Diffractive x-sections and event final states at the LHC

Expanded talk presenter at DIFFRACTION DAY 7 May 2010 CERN



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## Forward physics @ LHC workshop 27-29 May 2010 Elba

## OUTLINE

Describe a phenomenology based on pre-LHC results and use it to:

- make predictions for LHC
- suggest measurements to confirm / modify parameters
- suggest scheme to be implemented in MC simulations
- propose method to measure luminosity

Current MC generators: unreliable for extrapolations to LHC

- MC tuning 
   based on multi-parameter tuning of ill-defined event topologies
- Solution: use nested x-sections

#### **Contents**

- □ define diffractive x-section event topologies
  - → nested diffractive gaps
- describe in terms of proton pdf''s and QCD color factors
- $\Box$  normalize to guarantee unitarity  $\rightarrow$  renormalization model

## REMARKS

□ MC generators inadequate:

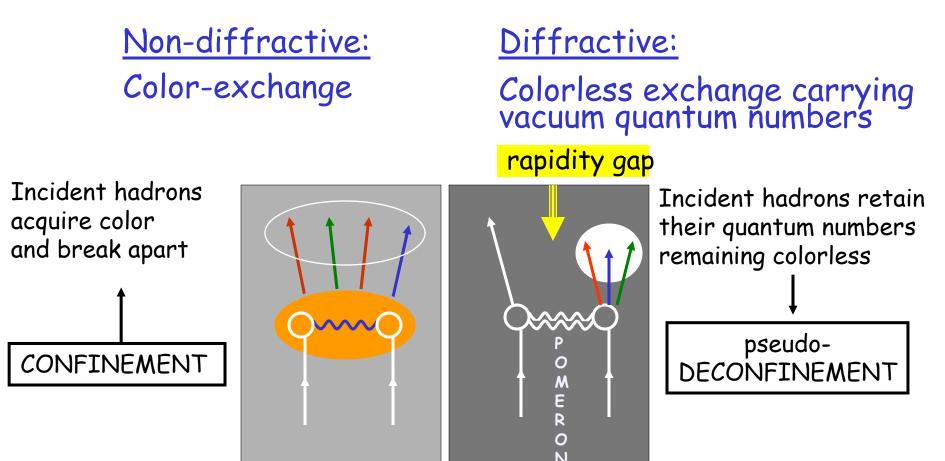
→ e.g. PYTHIA and PHOJET predictions of diffractive processes disagree with each other and with data.

 Diffractive factorization at HERA? Breakdown observed in, e.g. <u>Vector mesons:</u> σ vs. W, b-slopes of t-distributions <u>Dijets:</u> E<sub>T</sub><sup>jet</sup> dependence, resolved vs. direct components, ...

- **RENORM model: describes both p(pbar)-p and**  $\gamma(\gamma*)$ -**p**
- Luminosity measurement: requires a known x-section

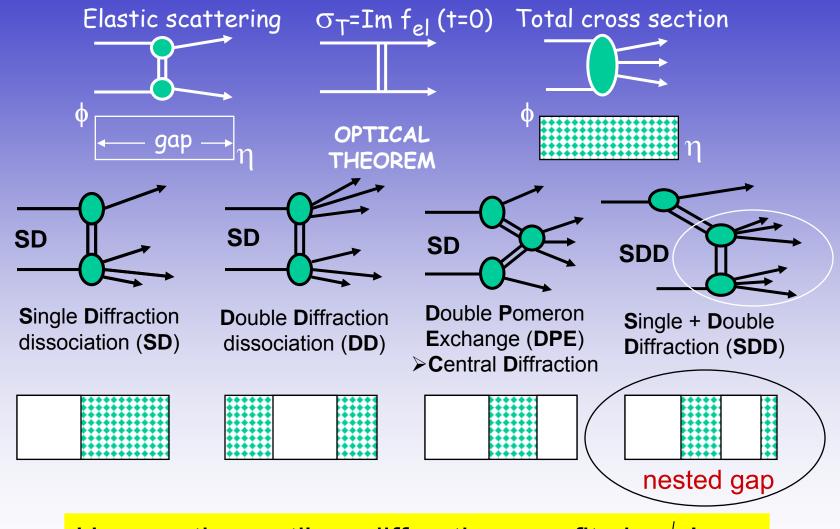
suggest SD – well defined and slowly varying

# p-p Interactions



Goal: understand the QCD nature of the diffractive exchange

## Diffractive pp(pp) processes @ CDF



Use nesting until no diffractive gap fits in  $\sqrt{s'}$ 

A bit of history...

#### Diffraction in the70s -> the Pomeron unveiled!



#### (*right*) $\rightarrow$ Greg Snow on violin (Ph.D thesis: first observation of diffractive $\gamma$ dissociation)

## More history Elba 2000

LEAD PLATES LIQUID SCINTILLATOR



Proposed Forward Calorimeters for CDF-II

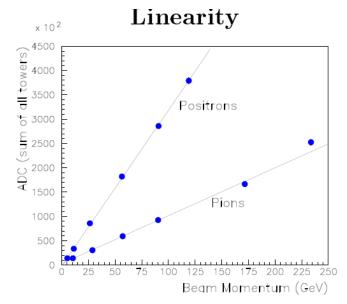
K. Goulianos<sup>a</sup>, S. Lami<sup>a</sup>

<sup>a</sup> The Rockefeller University, New York, NY 10021, USA

Presented by: K. Goulianos WLS - FIBER Delrin optical connector (MCPMT "cookie") Ŧ BEAM MCPMT Ŧ Valve for filling



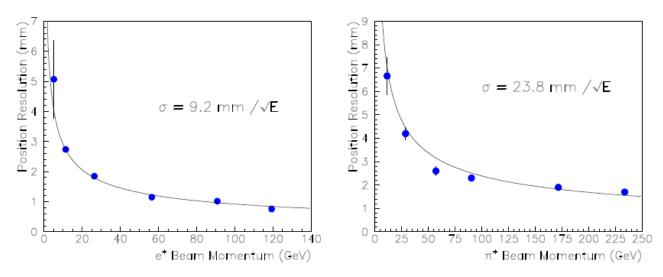
#### The CDF MiniPlugs



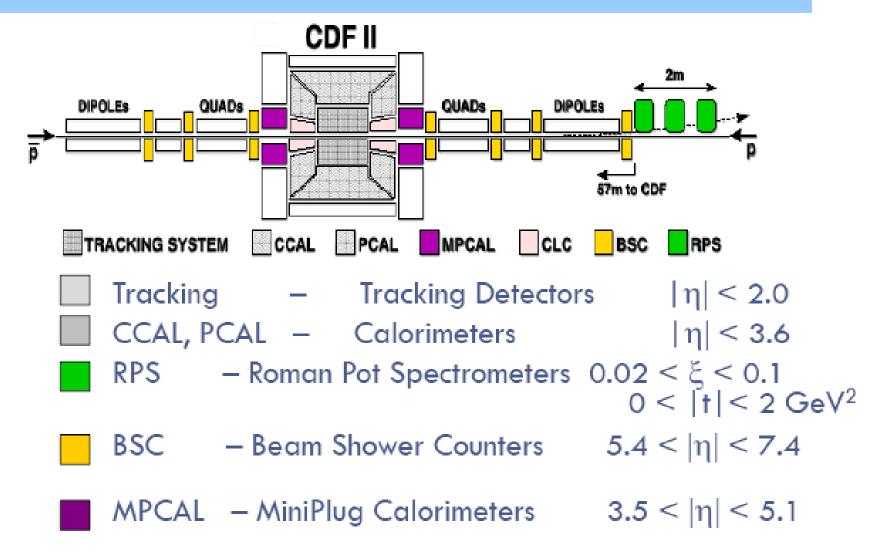
#### Position Resolution

Electrons

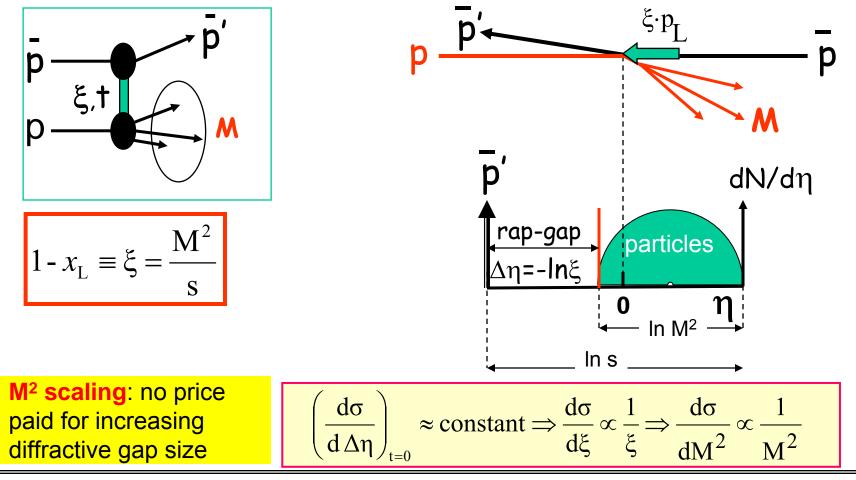
Pions



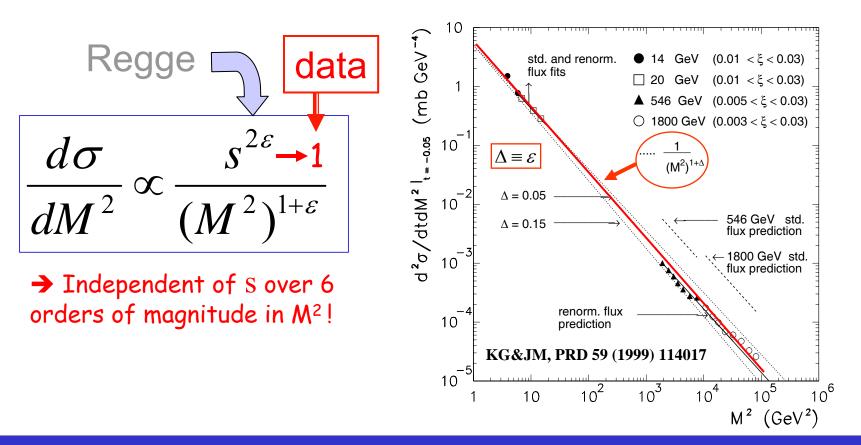
## The CDF II Detector



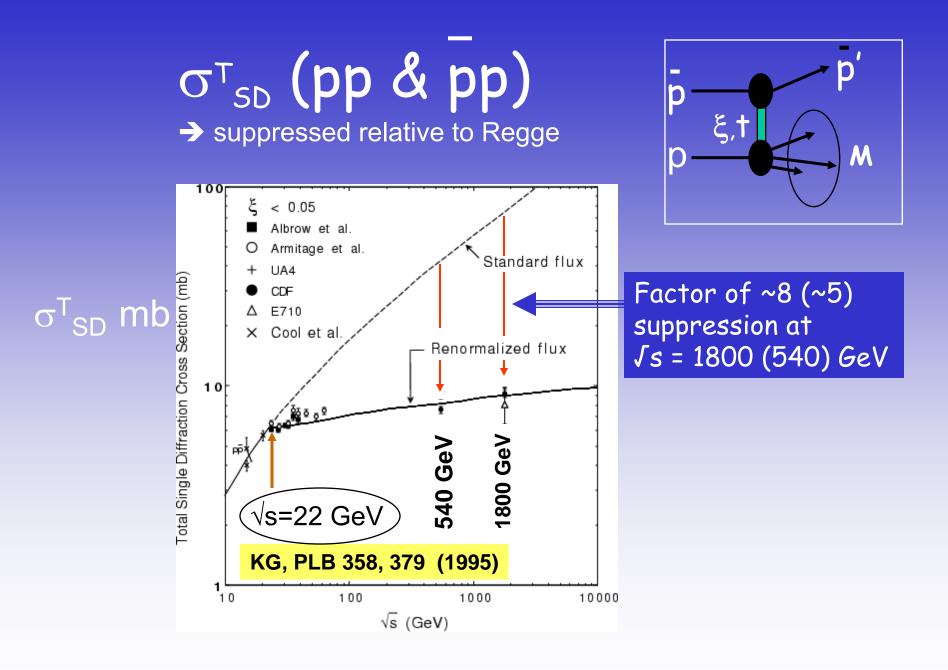




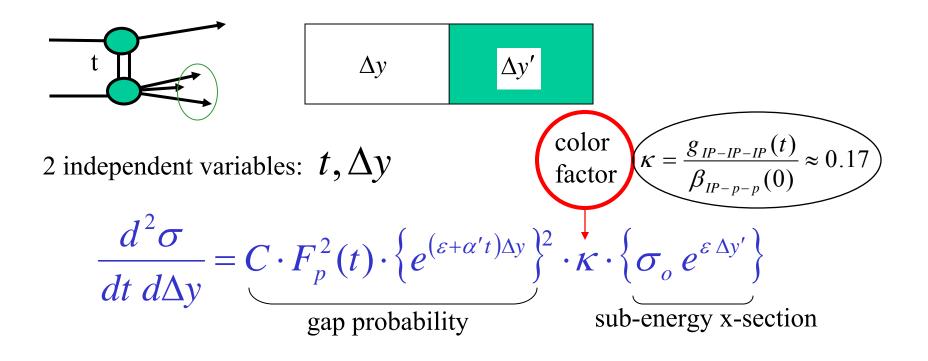
## M<sup>2</sup> scaling → $d\sigma/dM^2|_{t=-0.05}$ independent of s over 6 orders of magnitude!



 $\rightarrow$  factorization breaks down to ensure M<sup>2</sup> scaling - why?



# **Single Diffraction**



#### Gap probability MUST be normalized to unity!

# Single diffraction (re)normalized

$$\frac{d^2\sigma}{dt\,d\Delta y} = N_{gap} \cdot \underbrace{C \cdot F_p^2(t) \cdot \left\{e^{(\varepsilon + \alpha' t)\Delta y}\right\}^2}_{P_{gap}(\Delta y, t)} \cdot \kappa \cdot \left\{\sigma_o e^{\varepsilon \Delta y'}\right\}$$

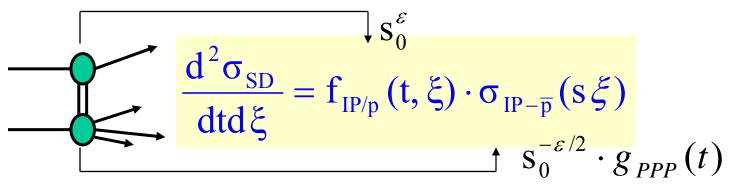
$$N_{gap}^{-1}(s) = \int_{\Delta y,t} P_{gap}(\Delta y,t) \, d\Delta y \, dt \xrightarrow{s \to \infty} C' \cdot \frac{s^{2\varepsilon}}{\ln s}$$

$$\frac{d^{2}\sigma}{dt \ d\Delta y} = C'' \left[ e^{\varepsilon(\Delta y - \ln s)} \cdot \ln s \right] e^{(b_{0} + 2\alpha' \Delta y)t}$$
Grows slower than  $s^{\varepsilon}$ 

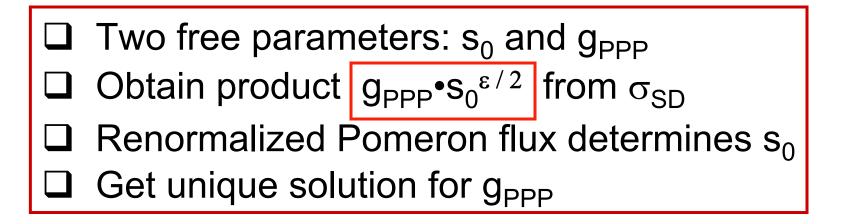
 $\rightarrow$  Pumplin bound obeyed at all impact parameters

## Unitarity and Renormalization

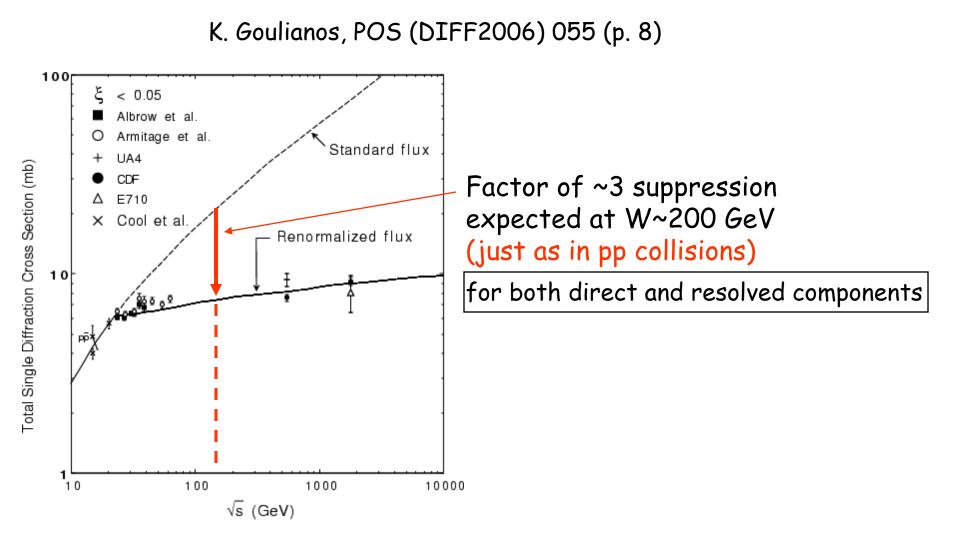
Pomeron flux  $\rightarrow$  gap probability Set to unity – determines g<sub>PPP</sub> and s<sub>0</sub> KG, PLB 358 (1995) 379



Pomeron-proton x-section

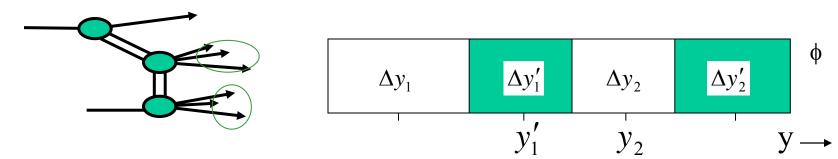


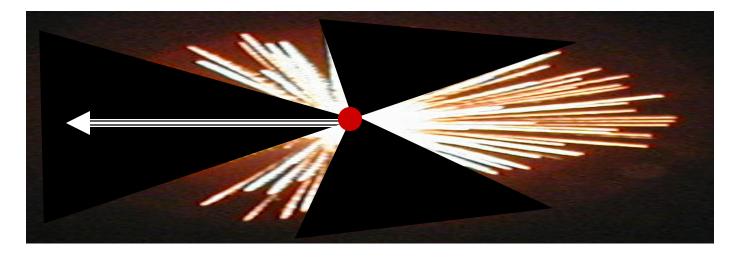
## Dijets in yp at HERA from RENORM



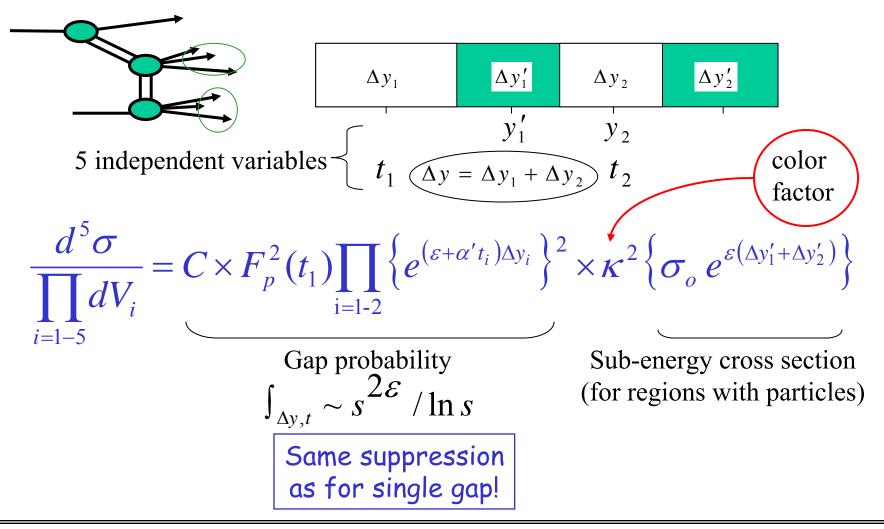
## **Multi-gap Diffraction**

### (KG, hep-ph/0205141)





## **Multi-gap Cross Sections**

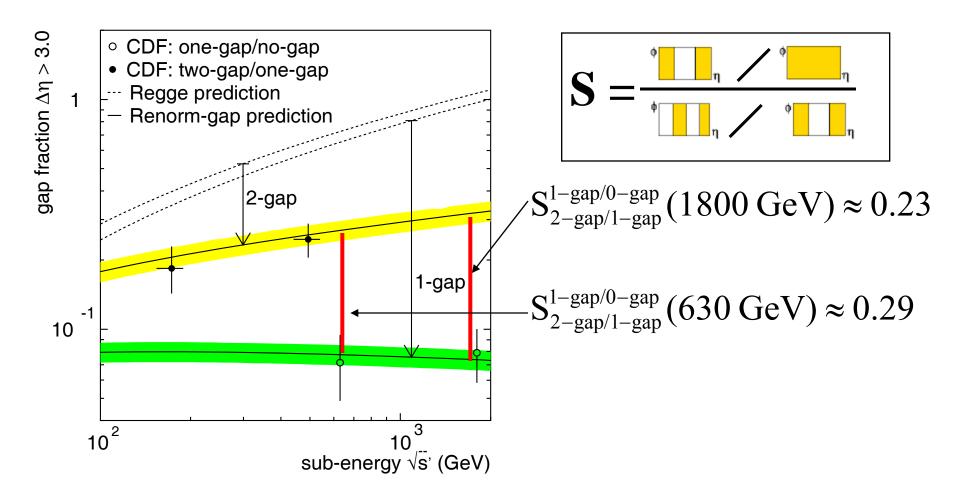


## Rapidity Gaps in Fireworks

fwd@LHC 27-29 May 2010 ElbaDiffractive x-sections and event final states at the LHCK. Goulianos19

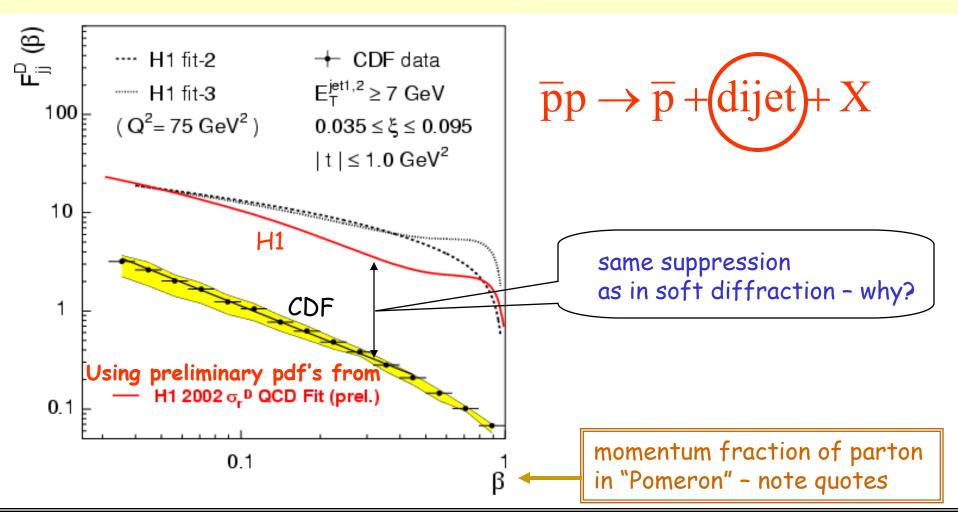
With Street or No. 1

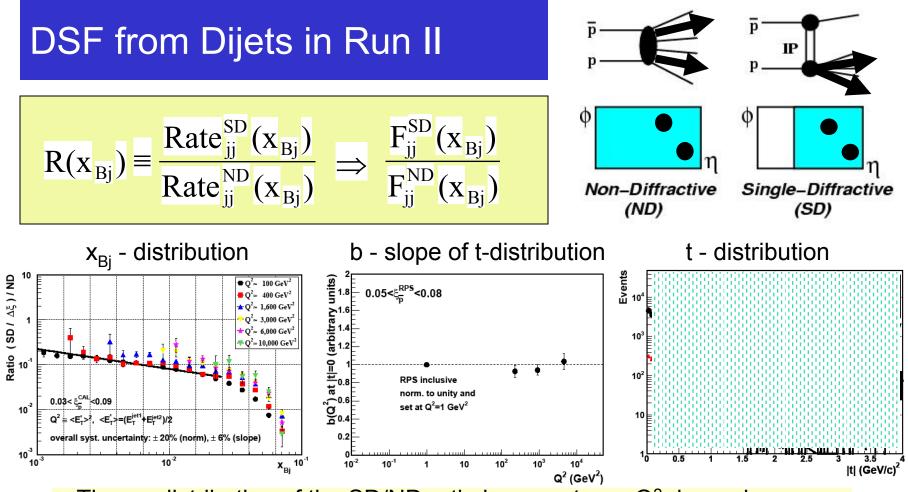
## "Gap survival probability"



# Diffractive Structure Function breakdown of QCD factorization !

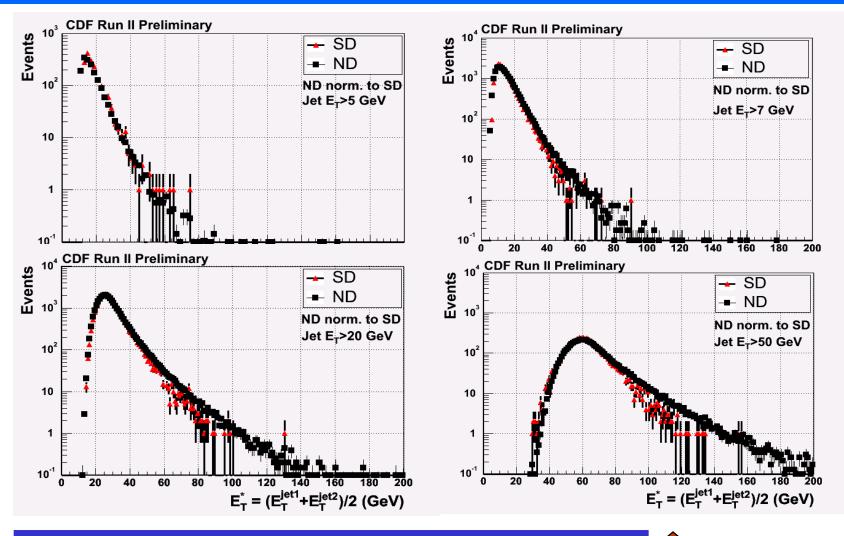
## Diffractive Structure Function Breakdown of QCD factorization





- The x<sub>Bi</sub>-distribution of the SD/ND ratio has no strong Q<sup>2</sup> dependence
- the slope of the t-distribution is independent of Q<sup>2</sup>
- the t-distribution ?????? diffraction minimum ??????

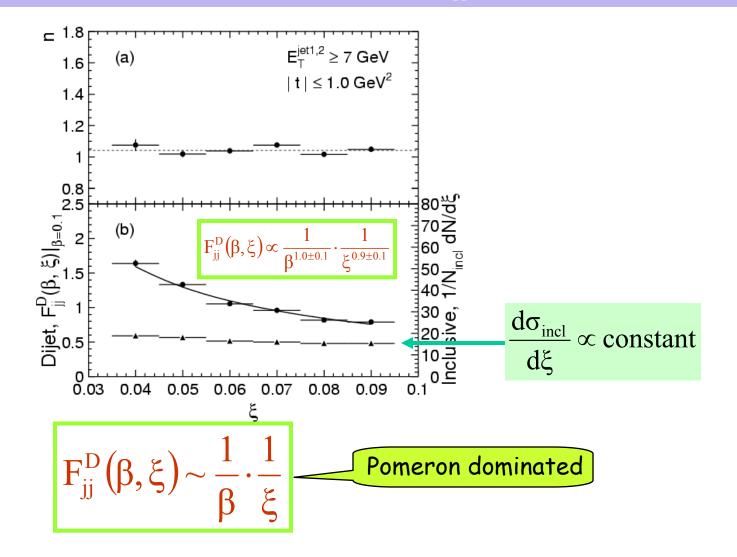
## Dijet E<sub>T</sub> distributions



→ similar for SD and ND over 4 orders of magnitude

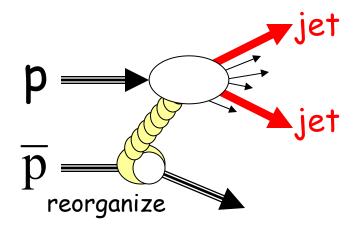
Kinematics

# $\xi \& \beta$ dependence of $F^{D}_{ii}$ – Run I



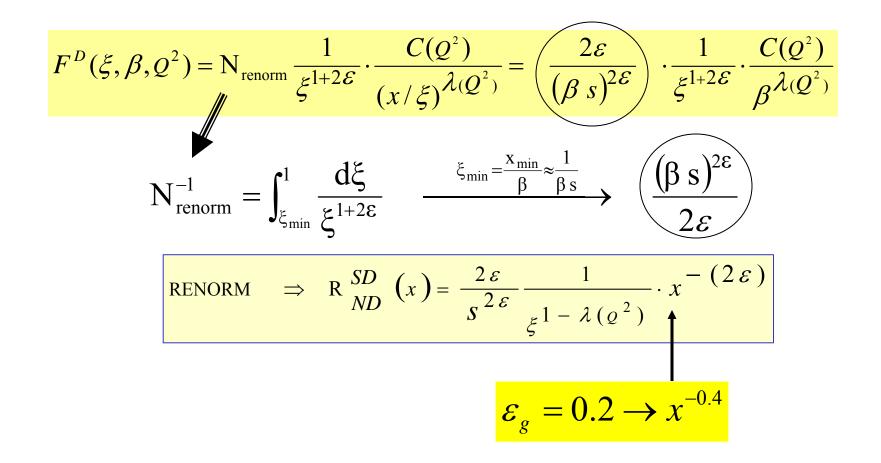
# hard diffraction phenomenology → for your thought !

## Diffractive dijets @ Tevatron

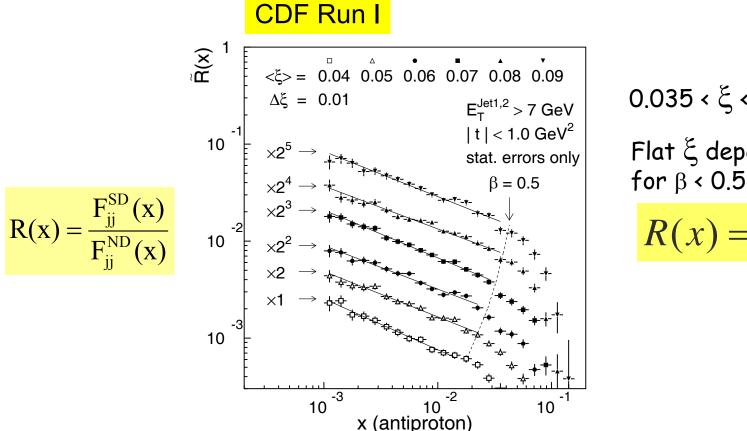


$$F^{D}(\xi, x, Q^{2}) \propto \frac{1}{\xi^{1+2\varepsilon}} \cdot F(x/\xi, Q^{2})$$

# F<sup>D</sup><sub>JJ</sub>(ξ,β,Q<sup>2</sup>) @ Tevatron



# SD/ND dijet ratio vs. x<sub>Bi</sub>@ CDF

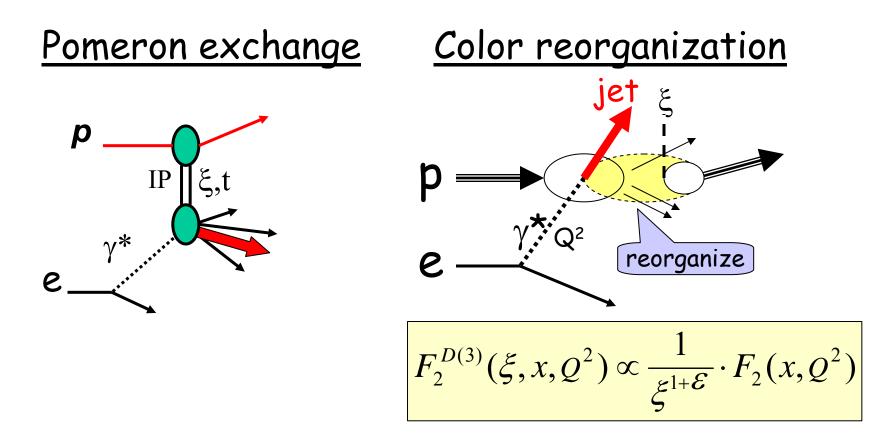


0.035 < ζ < 0.095 Flat  $\xi$  dependence

$$R(x) = x^{-0.45}$$

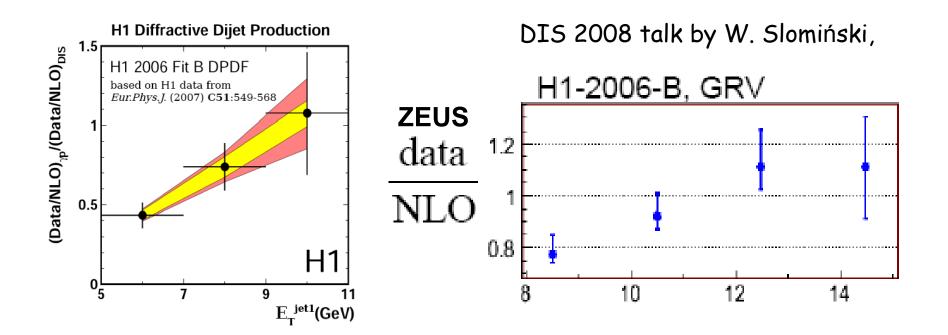
## Diffractive DIS @ HERA

J. Collins: factorization holds (but under what conditions?)



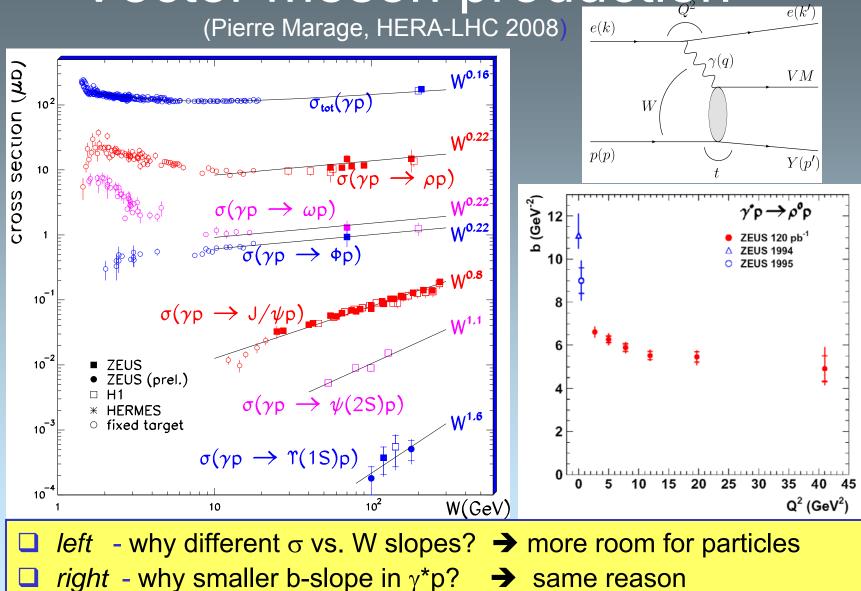
### **Results favor color reorganization**

## Dijets in yp at HERA - 2008

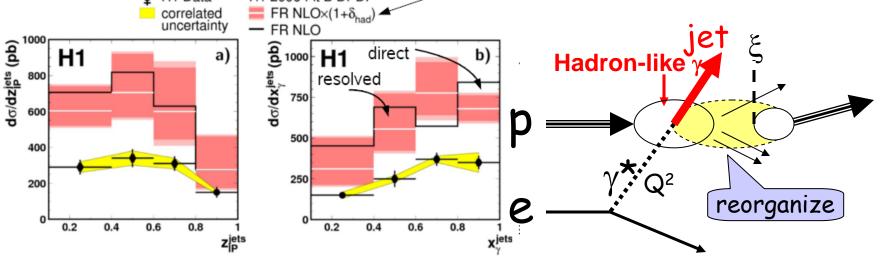


■ 20-50 % apparent rise when  $E_T^{jet} 5 \rightarrow 10 \text{ GeV}$ → due to suppression at low  $E_T^{jet} !!!$ 

## Vector meson production



### Dijets in γp at HERA – 2007 Dijets in γp Direct vs. resolved H1 Diffractive Dijet Photoproduction H1 Data H1 2006 Fit B DPDF Gorrelated H1 2006 Fit B DPDF



❑ the reorganization diagram predicts:
 → suppression at low Z<sub>IP</sub><sup>jets</sup>, since larger Δη is available for particles
 → same suppression for direct and resolved processes

# more phenomenology for your thought, again!

## $\sigma^{\text{sd}}$ and ratio of $\alpha'\!/\epsilon$

#### PHYSICAL REVIEW D 80, 111901(R) (2009)

#### Pomeron intercept and slope: A QCD connection

Konstantin Goulianos

$$\frac{d^2 \sigma_{\rm sd}(s, M^2, t)}{dM^2 dt} = \left[\frac{\sigma_{\circ}}{16\pi} \sigma_{\circ}^{\rm pp}\right] \frac{s^{2\epsilon}}{N(s)} \frac{1}{(M^2)^{1+\epsilon}} e^{bt}$$

$$\stackrel{s \to \infty}{\Rightarrow} \left[2\alpha' e^{(\epsilon b_0)/\alpha'} \sigma_{\circ}^{\rm pp}\right] \frac{\ln s^{2\epsilon}}{(M^2)^{1+\epsilon}} e^{bt}$$

$$\sigma_{pp/\bar{p}p}^{\rm tot} = \sigma_{\circ} \cdot e^{\epsilon \Delta \eta}.$$

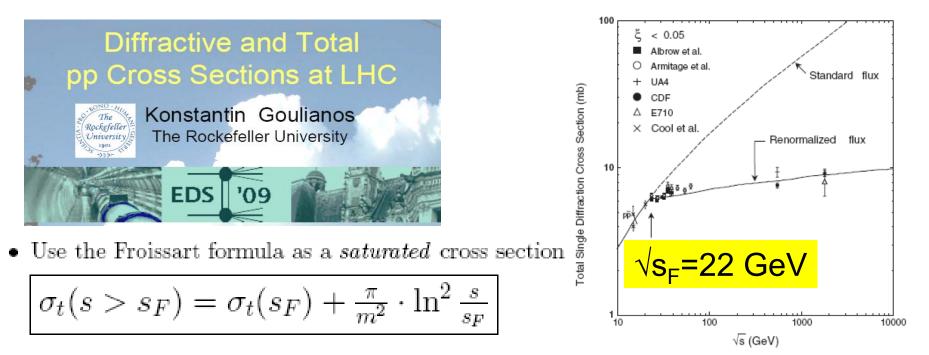
$$\sigma_{\rm sd}^{\rm sd} = 2\sigma_{\circ}^{\rm pp} \exp\left[\frac{\epsilon b_{\circ}}{2\alpha'}\right] = \sigma_{\circ}^{\rm pp}$$

$$\sigma_{\circ}^{\rm sd} = 2\sigma_{\circ}^{\rm pp} \exp\left[\frac{\epsilon b_{\circ}}{2\alpha'}\right] = \sigma_{\circ}^{\rm pp}$$

$$r = \frac{\alpha'}{\epsilon} = -\left[16m_{\pi}^2 \ln(2\kappa)\right]^{-1}$$

$$r_{\rm pheno} = 3.2 \pm 0.4 \ ({\rm GeV}/c)^{-2}$$

$$r_{\rm exp} = 0.25 \ ({\rm GeV}/c)^{-2}/0.08 = 3.13 \ ({\rm GeV}/c)^{-2}$$



- This formula should be valid above the knee in σ<sub>sd</sub> vs. √s at √s<sub>F</sub> = 22 GeV (Fig. 1) and therefore valid at √s = 1800 GeV.
- Use  $m^2 = s_o$  in the Froissart formula multiplied by 1/0.389 to convert it to mb<sup>-1</sup>.
- Note that contributions from Reggeon exchanges at √s = 1800 GeV are negligible, as can be verified from the global fit of Ref. [7].
- Obtain the total cross section at the LHC:

#### SUPERBALL MODEL

$$\sigma_t^{\rm LHC} = \sigma_t^{\rm CDF} + \frac{\pi}{s_o} \cdot \left( \ln^2 \frac{s^{\rm LHC}}{s_F} - \ln^2 \frac{s^{\rm CDF}}{s_F} \right) \qquad \sigma_{14\,000\,{\rm GeV}}^{LHC} = (80 \pm 3) + (29 \pm 12) = 109 \pm 12 \quad {\rm mb}$$

## **Strategy and Conclusion**

## STRATEGY

□  $\sigma^{T}$  from SUPERBALL model □ optical theorem → Im f<sub>el</sub>(t=0) □ dispersion relations → Re f<sub>el</sub>(t=0) □ differential  $\sigma^{SD}$  from RENORM □ use nested pp final states for Pomeron-proton collisions at  $\sqrt{s}$ 

 $\sigma_{T}$  ↓ optical theorem Im f<sub>el</sub>(t=0) ↓ dispersion relations Re f<sub>el</sub>(t=0)

For a phenomenological approach see: K. Goulianos, Phys. Lett. B 193 (1987) 151 pp

# CONCUSION more to come...

## First CMS event

