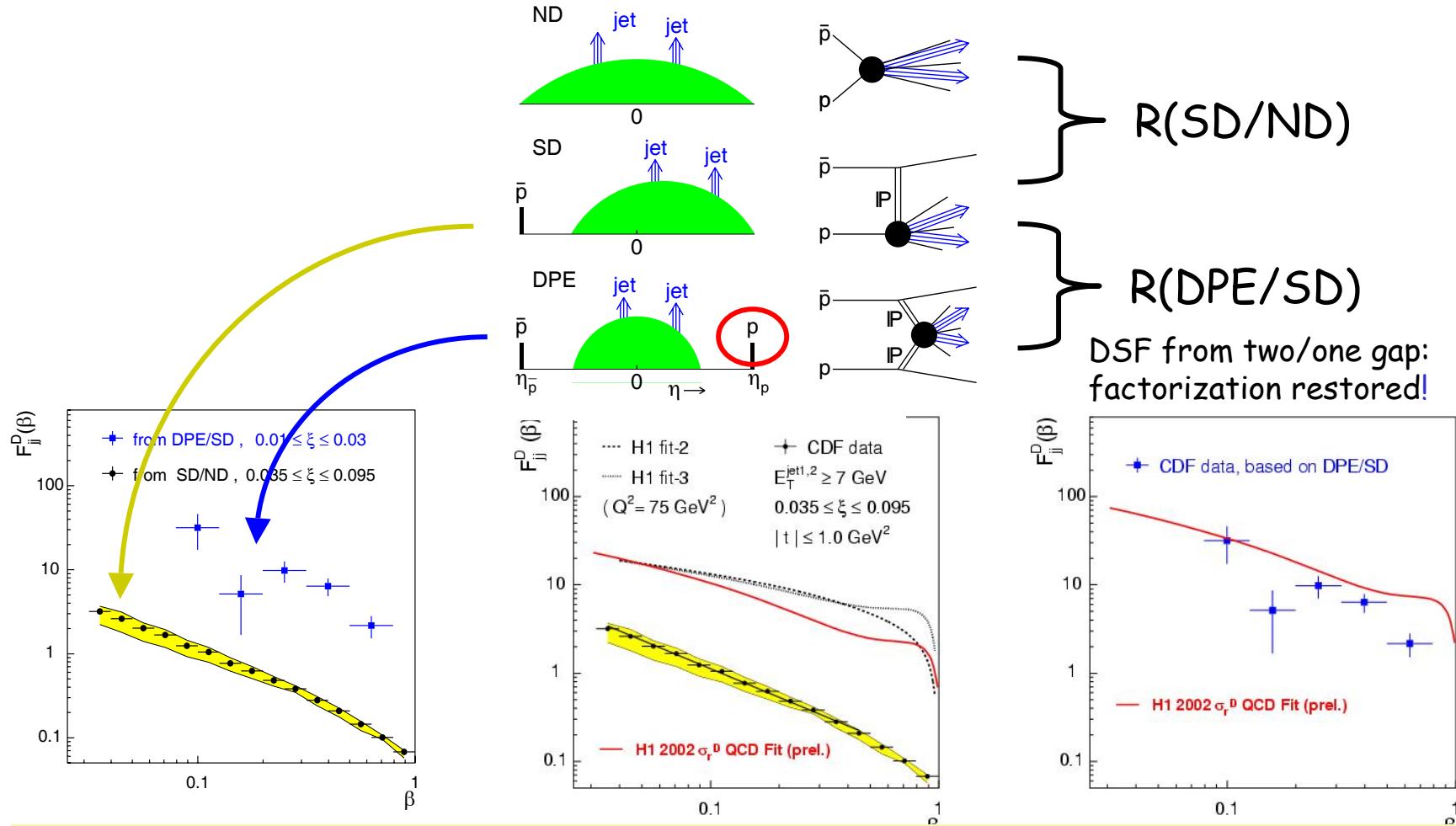


β = momentum fraction
of parton in Pomeron

The diffractive structure function at the Tevatron is suppressed by a factor of ~ 10 relative to expectation from pdf's measured by H1 at HERA

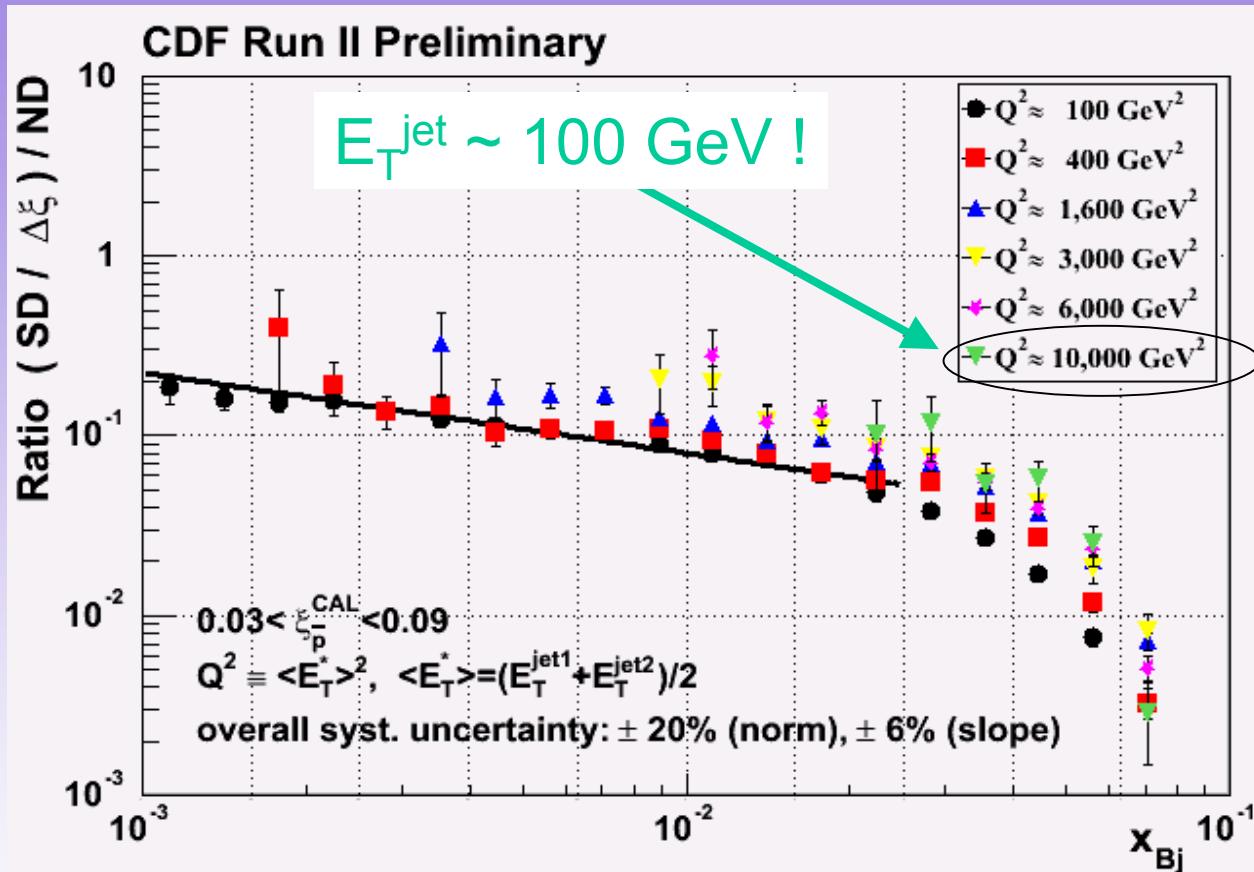
Similar suppression factor
as in soft diffraction
relative to Regge expectations!

Restoring QCD Factorization



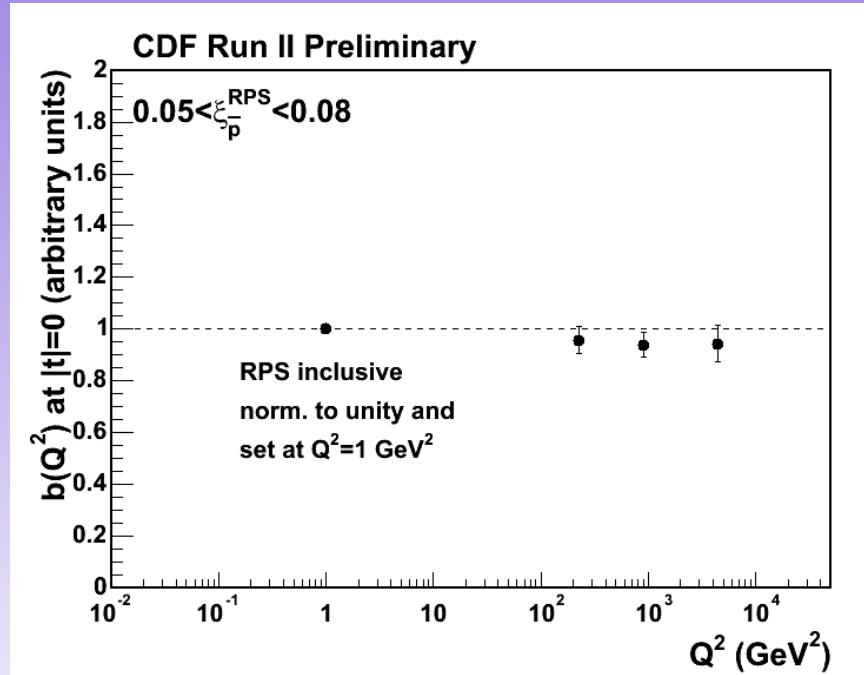
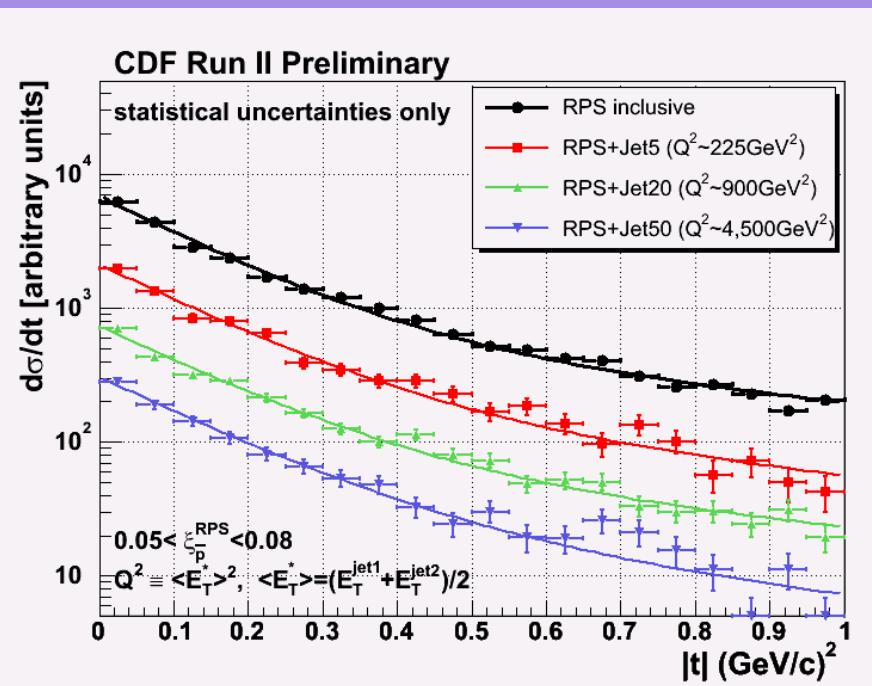
The diffractive structure function measured on the proton side in events with a leading antiproton is NOT suppressed relative to predictions based on DDIS

Diffractive Structure Function: Q^2 dependence



Small Q^2 dependence in region $100 < Q^2 < 10,000 \text{ GeV}^2$
 \Rightarrow Pomeron evolves as the proton!

Diffractive Structure Function: t - dependence



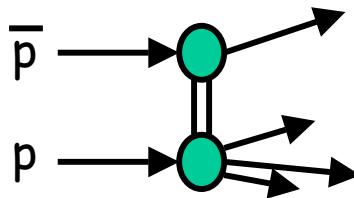
Fit $d\sigma/dt$ to a double exponential:

$$F = 0.9 \cdot e^{b_1 \cdot t} + 0.1 \cdot e^{b_2 \cdot t}$$

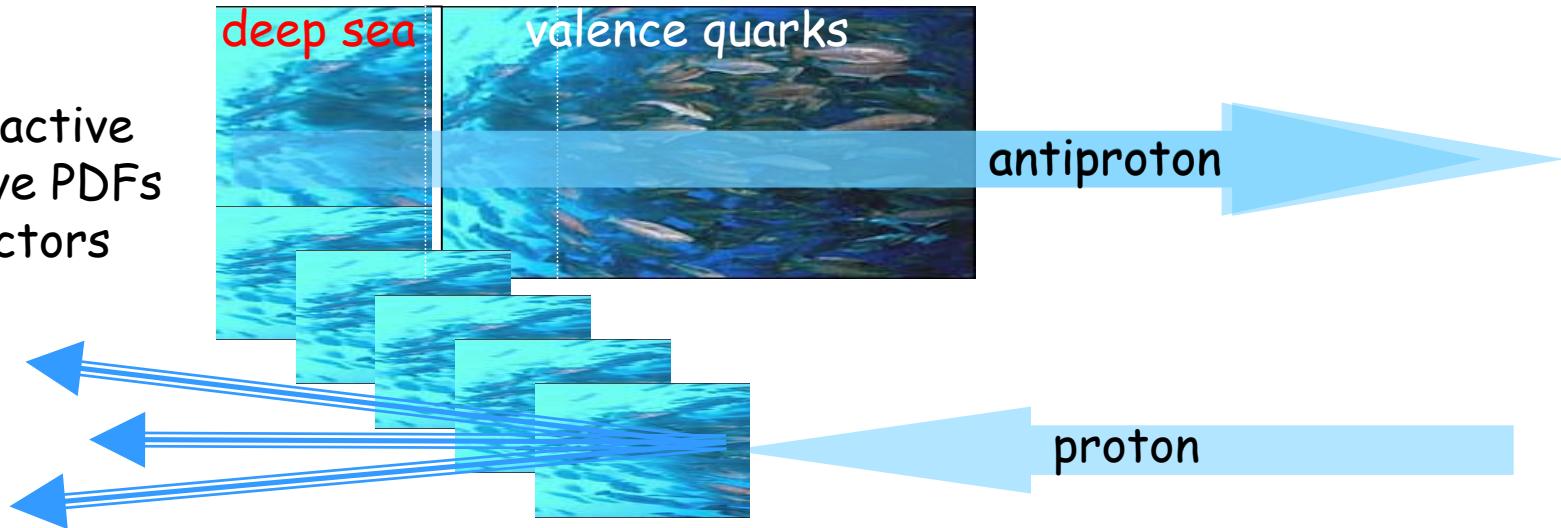
- No diffraction dips
- No Q^2 dependence in slope from inclusive to $Q^2 \sim 10^4 \text{ GeV}^2$

- Same slope over entire region of $0 < Q^2 < 4,500 \text{ GeV}^2$ across soft and hard diffraction!

Hard Diffraction in QCD



Derive diffractive
from inclusive PDFs
and color factors

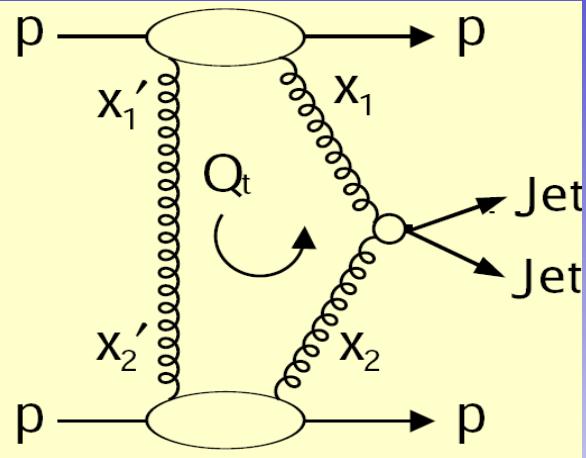


EXCLUSIVE PRODUCTION

Measure exclusive jj & $\gamma\gamma$

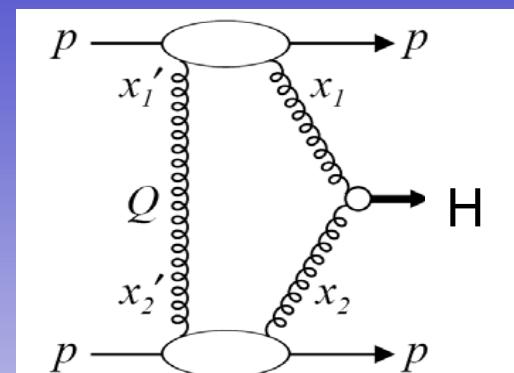


Calibrate predictions for H production rates @ LHC



[Bialas, Landshoff,](#)
[Phys.Lett. B 256,540 \(1991\)](#)
[Khoze, Martin, Ryskin,](#)
[Eur. Phys. J. C23, 311 \(2002\);](#)
[C25,391 \(2002\);C26,229 \(2002\)](#)
[C. Royon, hep-ph/0308283](#)
[B. Cox, A. Pilkington,](#)
[PRD 72, 094024 \(2005\)](#)
[OTHER.....](#)

Clean discovery channel

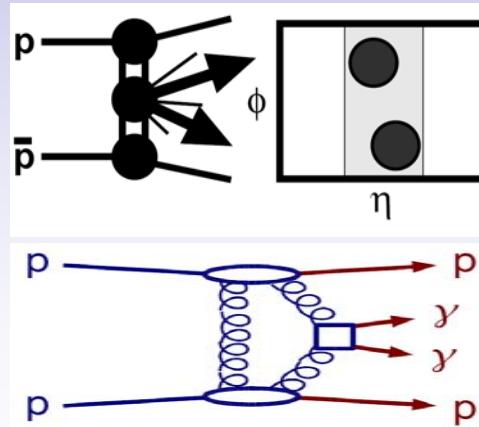


KMR: $\sigma_H(\text{LHC}) \sim 3 \text{ fb}$
 S/B ~ 1 if $\Delta M \sim 1 \text{ GeV}$

Search for exclusive dijets:
 Measure dijet mass fraction

$$R_{jj} = \frac{M_{jj}}{M_X(\text{all calorimeters})}$$

Look for signal as $M_{jj} \rightarrow 1$



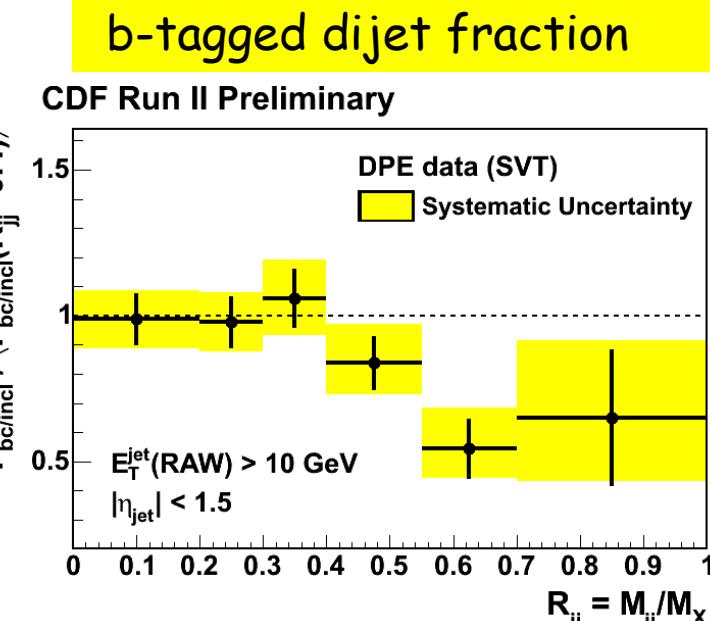
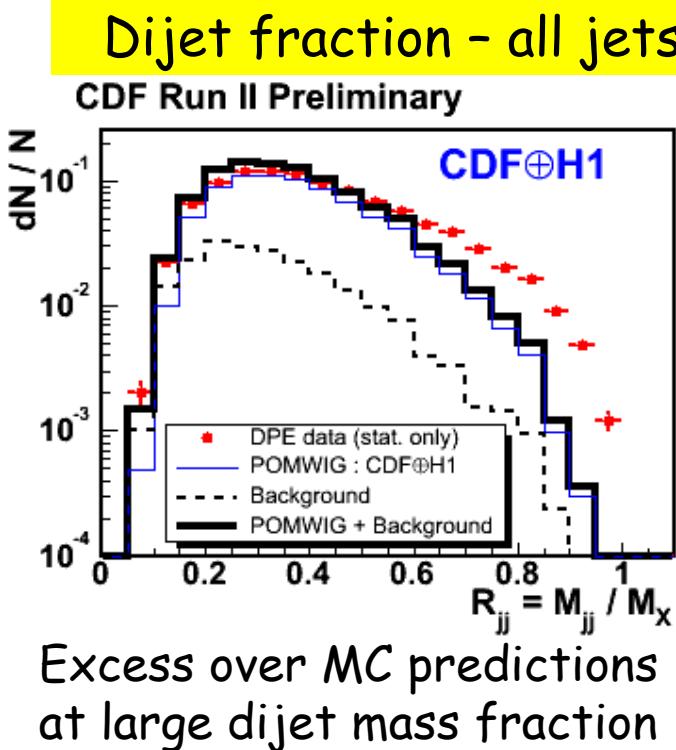
Search for exclusive $\gamma\gamma$

- ✓ 3 candidate events found
- ✓ 1 (+2/-1) predicted from ExHuME MC*
- ✓ background under study

* See talk by V. Khoze

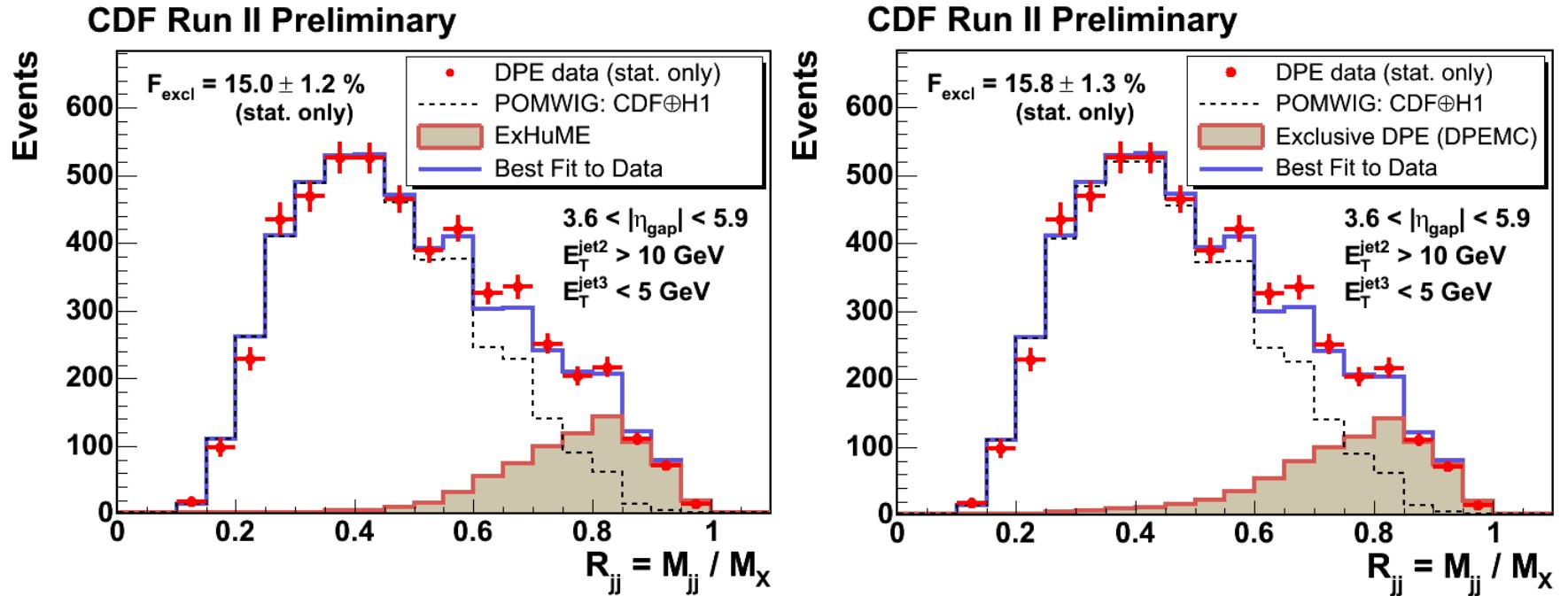
Exclusive Dijet Signal

D
I
J
E
T
S



Exclusive b-jets are suppressed by $J_Z = 0$ selection rule

$R_{jj}(\text{excl})$: Data vs MC



ExHuME (KMR): $gg \rightarrow gg$ process
 → uses LO pQCD

Exclusive DPE (DPEMC)
 → non-pQCD based on Regge theory

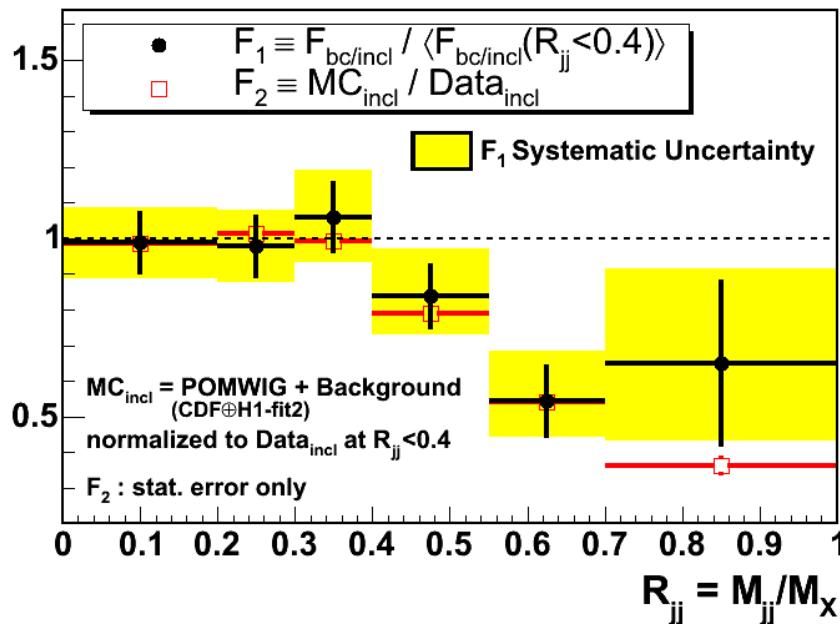
Shape of excess of events at high R_{jj}
 is well described by both models

jj_{excl} : Exclusive Dijet Signal

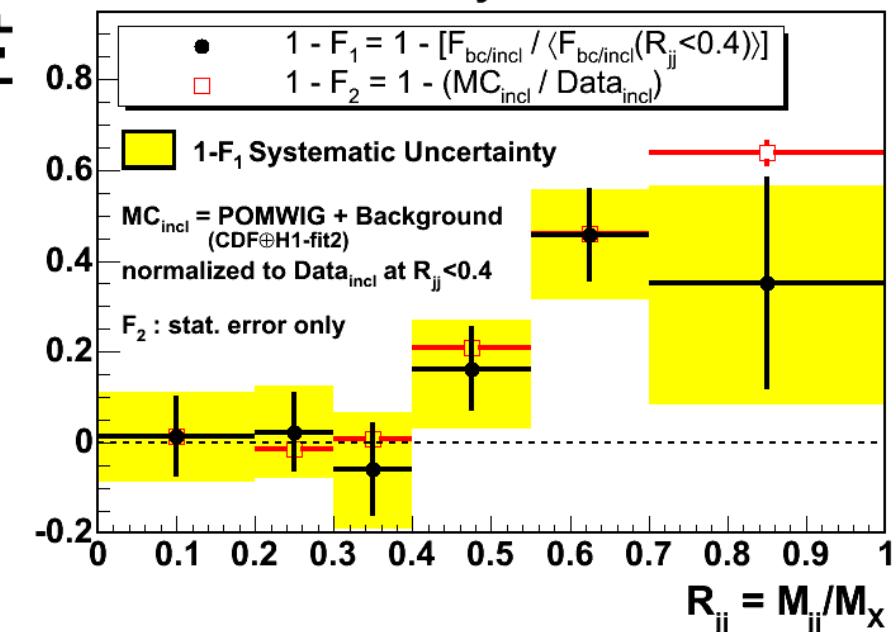
COMPARISON

Inclusive data vs MC @ b/c-jet data vs inclusive

CDF Run II Preliminary



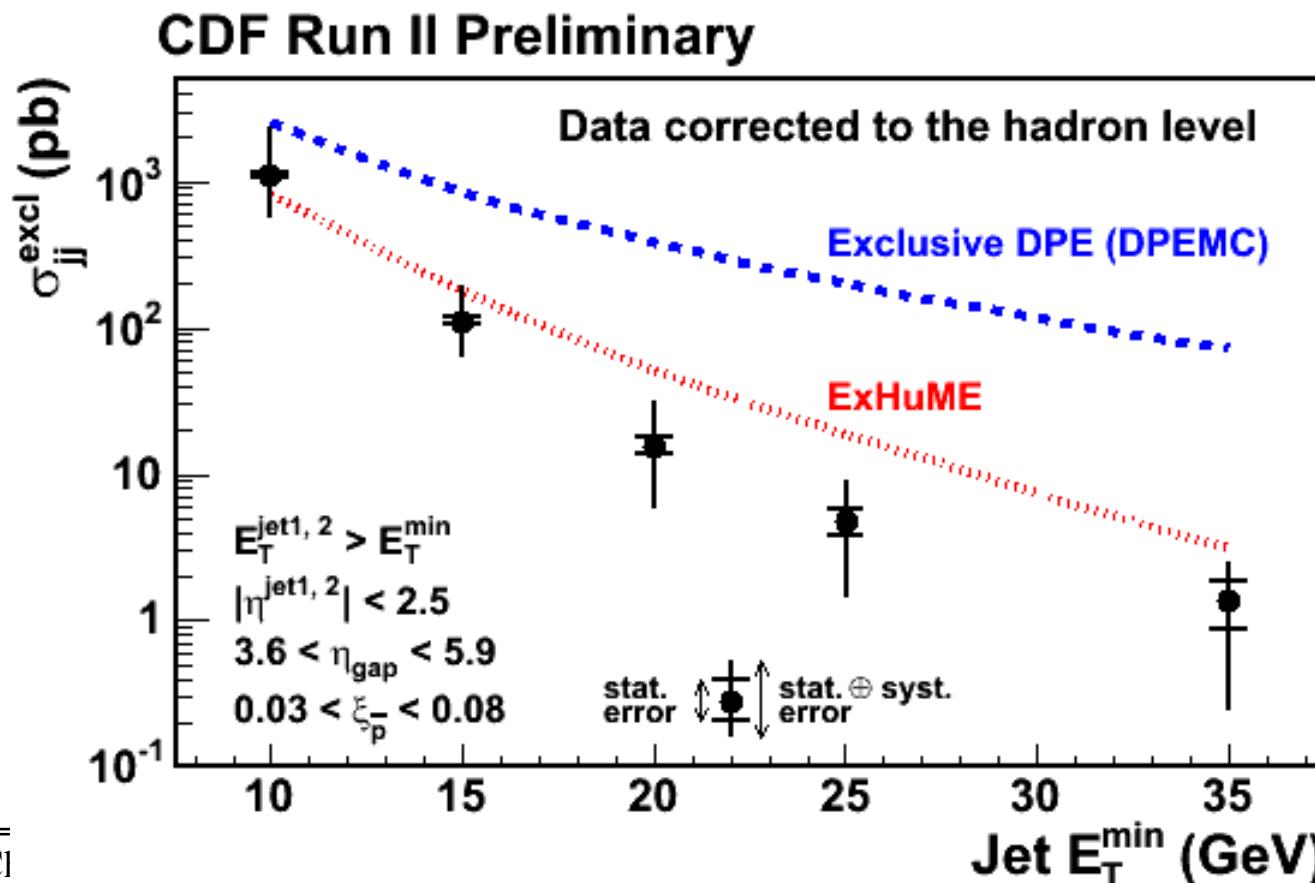
CDF Run II Preliminary



JJ_{excl} : x-section vs E_T(min)

Comparison with hadron level predictions
ExHuME (red)

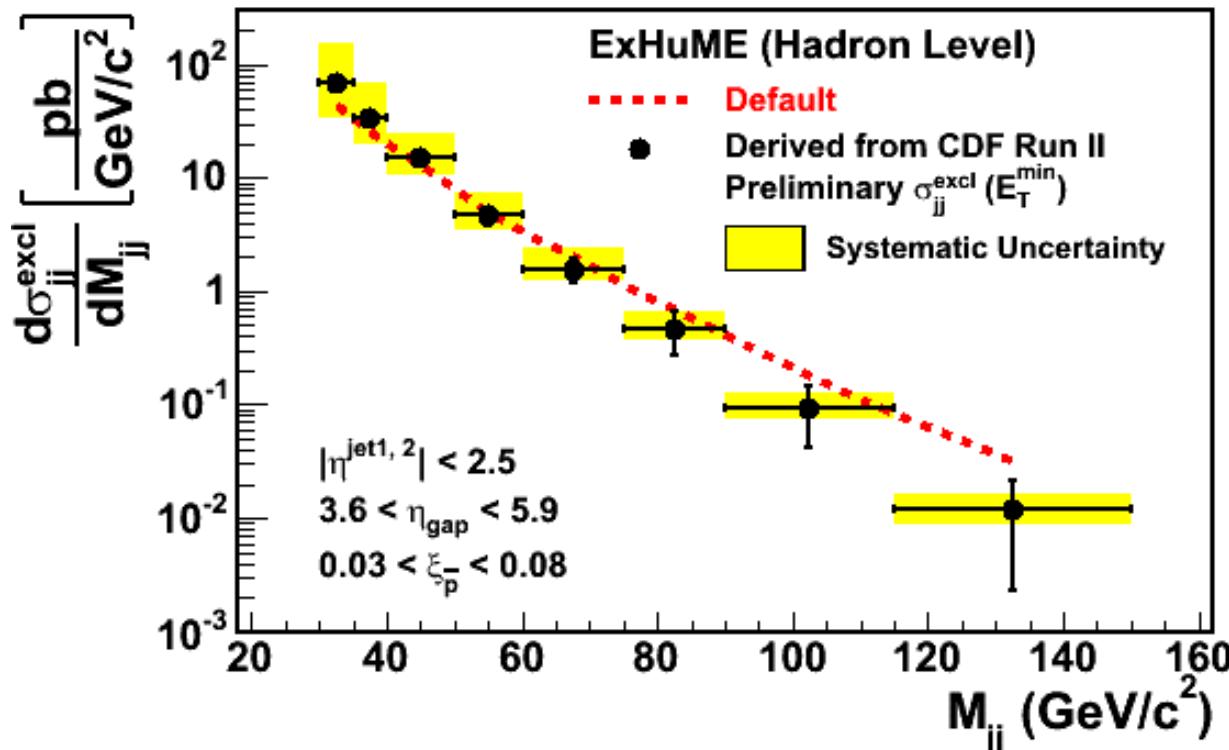
Exclusive DPE in DPEMC (blue)



JJ_{excl} : cross section predictions

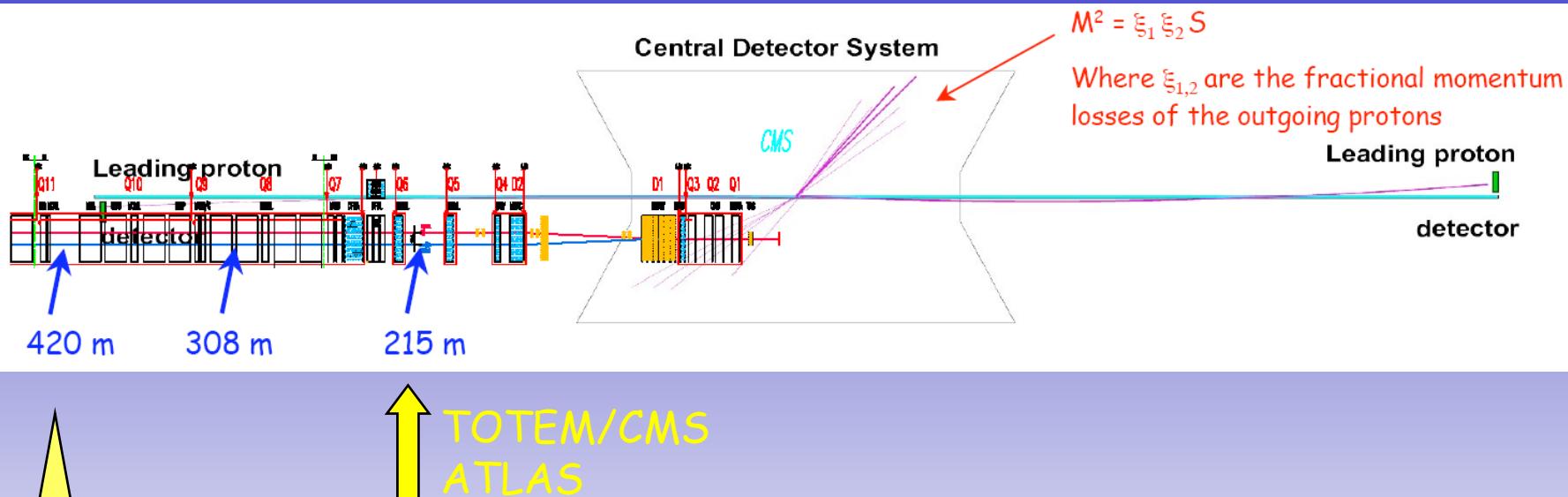
ExHuME Hadron-Level Differential Exclusive Dijet Cross Section vs Dijet Mass
(dotted/red): Default ExHuME prediction

(points): Derived from CDF Run II Preliminary excl. dijet cross sections



Statistical and systematic errors are propagated from measured cross section uncertainties using ExHuME M_{jj} distribution shapes.

Looking forward @ LHC



FP420 project: <http://www.fp420.com/>

Measure protons at 420 m from the IP during normal high luminosity running to be used in conjunction with CMS and ATLAS

Feasibility study and R&D for Roman Pot detector development

- Physics aim : $pp \rightarrow p + X + p$ (Higgs, New physics, QCD studies)
- Status: Project funded by the UK

Summary

TEVATRON - what we have learnt

- M^2 - scaling
- Non-suppressed double-gap to single-gap ratios
- ➔ Pomeron: composite object made up from underlying pdf's subject to color constraints

LHC - what to do

- Elastic and total cross sections & p-value
- High mass ($\rightarrow 4 \text{ TeV}$) and multi-gap diffraction
- Exclusive production (FP420 project)
 - ➔ Reduced bgnd for std Higgs to study properties
 - ➔ Discovery channel for certain Higgs scenarios