

# Diffraction and Exclusive (Higgs?) Production from CDF to LHC

Konstantin Goulianos  
The Rockefeller University

Les Rencontres de physique de la Vallée d'Aoste  
4-10 March 2007, La Thuile, Italy

Recent references: presented at "Diffraction 2006"

Diffraction at the Tevatron: CDF results

[http://pos.sissa.it/archive/conferences/035/016/DIFF2006\\_016.pdf](http://pos.sissa.it/archive/conferences/035/016/DIFF2006_016.pdf)

Renormalized diffractive parton densities

[http://pos.sissa.it/archive/conferences/035/044/DIFF2006\\_044.pdf](http://pos.sissa.it/archive/conferences/035/044/DIFF2006_044.pdf)

# OVERVIEW



# The Standard Model



# Contents

- Introduction
- Elastic and Total Cross Sections
- Diffraction
- Exclusive Production

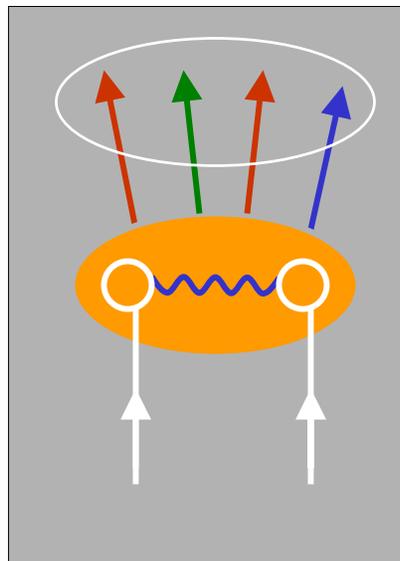
# $\bar{p}$ -p Interactions

Non-diffractive:  
Color-exchange

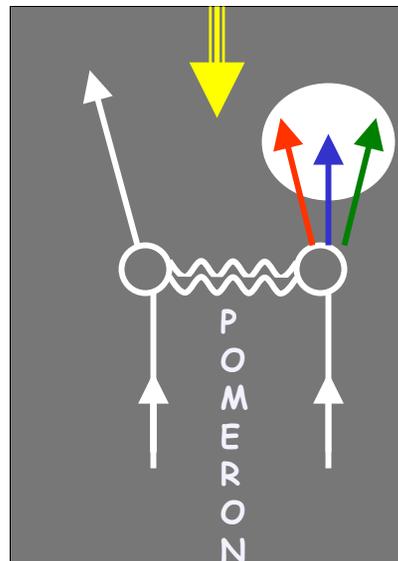
Diffractive:  
Colorless exchange with  
vacuum quantum numbers

rapidity gap

Incident hadrons  
acquire color  
and break apart



CONFINEMENT



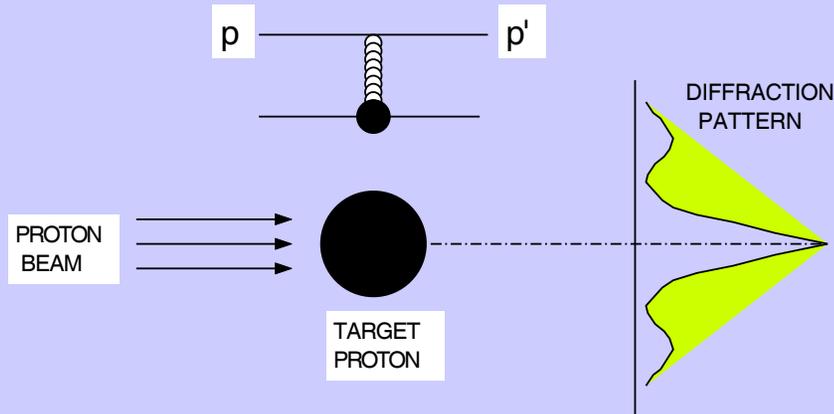
Incident hadrons retain  
their quantum numbers  
remaining colorless

pseudo-  
DECONFINEMENT

Goal: understand the QCD nature of the diffractive exchange

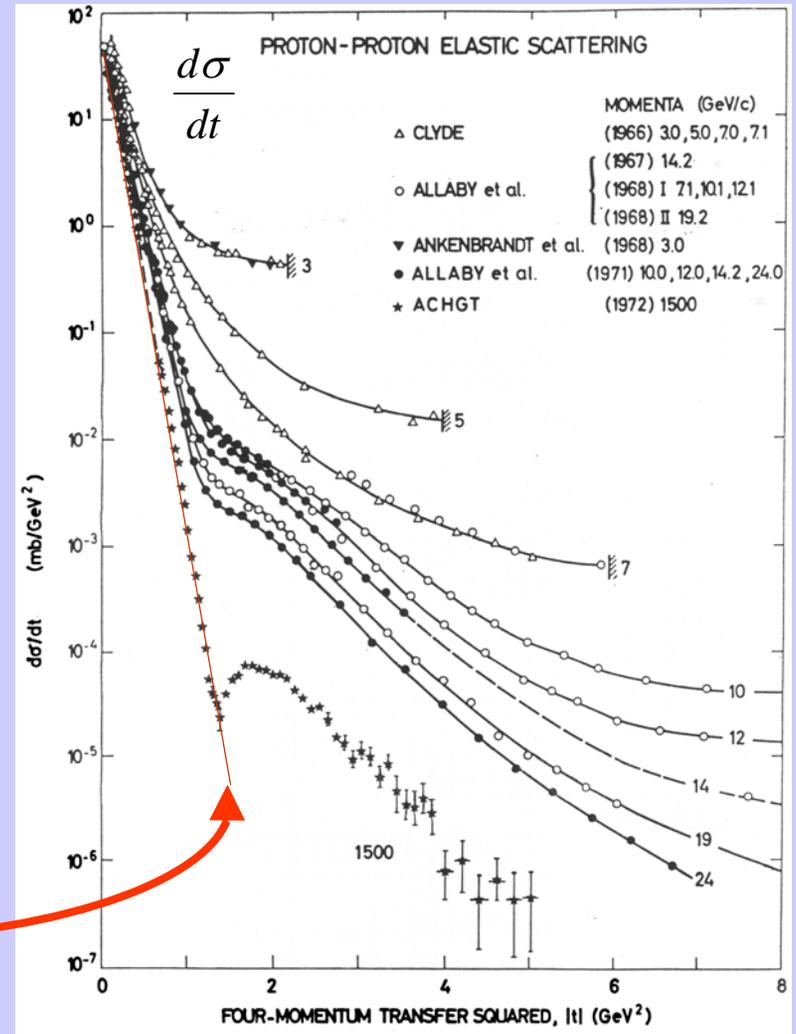
# Elastic Scattering

## PROTON-PROTON ELASTIC SCATTERING

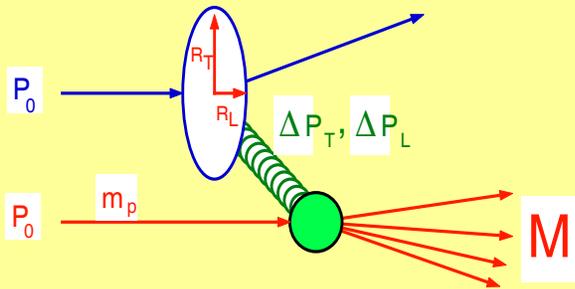


$$\frac{d\sigma}{dt} \sim e^{bt} \sim e^{-\frac{R^2}{4}(p\theta)^2}$$

$$R = \frac{1}{m_\pi} \Rightarrow b \approx 13 \left( \frac{\text{GeV}}{c} \right)^{-2}$$



# Diffraction Dissociation



Momentum loss fraction

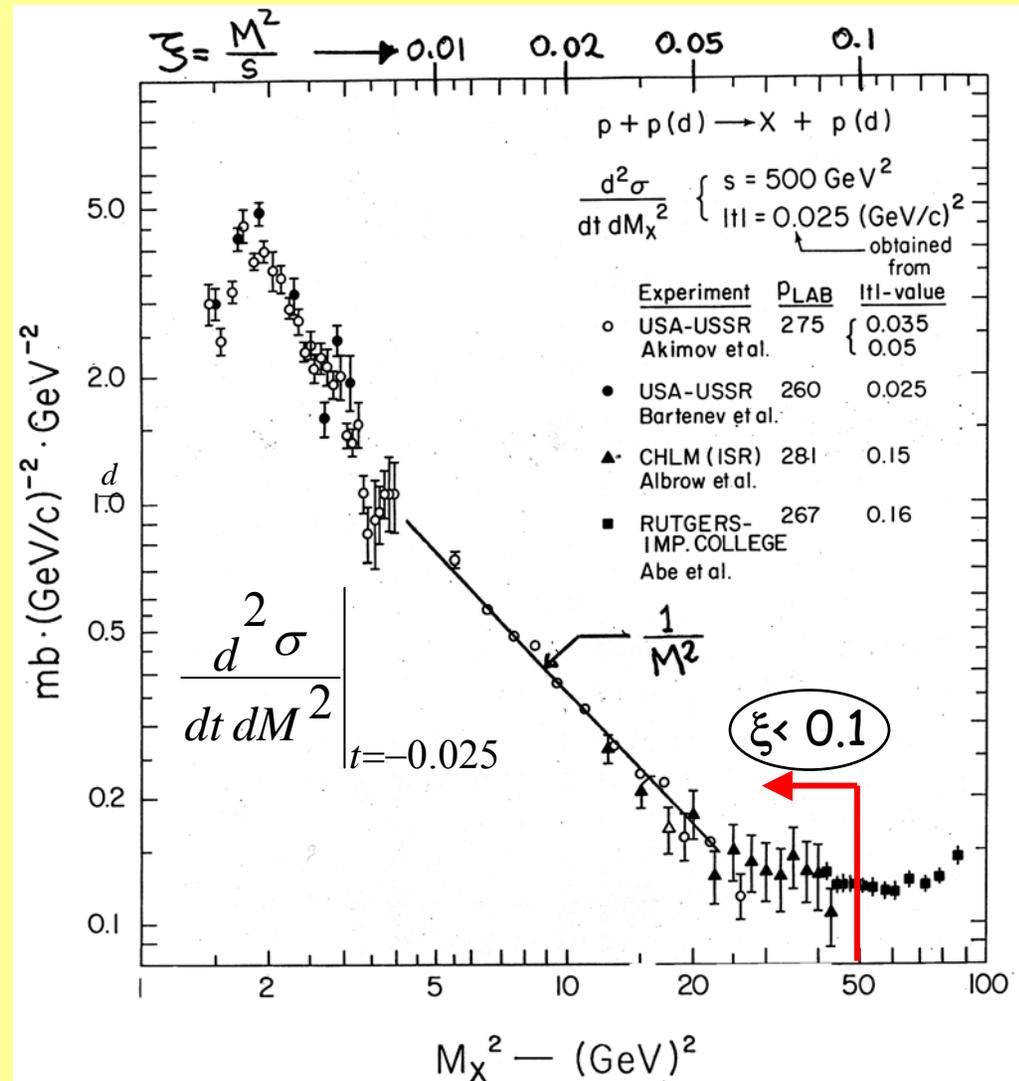
$$\xi = \frac{\Delta P_L}{P_L} = \frac{M^2}{s}$$

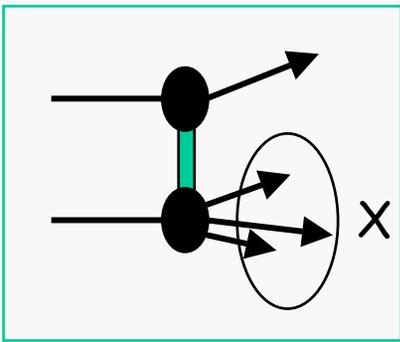
COHERENCE CONDITION

$$\xi < \frac{m_\pi}{m_p} \approx 0.1$$

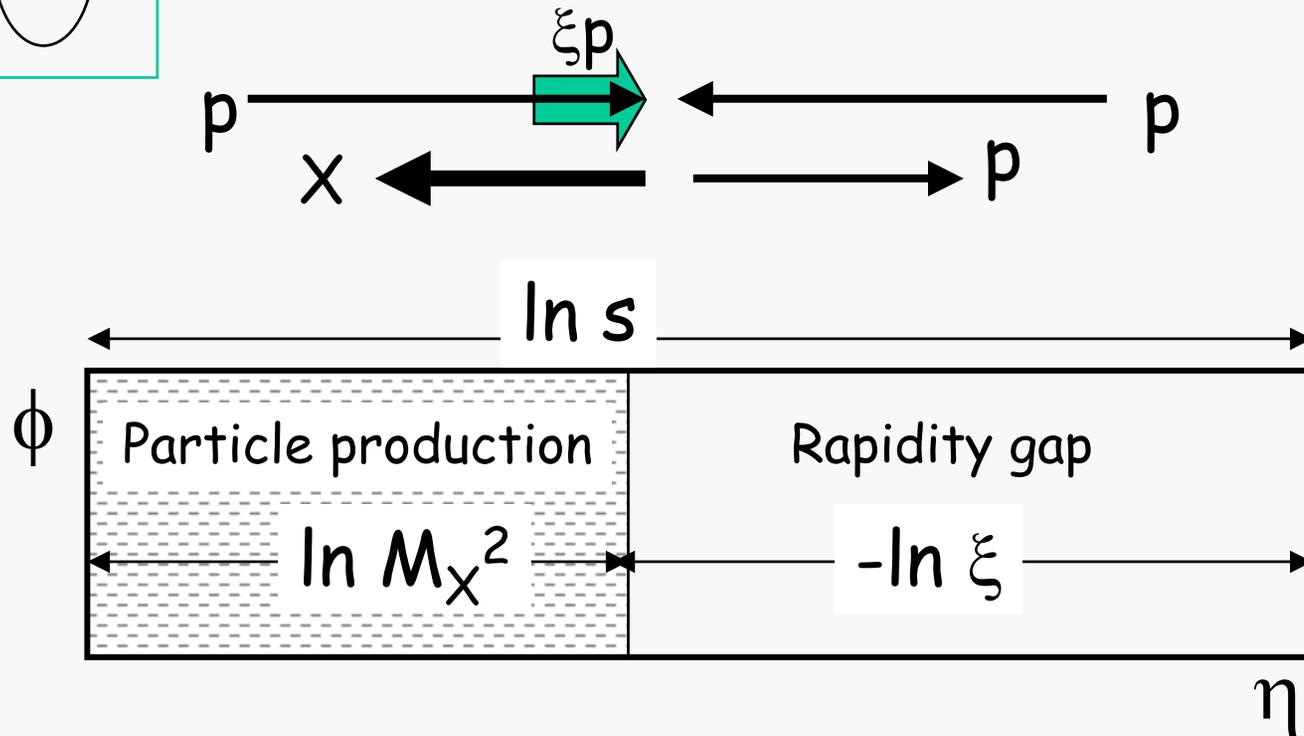
Tevatron  $M \rightarrow 0.6 \text{ TeV}$   
LHC  $\rightarrow 4.4 \text{ TeV}$

But why  $\frac{d\sigma}{dM^2} \sim \frac{1}{M^2}$  ?





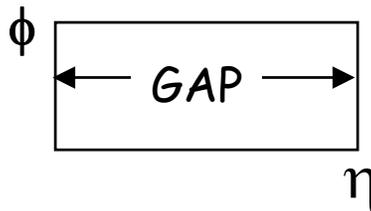
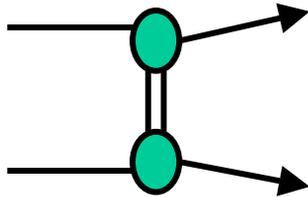
# Rapidity Gaps



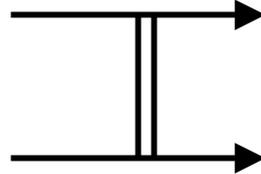
$$\left( \frac{d\sigma}{d\Delta\eta} \right)_{t=0} \approx \text{constant} \Rightarrow \frac{d\sigma}{dM^2} \sim \frac{1}{M^2} \Rightarrow \frac{d\sigma}{d\xi} \sim \frac{1}{\xi}$$

# Diffractive $\bar{p}p$ Processes

Elastic scattering

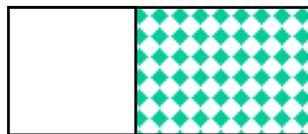
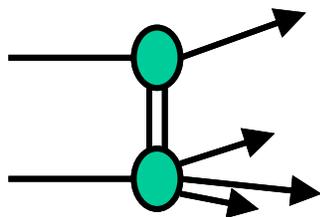
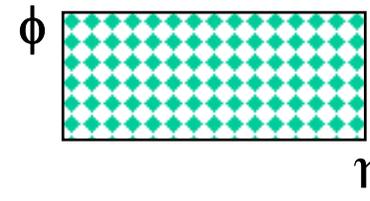
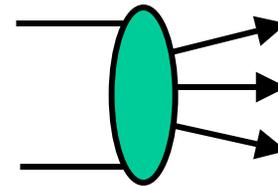


$$\sigma_T = \text{Im } f_{el}(t=0)$$

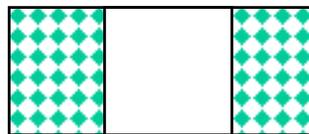
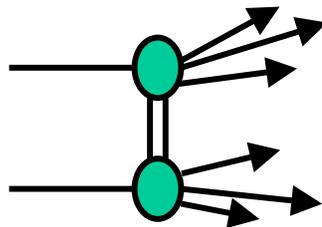


OPTICAL  
THEOREM

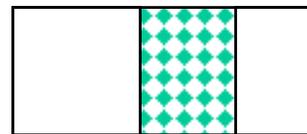
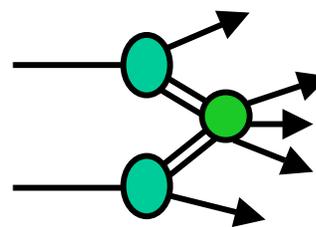
Total cross section



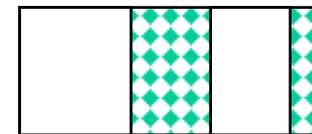
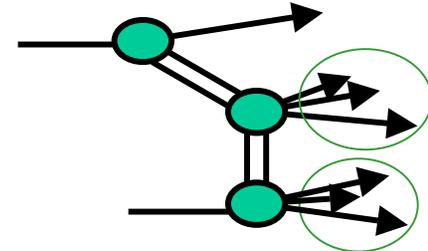
SD



DD

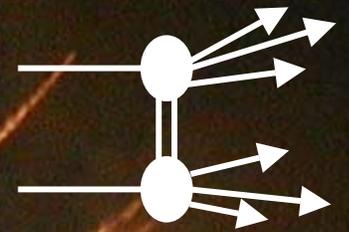


DPE



SDD=SD+DD

# Rapidity Gaps in Fireworks



# The Physics

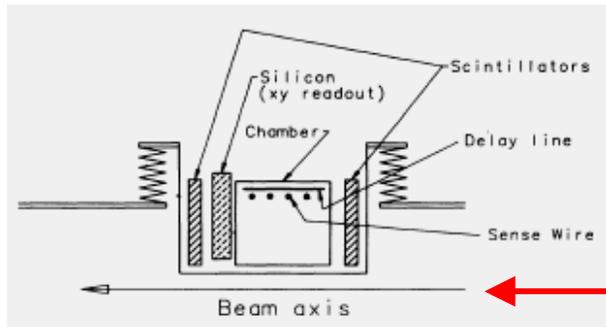
- Elastic and Total Cross Sections:..... $pp \rightarrow pp$  and  $pp \rightarrow X$ 
  - ✓ Fundamental Quantum Mechanics
    - Froissart Unitarity Bound..... $\sigma_T < C \ln^2 s$
    - Optical theorem..... $\sigma_T \sim \text{Im } f(t=0)$
    - Dispersion relations..... $\text{Re } f(t=0) \sim \text{Im } f(t=0)$
    - Is space-time discrete? → Measure  $\sigma_T$  and  $p$ -value at LHC!
  
- Diffraction Dissociation:..... $pp \rightarrow pX, XgX, pXp, pXgX, \dots$ 
  - ✓ Non-perturbative QCD
    - Soft & hard diffraction
    - Factorization
    - Multi-gap diffraction
    - Diffraction in QCD:.....what is the Pomeron?
    - Dark energy?
  
- ✳ Exclusive Production:..... $pp \rightarrow pp+H$  (jet+jet,  $\gamma+\gamma$ , ...,  $H^0$ )
  - ✓ Discovery channel
    - Diffractive Higgs production at the LHC (?)

# Tevatron Experiments

| Exp \ Info                  | Roman Pots | EI | $\sigma_T$ | Soft diffraction | Hard diffraction                                |
|-----------------------------|------------|----|------------|------------------|---|
| E710/811<br>Scint. Counters | p,<br>pbar | x  | x          | sd               |   |
| CDF-0                       | p,<br>pbar | x  | x          | sd               |   |
| CDF-I                       | pbar       |    |            | sd,dd,dpe,sdd    | JJ,b,J/ $\psi$ ,W,JGJ                           |
| CDF-II                      | pbar       |    |            | sd               | JJ,W,Z,JGJ<br>Exclusive JJ, $\gamma\gamma$ ,... |
| DO-I                        |            |    |            |                  | JJ,W,Z,JGJ, ...                                 |
| DO-II                       | p,<br>pbar | x  | x          | sd,dpe,...       | JJ,W,Z,JGJ, ...<br>Exclusive ???                |

# CDF Run 1-0 (1988-89)

Elastic, diffractive, and total cross section  
@ 546 and 1800 GeV

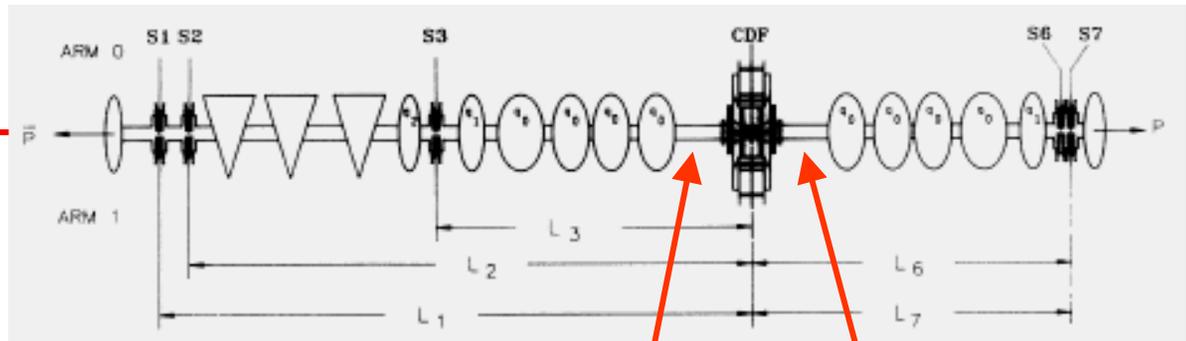


## Roman Pot Detectors

- Scintillation trigger counters
- Wire chamber
- Double-sided silicon strip detector

## Roman Pot Spectrometers

CDF-I

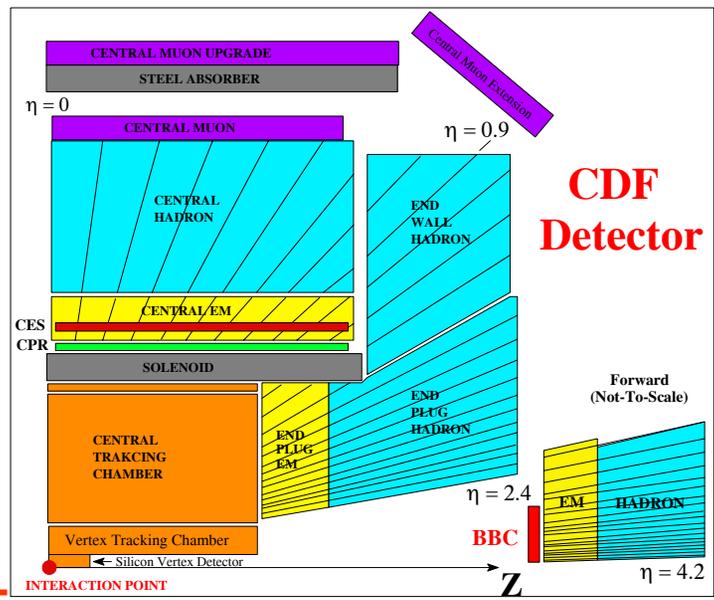
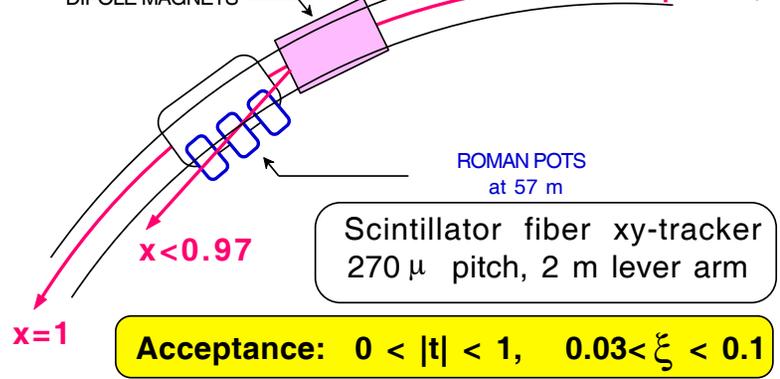
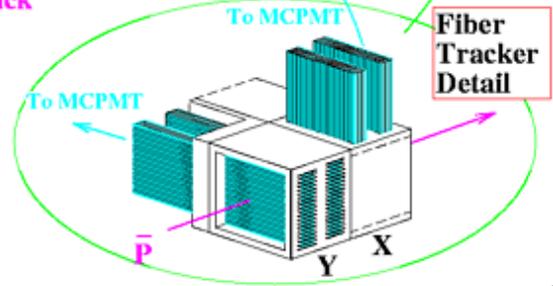
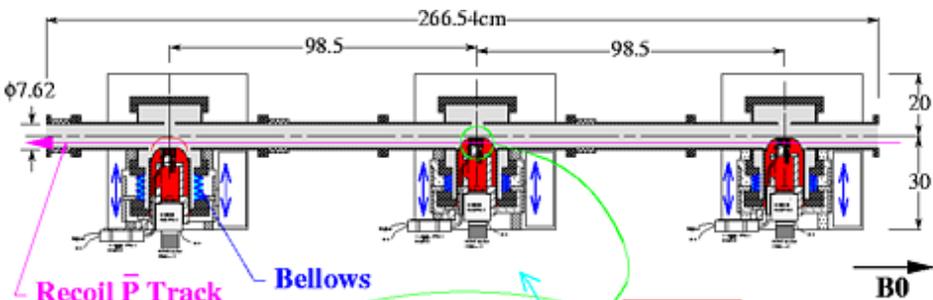


Roman Pots with Trackers  
up to  $|\eta| = 7$

# CDF-I

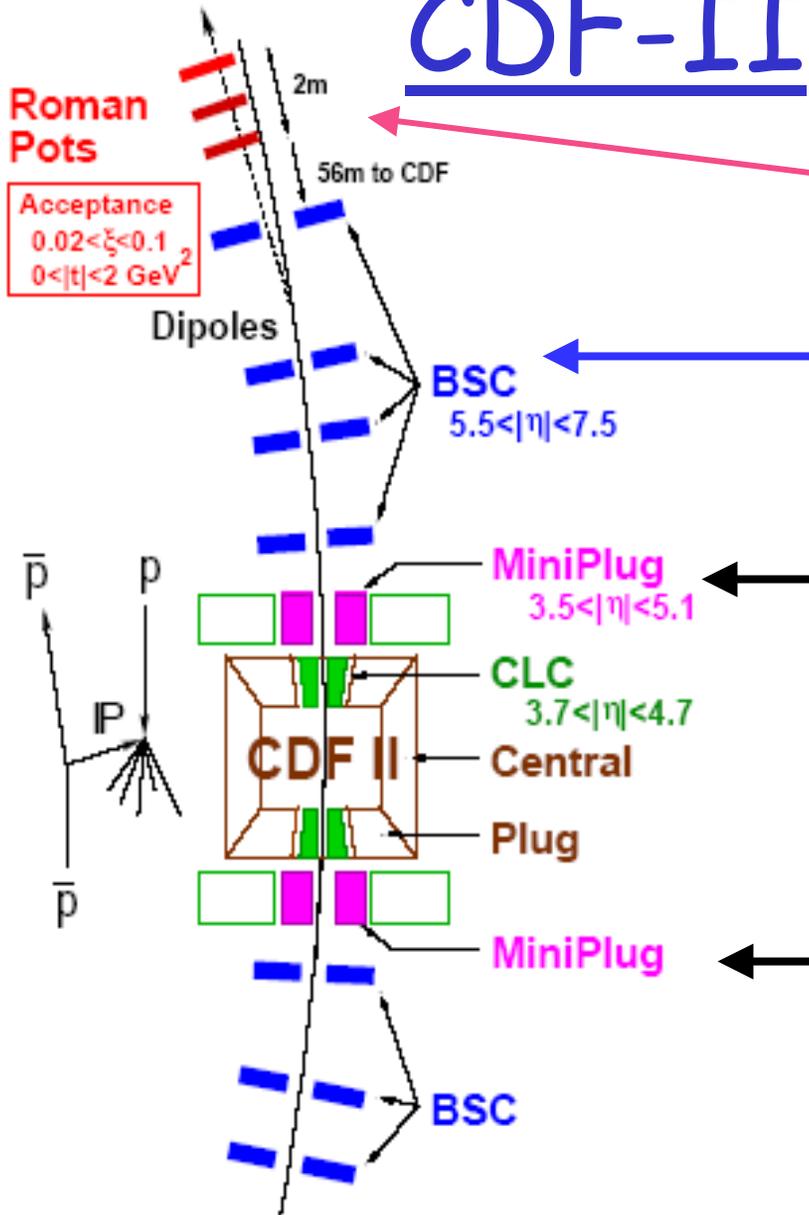
Run-IC

Run-IA,B



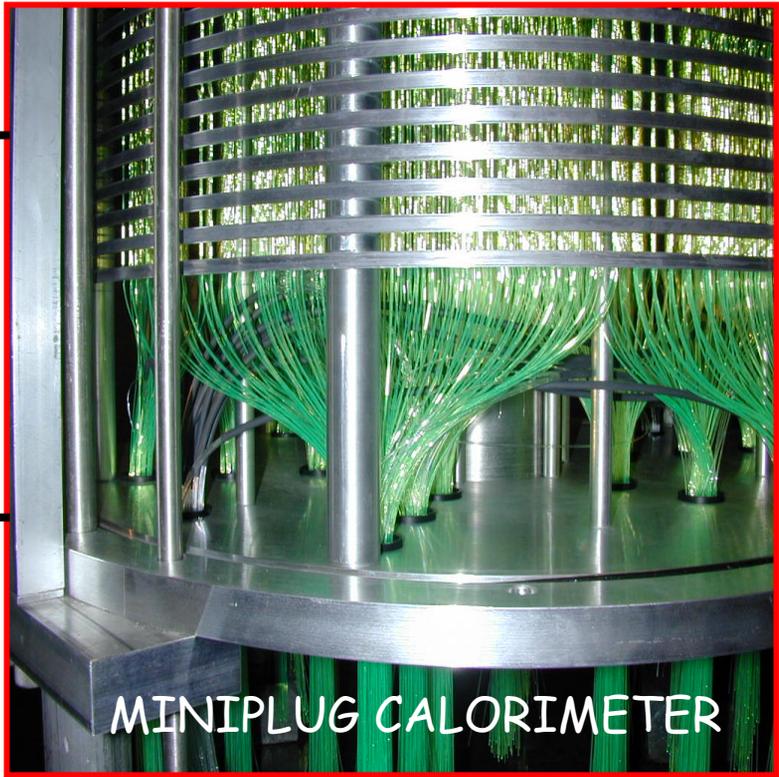
Forward Detectors  
 BBC  $3.2 < \eta < 5.9$   
 FCAL  $2.4 < \eta < 4.2$

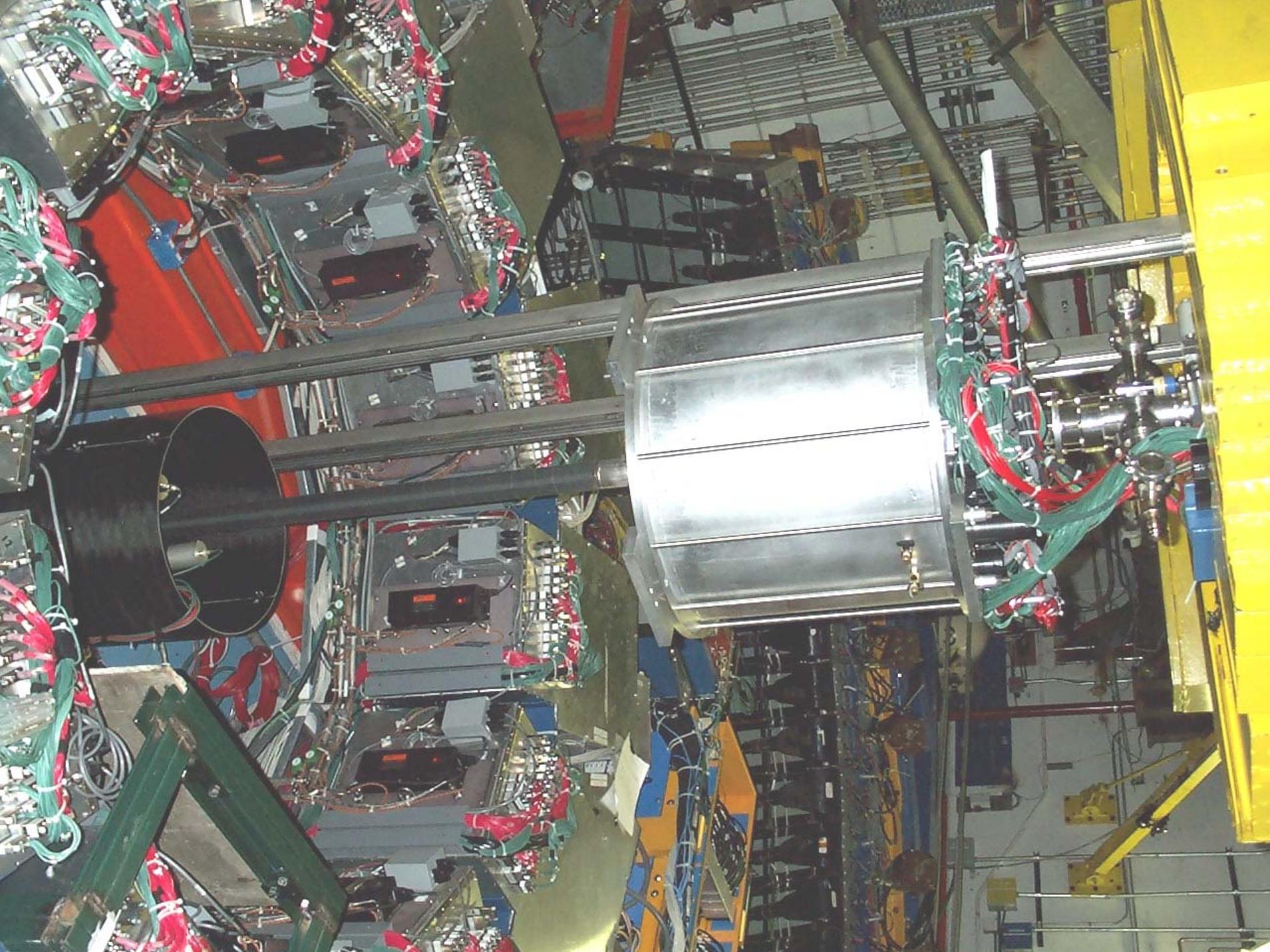
# CDF-II



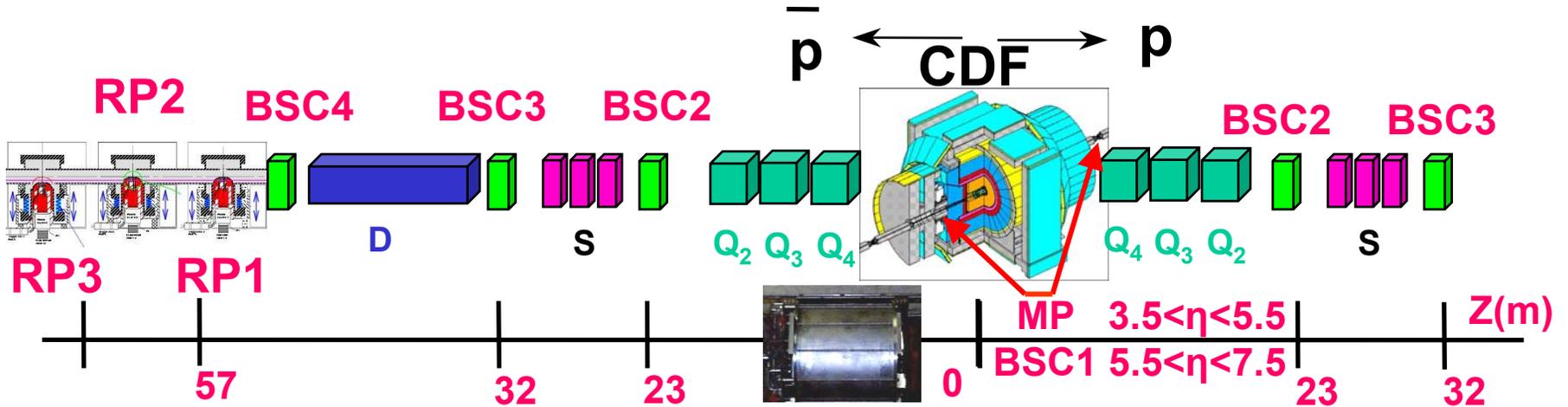
ROMAN POT DETECTORS

BEAM SHOWER COUNTERS:  
Used to reject ND events

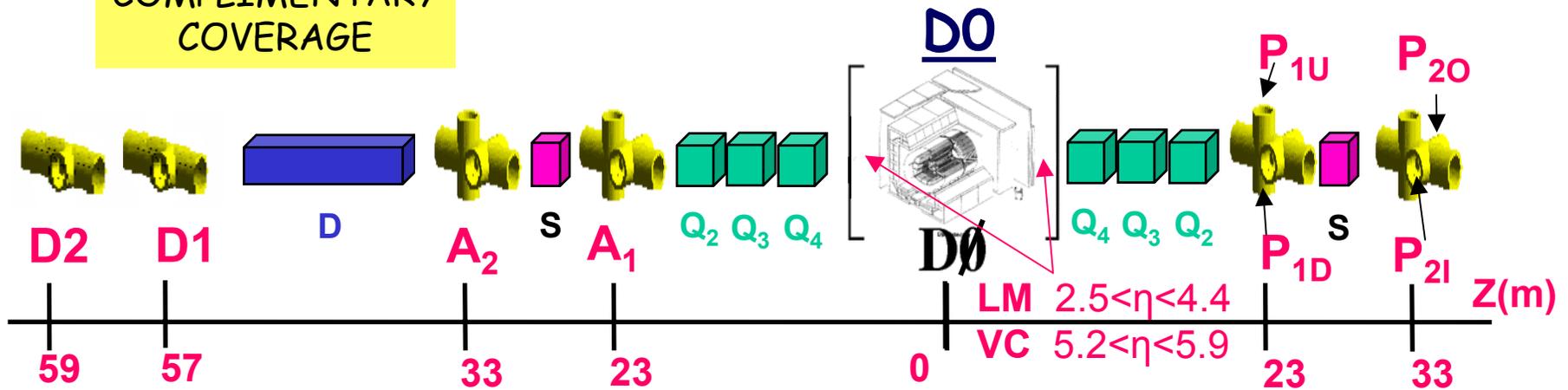




# CDF & D0 - Run II



**CDF & D0  
COMPLIMENTARY  
COVERAGE**



From Barreto's talk in small-x

# ELASTIC AND TOTAL CROSS SECTIONS

@ Tevatron: CDF and E710/811

→ use luminosity independent method ←

$$\sigma_T^2 \sim \frac{1}{L} \frac{1}{1+\rho^2} \left. \frac{dN_{el}}{dt} \right|_{t=0} \quad \& \quad \sigma_T \sim \frac{1}{L} (N_{el} + N_{inel})$$

optical theorem

$$\Rightarrow \quad \sigma_T = \frac{16\pi}{1+\rho^2} \left( \left. \frac{dN_{el}}{dt} \right|_{t=0} \right) \frac{1}{N_{el} + N_{inel}}$$

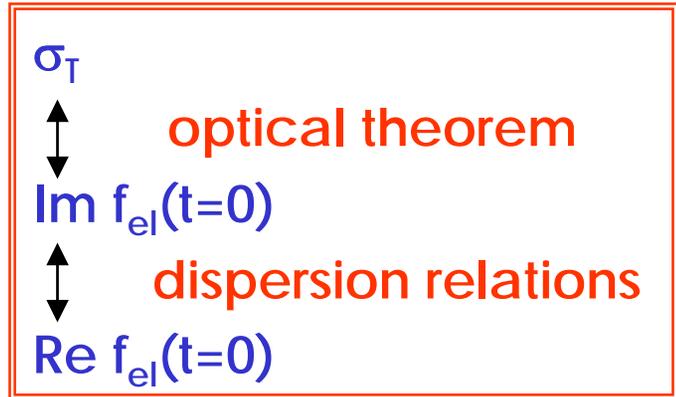
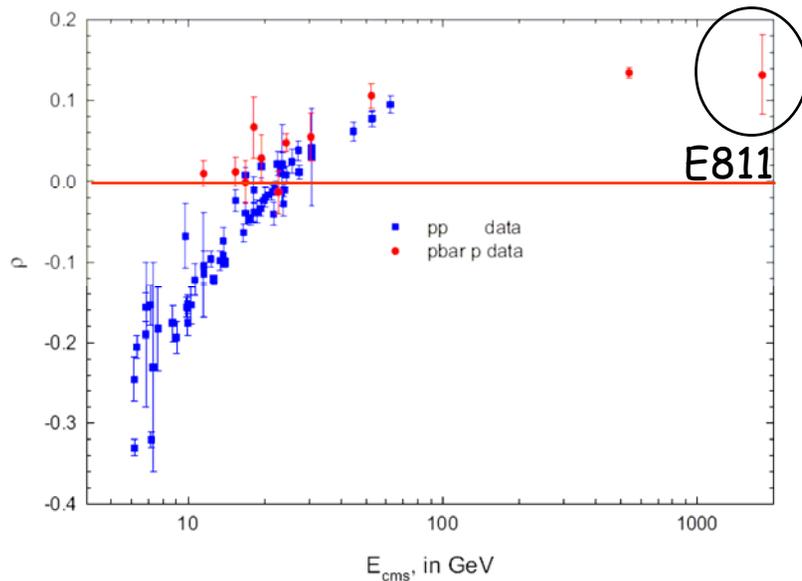
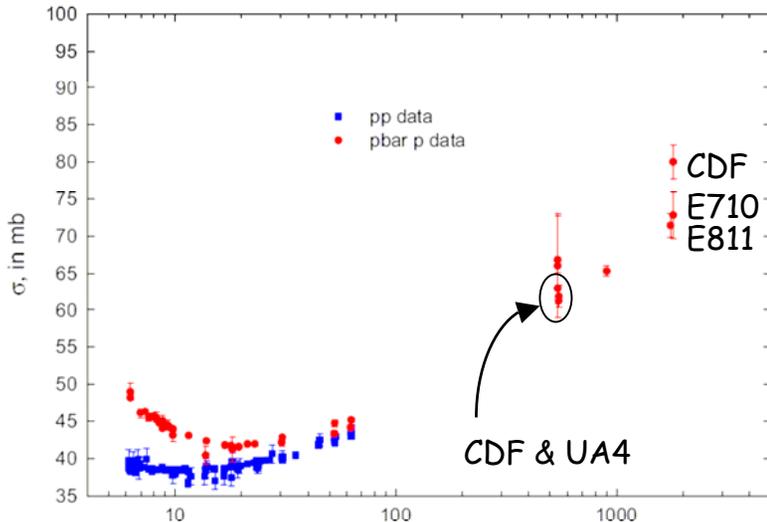
**Alert:**

- background  $N_{inel}$  yields small  $\sigma_T$
- undetected  $N_{inel}$  yields large  $\sigma_T$

# $\sigma_T$ and $\rho$ -values from PDG

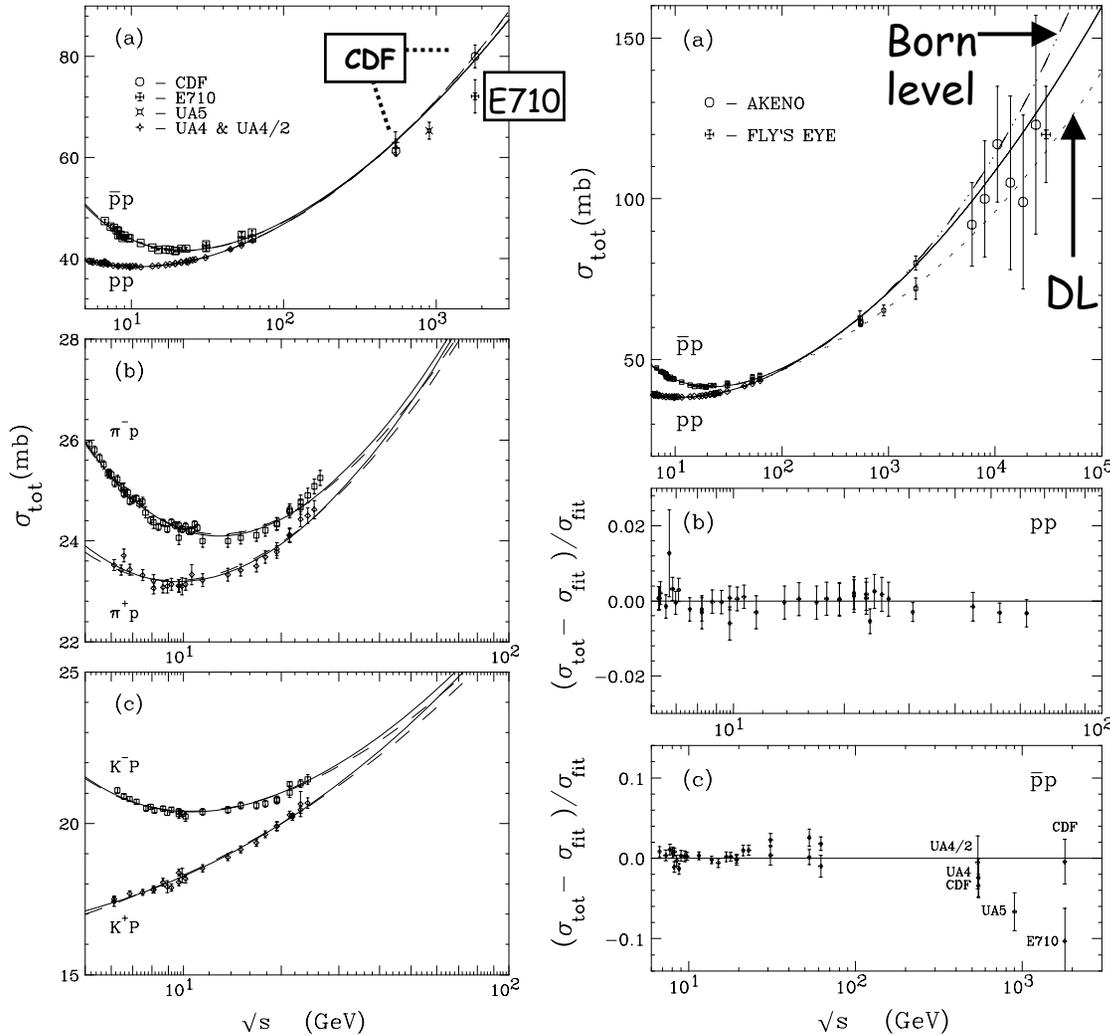
$\rho$  = ratio of real/imaginary parts of elastic scattering amplitude at  $t=0$

CDF and E710/811 disagree



N. Khuri and A. Martin:  
measuring  $\rho$  at the LHC tests  
discreteness of space-time

# Total Cross Sections: Regge fit



CMG: Covelan, Montagna, and G  
PLB 389 (1995) 176

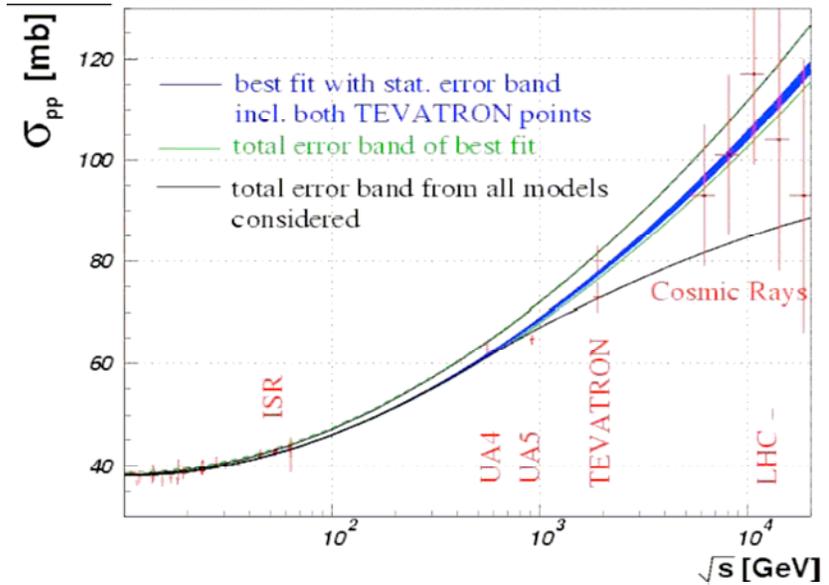
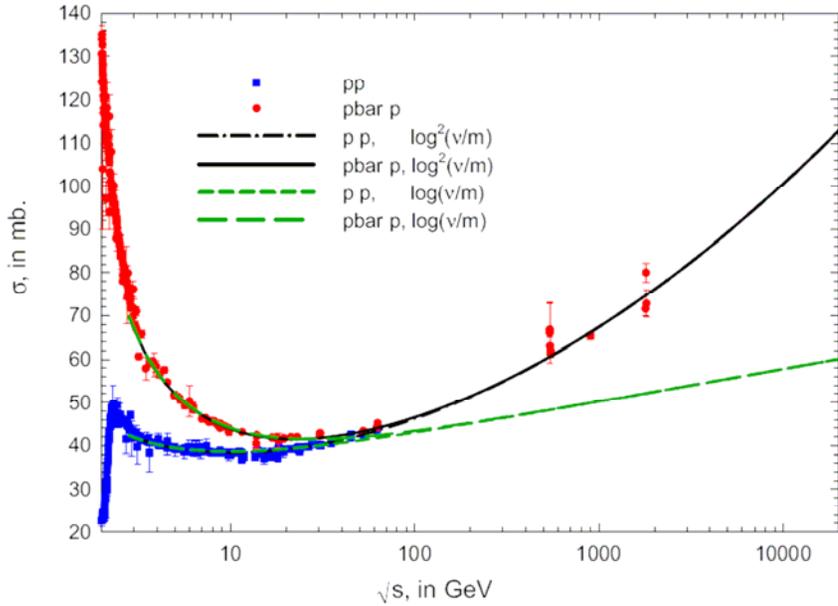
Simultaneous Regge fit to  
 $pp$ ,  $\pi p$ , and  $Kp$  x-sections  
using the eikonal approach  
to ensure unitarity

$$\sigma \rightarrow s^\epsilon$$

$$\epsilon = 1.104 \pm 0.002$$

$$\rightarrow \sigma_{LHC} = 115 \text{ mb} \\ @14 \text{ TeV}$$

# Other Approaches



COMPETE Collaboration fits all available hadronic data and predicts:

LHC:  $\sigma_{tot} = 111.5 \pm 1.2 \begin{matrix} +4.1 \\ -2.1 \end{matrix} \text{ mb}$  [PRL 89 201801 (2002)]

eg, M. Block, arXiv:hep-ph/0601210 (2006)

→ fit data using analyticity constraints  
M. Block and F. Halzen, Phys. Rev. D **72**, 036006

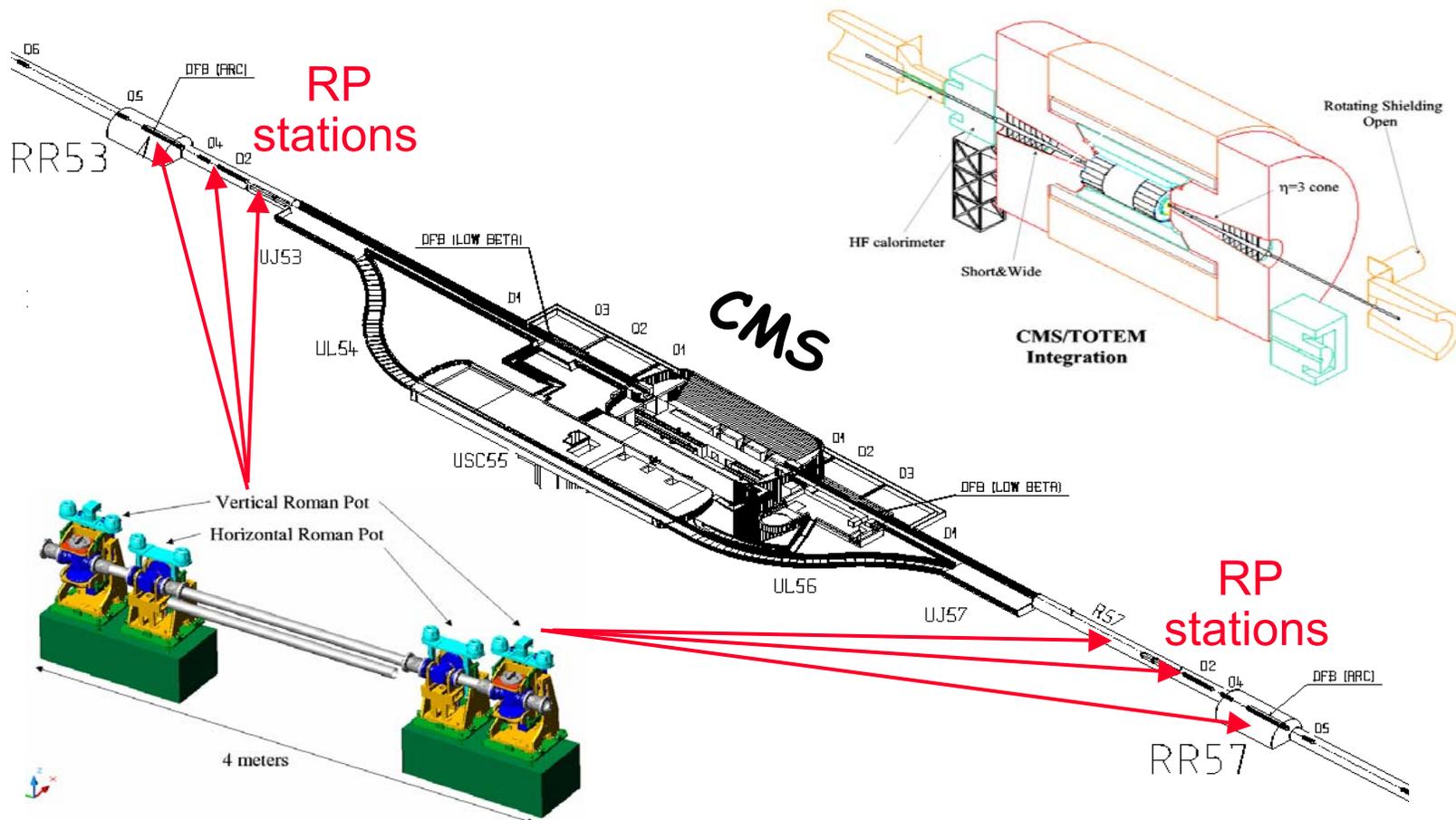
$\sigma_T(\text{LHC}) = 107.3 \pm 1.2 \text{ mb}$

Recall CMG Regge fit: 115 mb

# TOTEM experiment @ LHC

Total Cross Section, Elastic Scattering, and Diffraction Dissociation

Aim at 1% accuracy on  $\sigma_T$



CMS/TOTEM LOI: Prospects for Diffractive and Forward Physics at the LHC

# SOFT DIFFRACTION

Key words:

renormalization

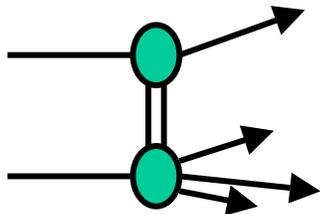
scaling

QCD

multi-gap

dark energy ???

# Renormalization



Factorization →

$$\frac{d^2 \sigma_{SD}}{dt d\xi} = f_{IP/p}(t, \xi) \cdot \sigma_{IP-\bar{p}}(M_X^2)$$

Pomeron flux

$$\sigma_{SD} \sim S^{2\varepsilon}$$

## ❖ Regge theory

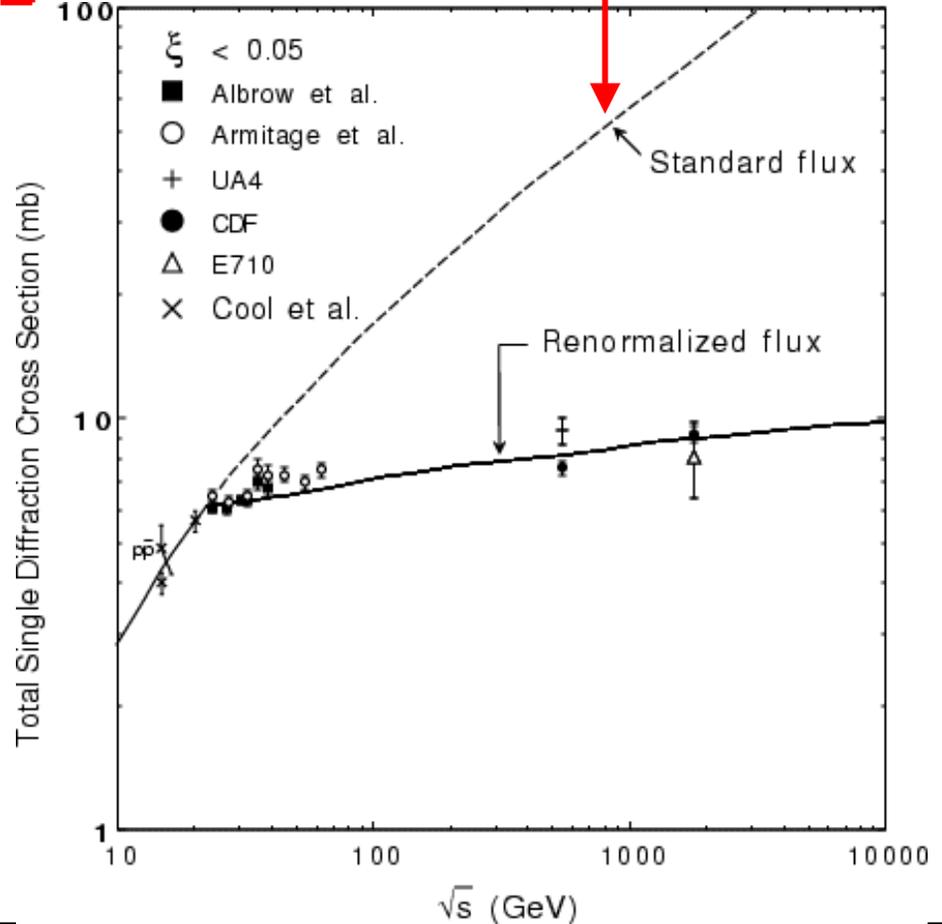
$\sigma_{SD}$  exceeds  $\sigma_T$  at  
 $\sqrt{s} \approx 2 \text{ TeV}$ .

## ❖ Renormalization

Pomeron flux integral  
 (re)normalized to unity

KG, PLB 358 (1995) 379

$$\int_{\xi_{\min}}^{0.1} \int_{t=-\infty}^0 f_{IP/p}(t, \xi) d\xi dt = 1$$



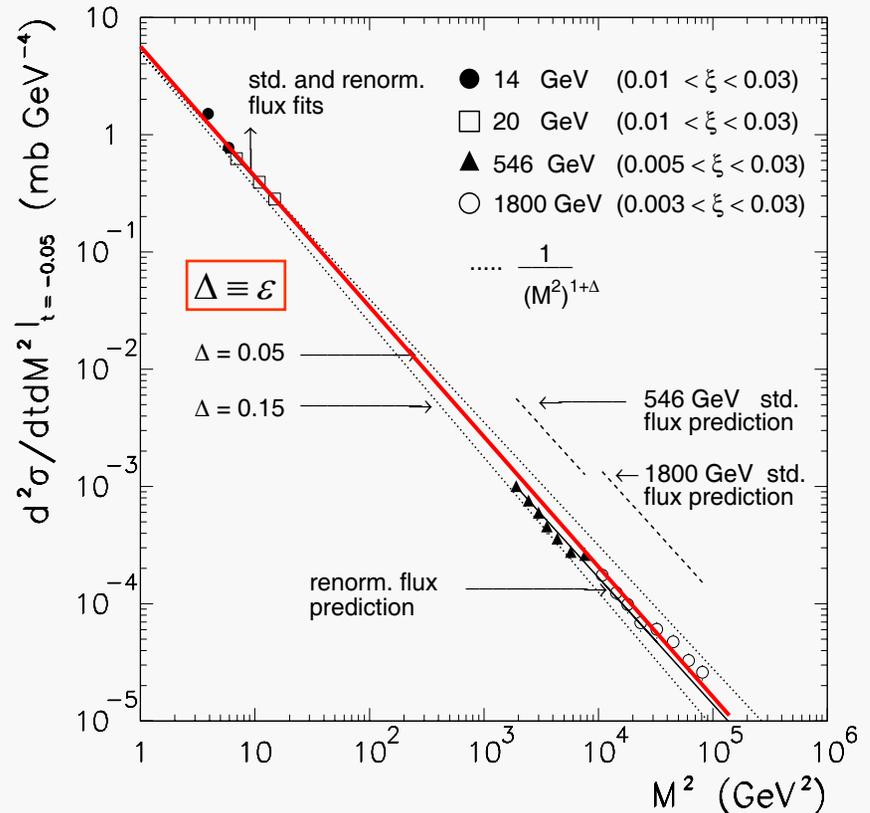
# A Scaling Law in Diffraction

KG&JM, PRD 59 (1999) 114017

renormalization

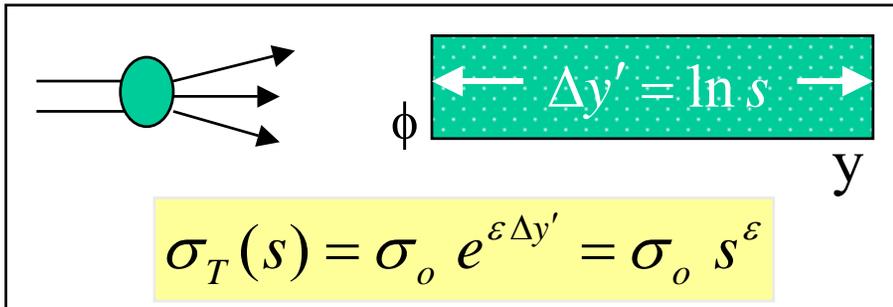
$$\frac{d\sigma}{dM^2} \propto \frac{s^{2\varepsilon} \rightarrow 1}{(M^2)^{1+\varepsilon}}$$

→ Independent of  $S$  over 6 orders of magnitude in  $M^2$ !

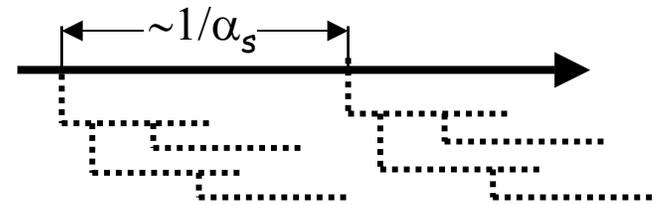


Factorization breaks down so as to ensure  $M^2$ -scaling!

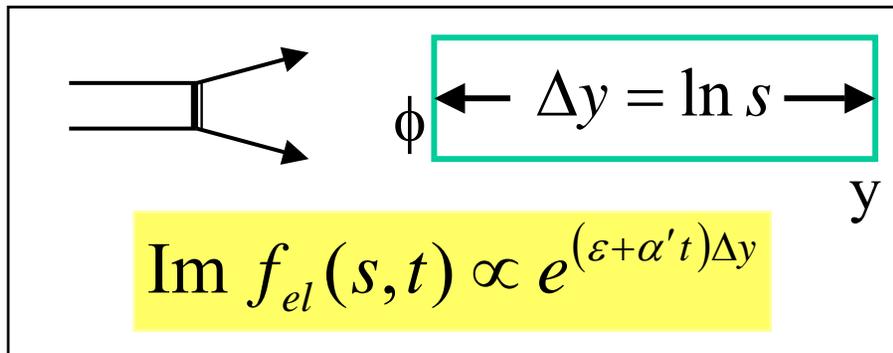
# The QCD Connection



Total cross section:  
power law increase versus  $S$



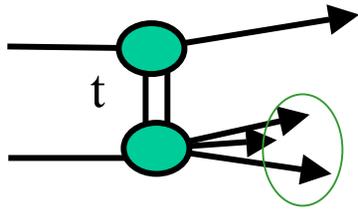
The exponential rise of  $\sigma_T(\Delta y')$  is due to the increase of wee partons with  $\Delta y'$   
(E. Levin, An Introduction to Pomerons, Preprint DESY 98-120)



Elastic cross section:  
forward scattering amplitude

# Single Diffraction in QCD

(KG, hep-ph/0205141)



$$\left. \frac{d\sigma}{dM^2} \right|_{\text{REGGE}} \propto \frac{s^{2\varepsilon}}{(M^2)^{1+\varepsilon}}$$

2 independent variables:  $t, \Delta y$

$$\frac{d^2\sigma}{dt d\Delta y} = \underbrace{C \cdot F_p^2(t) \cdot \left\{ e^{(\varepsilon + \alpha' t) \Delta y} \right\}^2}_{\text{Gap probability}} \cdot \underbrace{\kappa \cdot \left\{ \sigma_0 e^{\varepsilon \Delta y'} \right\}}_{\text{color factor}}$$

Gap probability

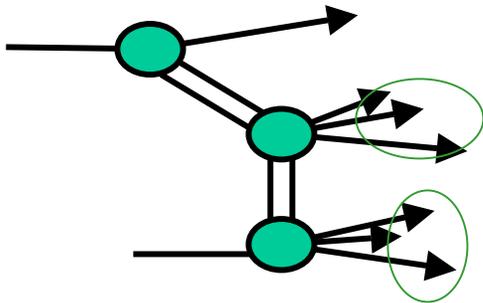
$$\sim e^{2\varepsilon \Delta y}$$

$$\int_{\Delta y_{\min}}^{\Delta y = \ln s} s^{2\varepsilon \Delta y} \approx s^{2\varepsilon}$$

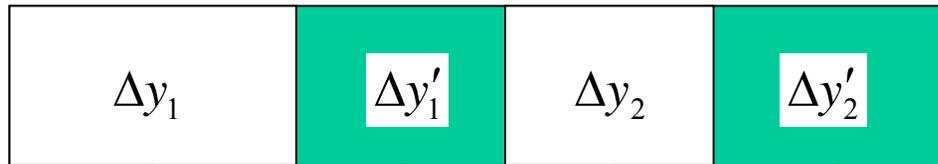
Renormalization removes the s-dependence → SCALING

# Multi-gap Renormalization

(KG, hep-ph/0205141)



5 independent variables



$y'_1$   $y_2$

$t_1$   $\Delta y = \Delta y_1 + \Delta y_2$   $t_2$

color factors

$$\frac{d^5 \sigma}{\prod_{i=1-5} dV_i} = C \times F_p^2(t_1) \prod_{i=1-2} \left\{ e^{(\varepsilon + \alpha' t_i) \Delta y_i} \right\}^2 \times \kappa^2 \left\{ \sigma_o e^{\varepsilon(\Delta y'_1 + \Delta y'_2)} \right\}$$

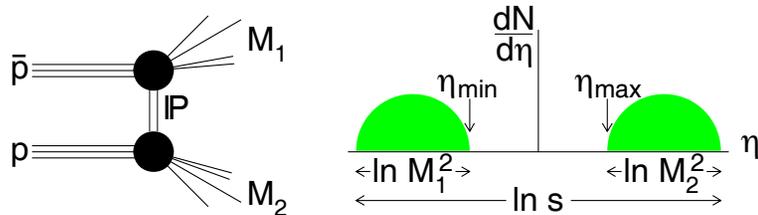
Gap probability  
 $\sim e^{2\varepsilon \Delta y}$

Sub-energy cross section  
 (for regions with particles)

$$\int_{\Delta y_{\min}}^{\Delta y = \ln s} s^{2\varepsilon \Delta y} \approx s^{2\varepsilon}$$

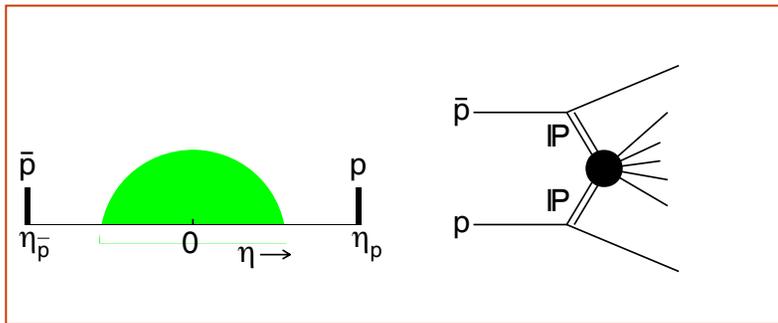
Same suppression as for single gap!

# Central and Double Gaps @ CDF



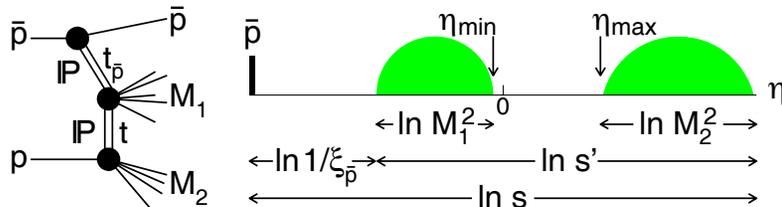
## □ Double Diffraction Dissociation

➤ One central gap



## □ Double Pomeron Exchange

➤ Two forward gaps

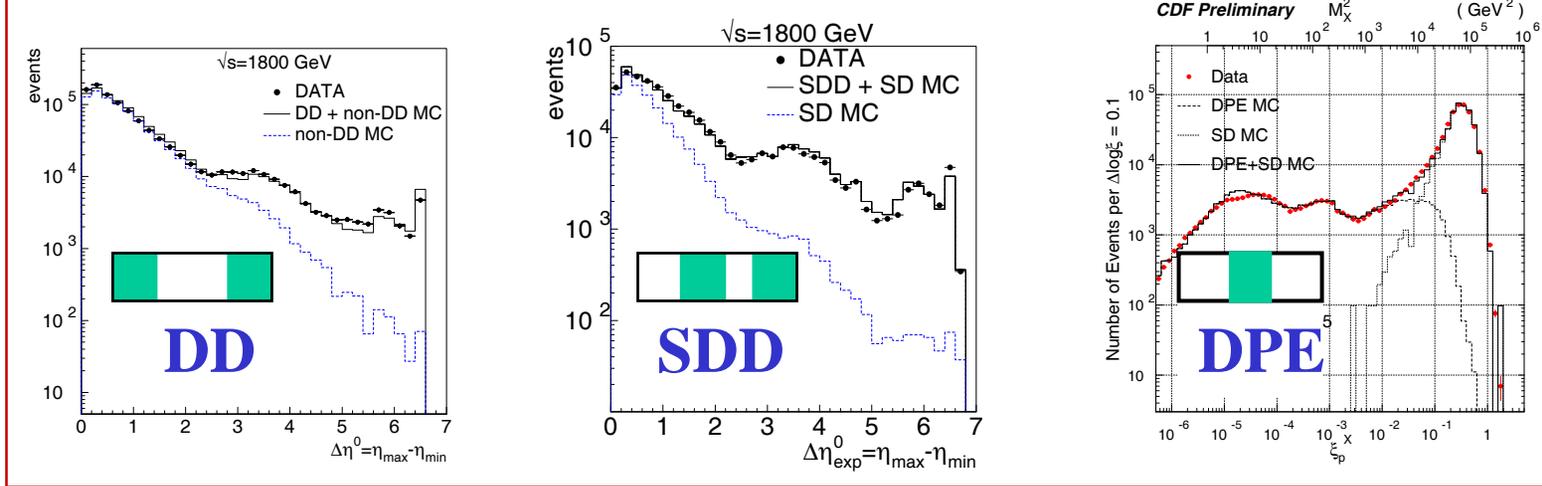


## □ SDD: Single+Double Diffraction

➤ One forward + one central gap

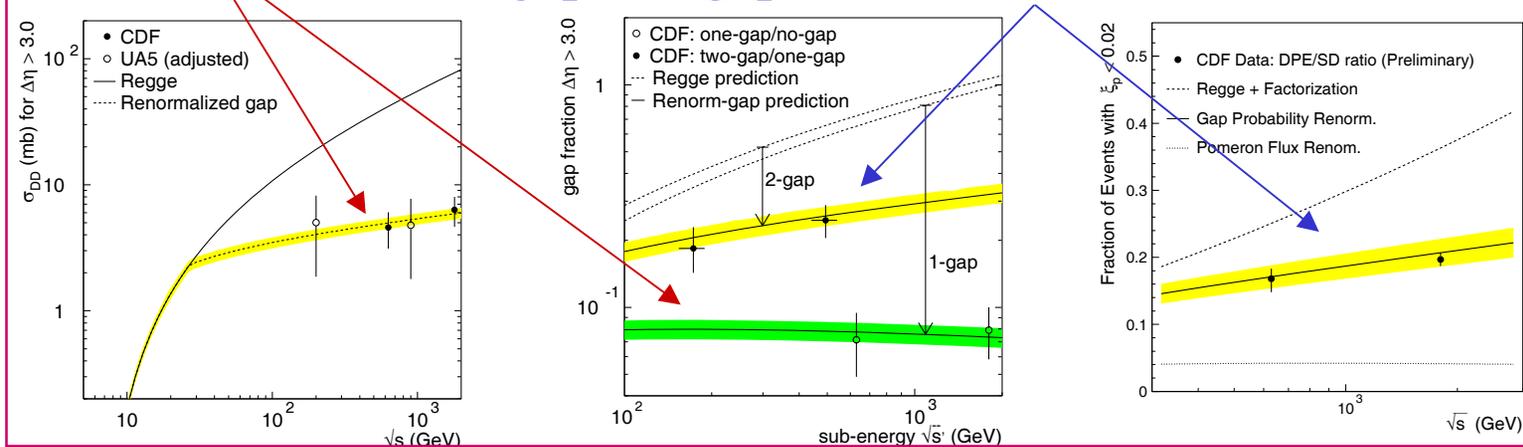
# Central & Double-Gap CDF Results

## Differential shapes agree with Regge predictions



➤ One-gap cross sections are suppressed

➤ Two-gap/one-gap ratios are  $\approx \kappa = 0.17$



# Dark Energy

## Non-diffractive interactions

Rapidity gaps are formed by multiplicity fluctuations:

$$P(\Delta y) = e^{-\rho \Delta y}, \quad \rho = \frac{dN_{\text{particles}}}{dy}$$

$P(\Delta y)$  is exponentially suppressed

## Diffractive interactions

Rapidity gaps at  $t=0$  grow with  $\Delta y$ :

$$\Delta y \approx -\ln \xi = \ln s - \ln M^2$$
$$P(\Delta y)|_{t=0} \sim e^{2\varepsilon \Delta y}$$

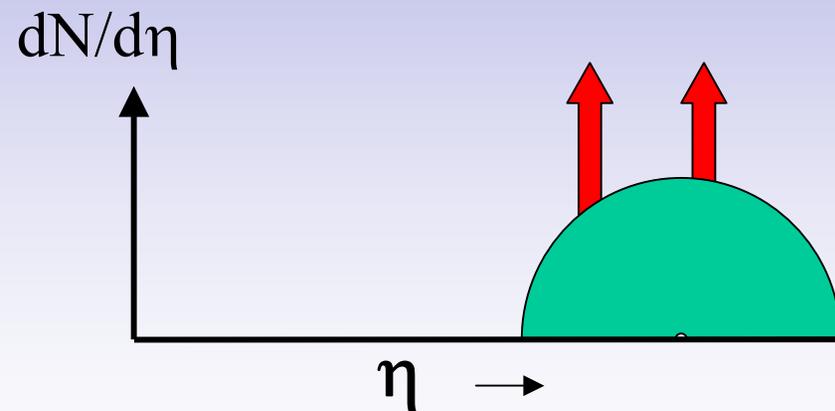
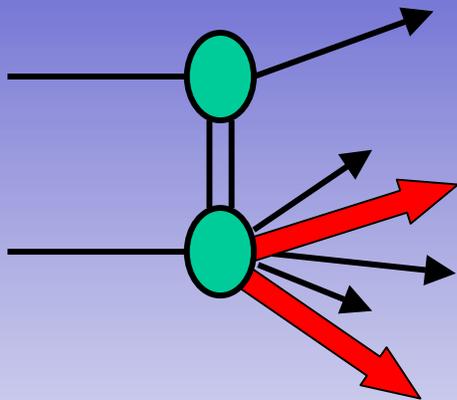
$2\varepsilon$ : negative particle density!



Gravitational repulsion?

# HARD DIFFRACTION

- Diffractive fractions
- Diffractive structure function  
→ factorization breakdown
- Restoring factorization
- $Q^2$  dependence
- $t$  dependence
- Hard diffraction in QCD



JJ, W, b, J/ψ

# Diffractive Fractions @ CDF

$$\bar{p}p \rightarrow (\text{☀} + X) + \text{gap}$$

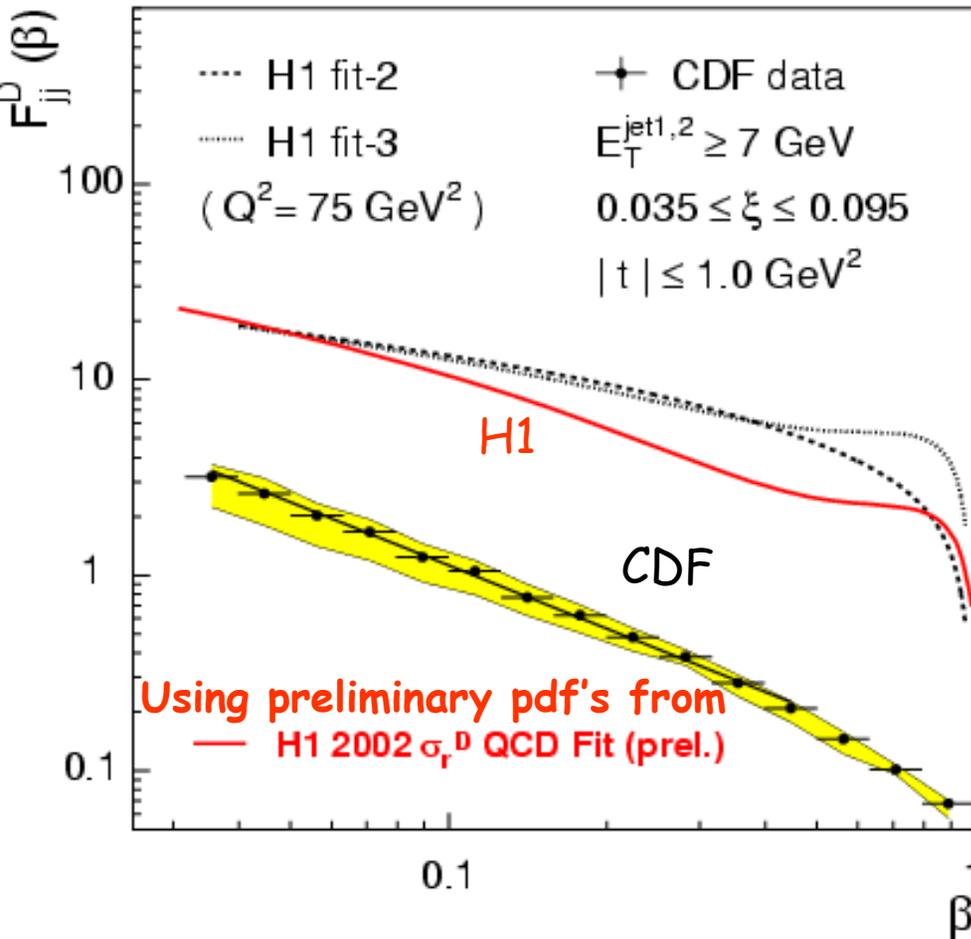
**Fraction:**  
**SD/ND ratio**  
**at 1800 GeV**

| ☀   | Fraction(%) |
|-----|-------------|
| W   | 1.15 (0.55) |
| JJ  | 0.75 (0.10) |
| b   | 0.62 (0.25) |
| J/ψ | 1.45 (0.25) |

All ratios ~ 1%  
→ ~ uniform suppression  
~ FACTORIZATION!

# Diffraction Structure Function:

## Breakdown of QCD Factorization

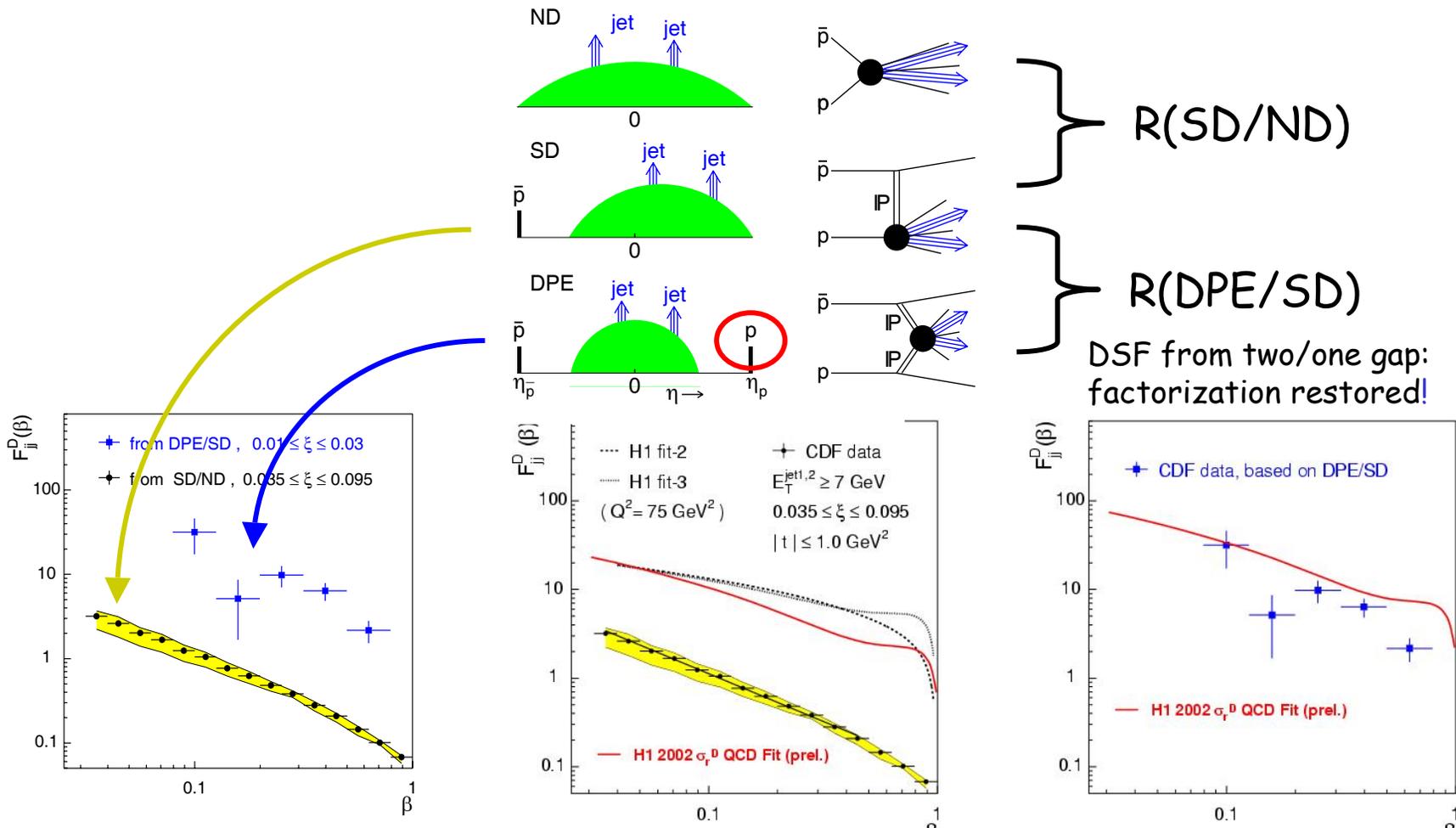


$\beta$  = momentum fraction  
of parton in Pomeron

The diffractive structure function at the Tevatron is suppressed by a factor of  $\sim 10$  relative to expectation from pdf's measured by H1 at HERA

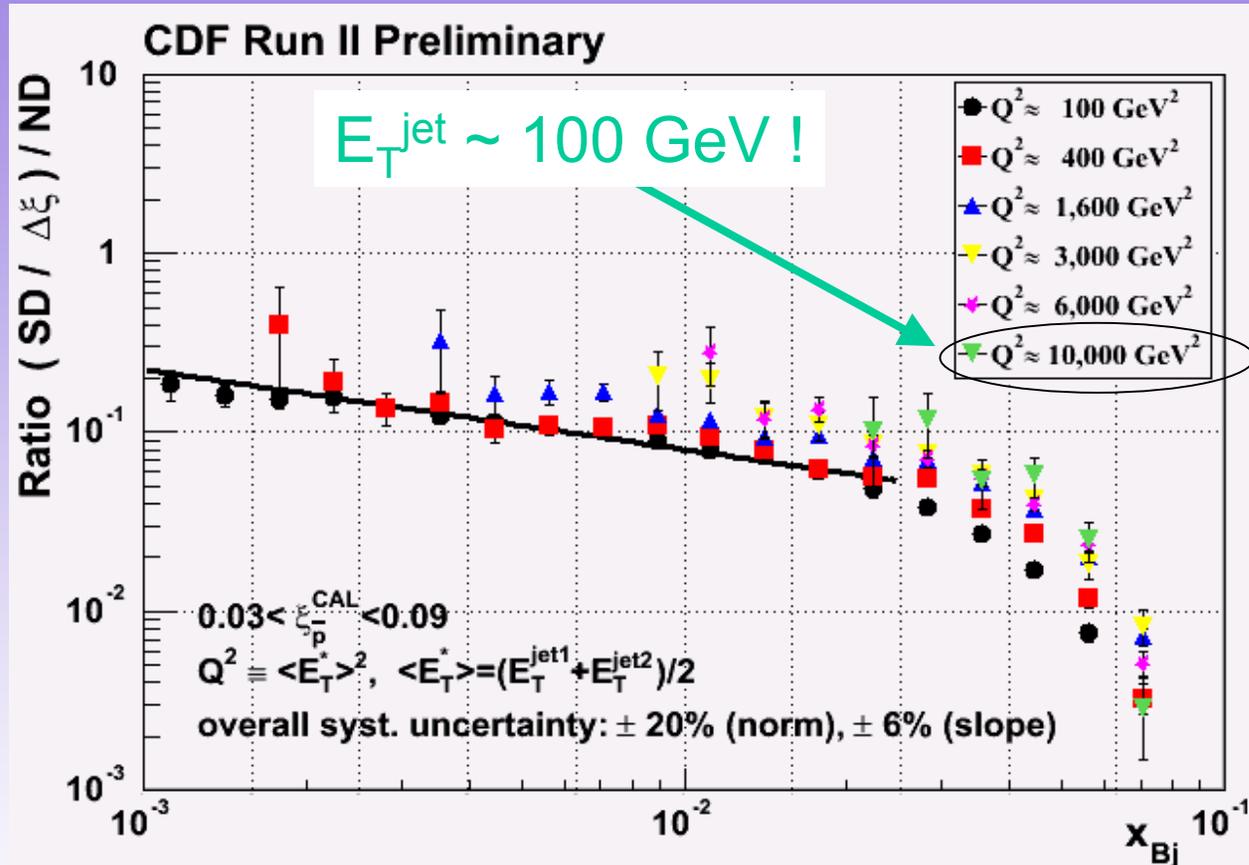
Similar suppression factor  
as in soft diffraction  
relative to Regge expectations!

# Restoring QCD Factorization



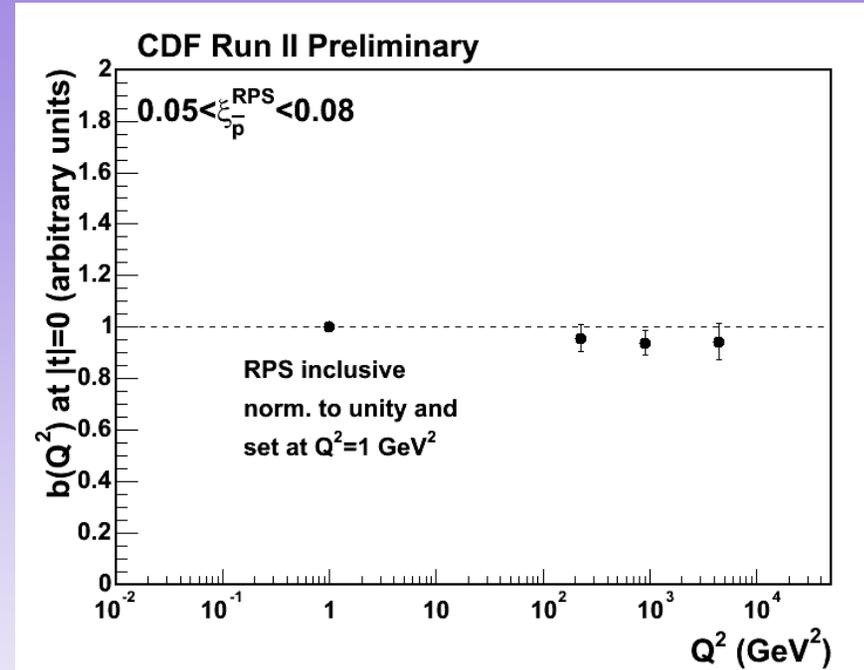
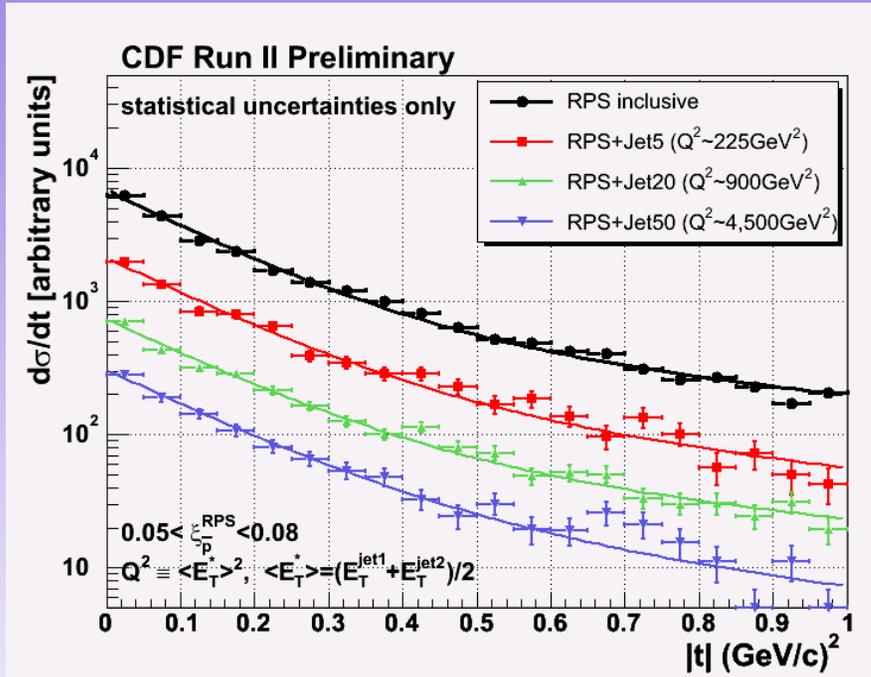
The diffractive structure function measured on the proton side in events with a leading antiproton is NOT suppressed relative to predictions based on DDIS

# Diffractive Structure Function: Q<sup>2</sup> dependence



Small  $Q^2$  dependence in region  $100 < Q^2 < 10,000 \text{ GeV}^2$   
 $\Rightarrow$  Pomeron evolves as the proton!

# Diffraction Structure Function: t- dependence



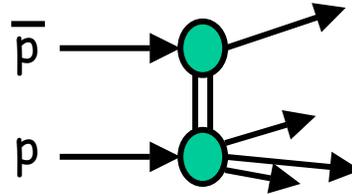
Fit  $d\sigma/dt$  to a double exponential:

$$F = 0.9 \cdot e^{b_1 \cdot t} + 0.1 \cdot e^{b_2 \cdot t}$$

- No diffraction dips
- No  $Q^2$  dependence in slope from inclusive to  $Q^2 \sim 10^4 \text{ GeV}^2$

- Same slope over entire region of  $0 < Q^2 < 4,500 \text{ GeV}^2$  across soft and hard diffraction!

# Hard Diffraction in QCD



Derive diffractive  
from inclusive PDFs  
and color factors

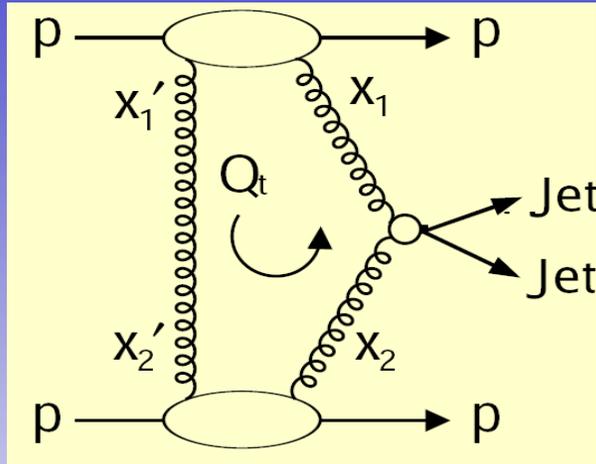
antiproton

proton

# EXCLUSIVE PRODUCTION

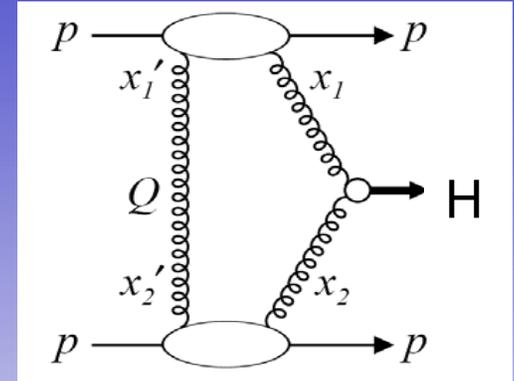
Measure exclusive  $jj$  &  $\gamma\gamma$  → → →

Calibrate predictions for H production rates @ LHC



[Bialas, Landshoff,](#)  
 Phys.Lett. B 256,540 (1991)  
[Khoze, Martin, Ryskin,](#)  
 Eur. Phys. J. C23, 311 (2002);  
 C25,391 (2002);C26,229 (2002)  
[C. Royon,](#) hep-ph/0308283  
[B. Cox, A. Pilkington,](#)  
 PRD 72, 094024 (2005)  
 OTHER.....

Clean discovery channel

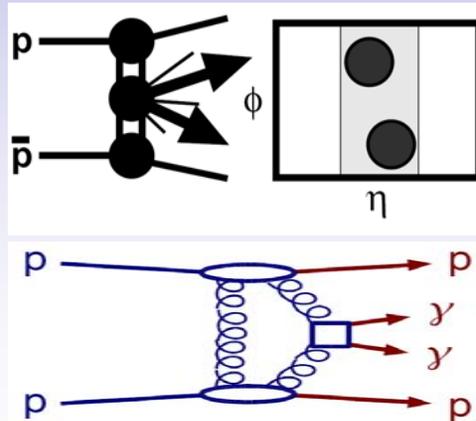


KMR:  $\sigma_H(\text{LHC}) \sim 3 \text{ fb}$   
 S/B  $\sim 1$  if  $\Delta M \sim 1 \text{ GeV}$

Search for exclusive dijets:  
 Measure dijet mass fraction

$$R_{jj} = \frac{M_{jj}}{M_X(\text{all calorimeters})}$$

Look for signal as  $M_{jj} \rightarrow 1$



Search for exclusive  $\gamma\gamma$

- ✓ 3 candidate events found
- ✓ 1 (+2/-1) predicted from ExHuME MC\*
- ✓ background under study

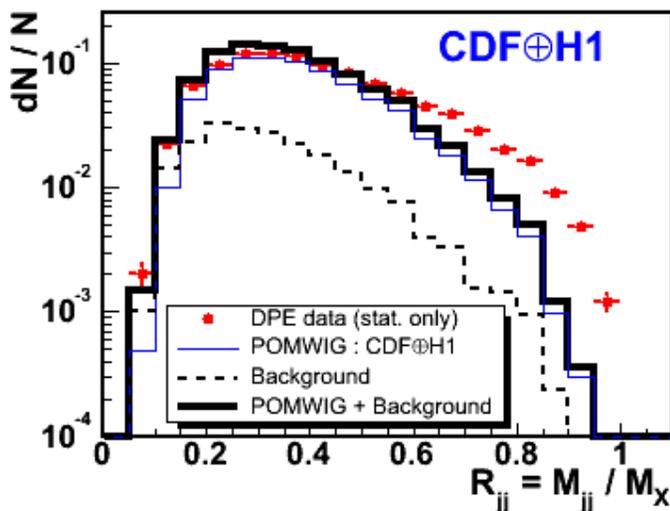
\* See talk by V. Khoze

# Exclusive Dijet Signal

D  
H  
I  
G  
G  
S

## Dijet fraction - all jets

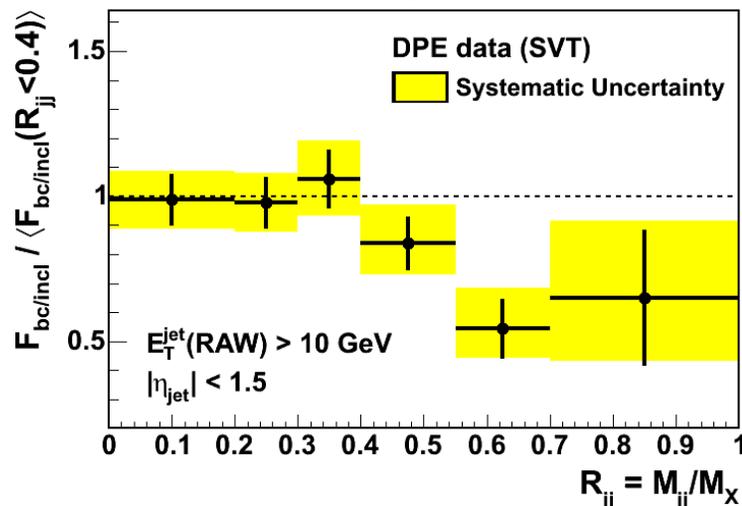
CDF Run II Preliminary



Excess over MC predictions at large dijet mass fraction

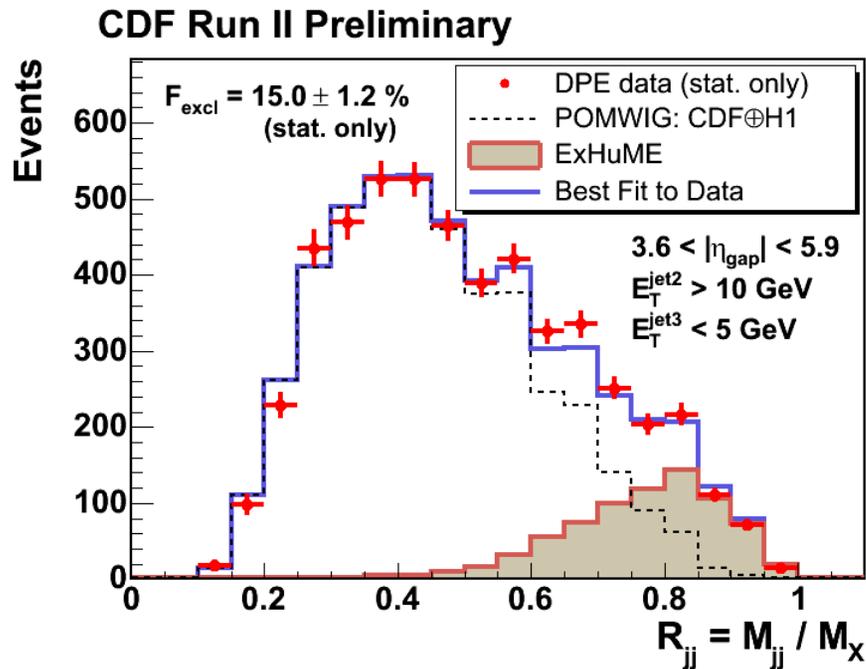
## b-tagged dijet fraction

CDF Run II Preliminary

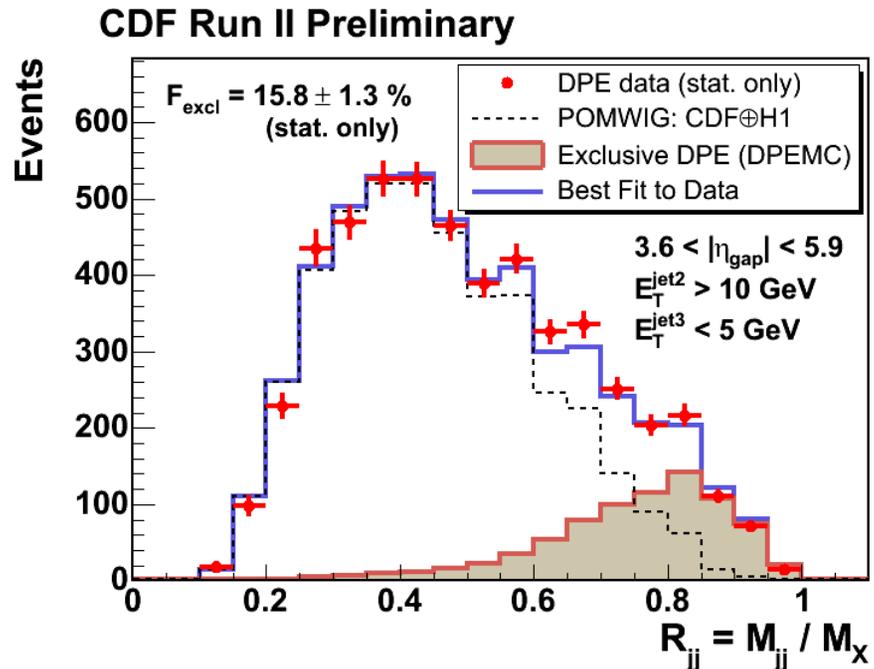


Exclusive b-jets are suppressed by  $J_Z = 0$  selection rule

# $R_{jj}(\text{excl})$ : Data vs MC



ExHuME (KMR):  $gg \rightarrow gg$  process  
 → uses LO pQCD

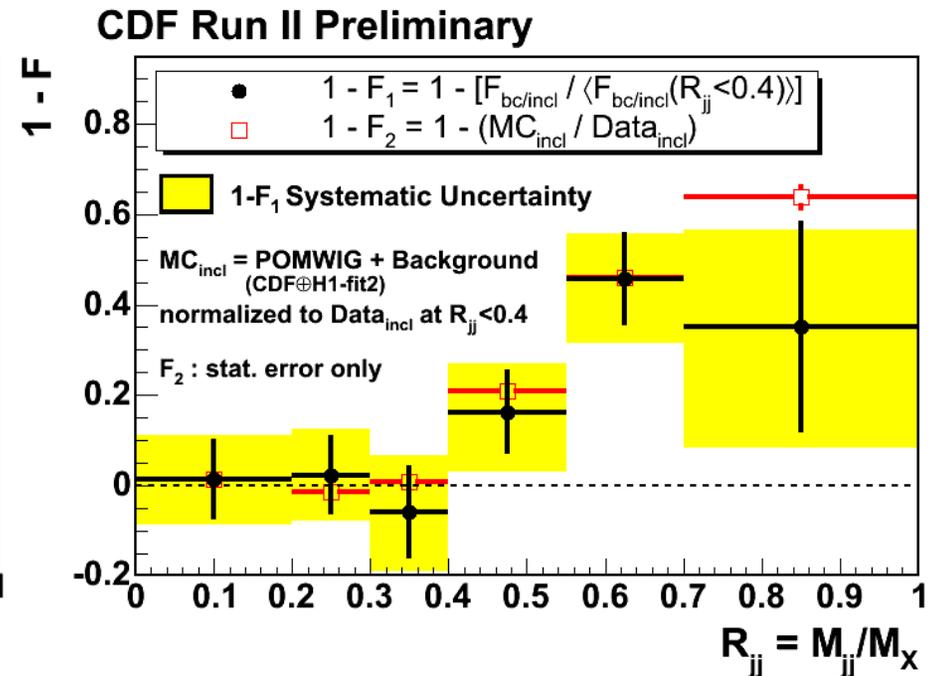
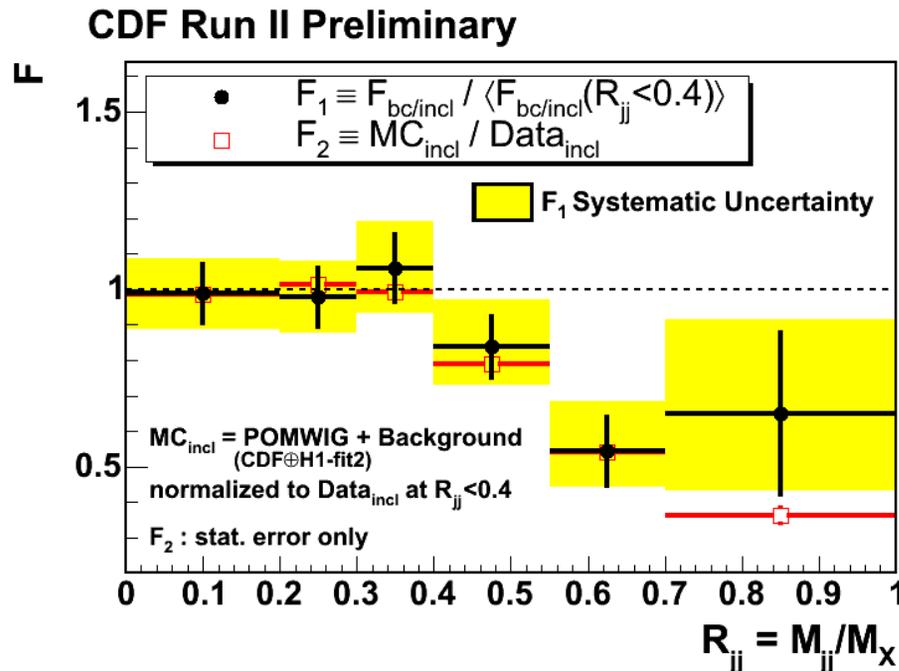


Exclusive DPE (DPEMC)  
 → non-pQCD based on Regge theory

Shape of excess of events at high  $R_{jj}$   
 is well described by both models

# $JJ_{\text{excl}}$ : Exclusive Dijet Signal

## COMPARISON Inclusive data vs MC @ b/c-jet data vs inclusive



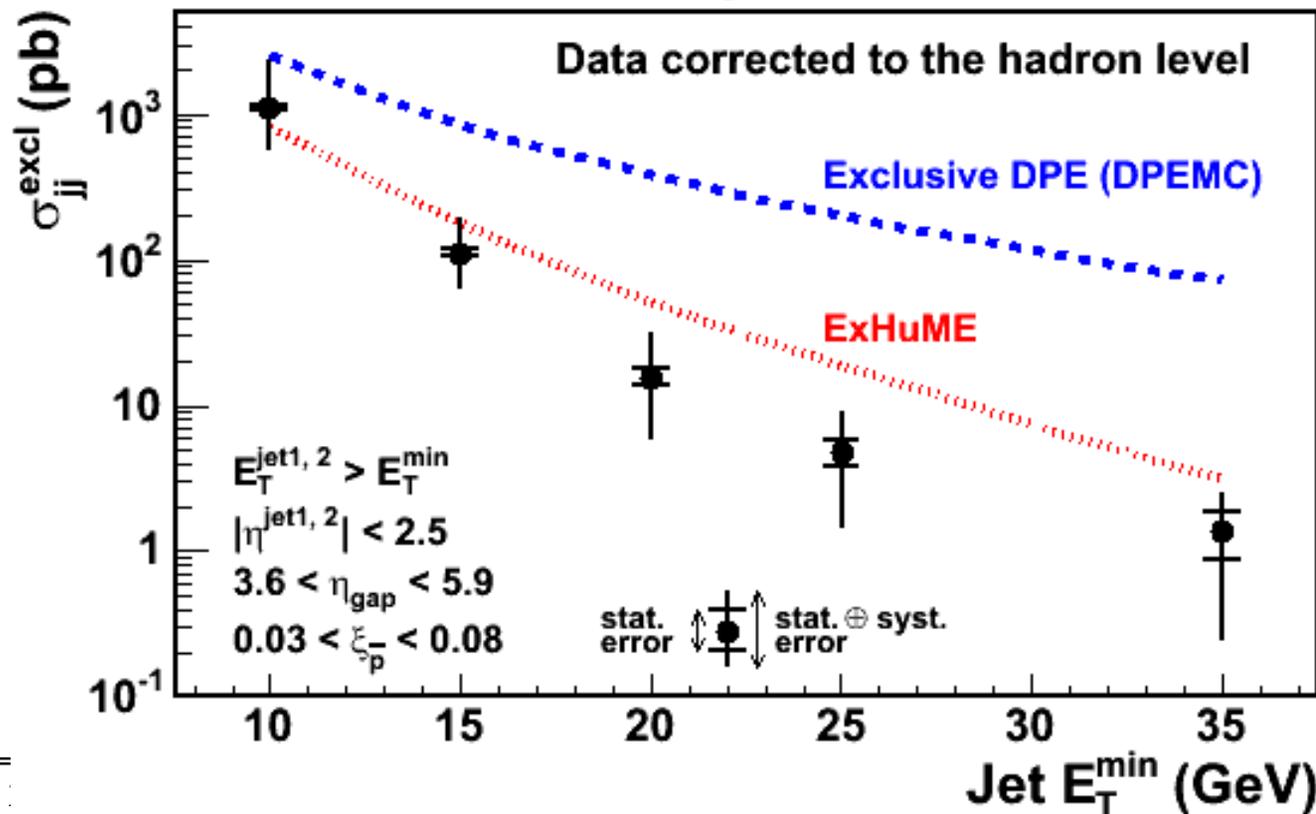
# $JJ_{\text{excl}}$ : X-section vs $E_T(\text{min})$

Comparison with hadron level predictions

ExHuME (red)

Exclusive DPE in DPEMC (blue)

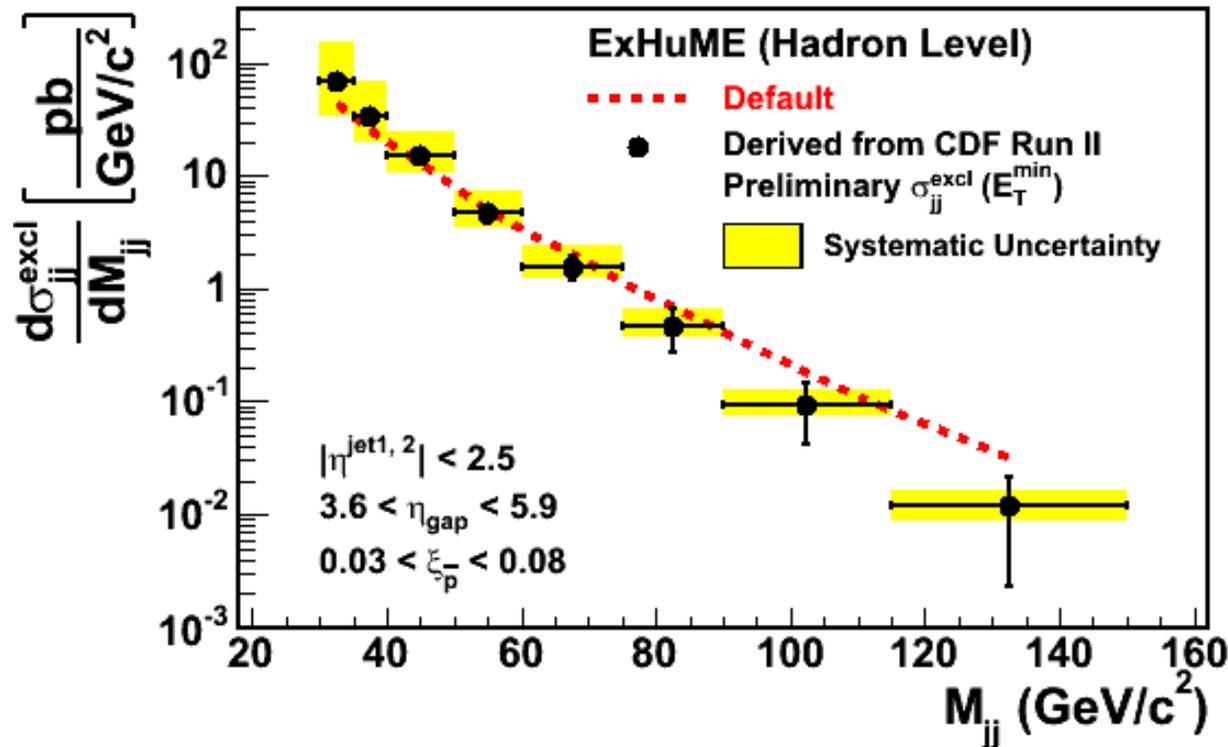
CDF Run II Preliminary



# JJ<sub>excl</sub> : cross section predictions

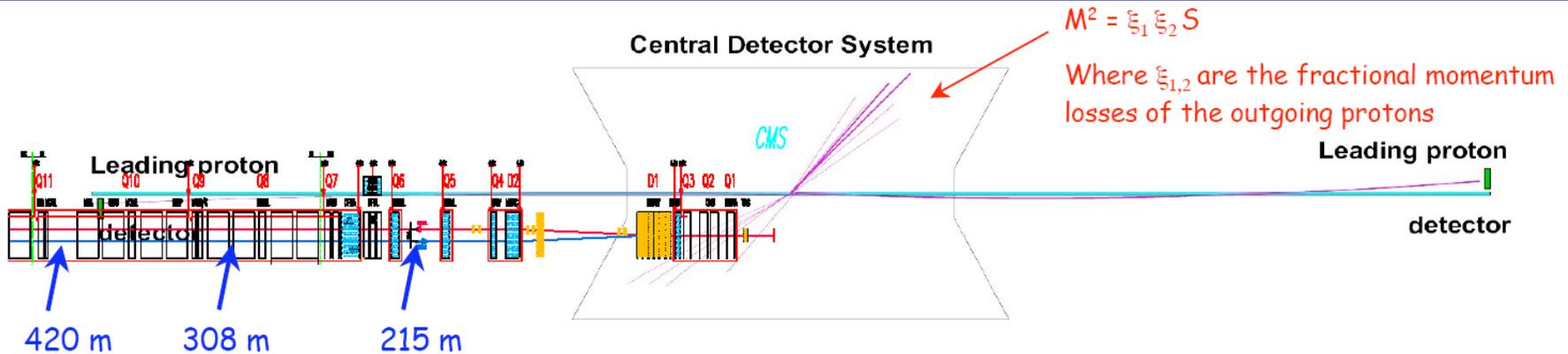
ExHuME Hadron-Level Differential Exclusive Dijet Cross Section vs Dijet Mass  
(dotted/red): Default ExHuME prediction

(points): Derived from CDF Run II Preliminary excl. dijet cross sections



Statistical and systematic errors are propagated from measured cross section uncertainties using ExHuME  $M_{jj}$  distribution shapes.

# Looking forward @ LHC



FP420 project: <http://www.fp420.com/>

Measure protons at 420 m from the IP during normal high luminosity running to be used in conjunction with CMS and ATLAS

Feasibility study and R&D for Roman Pot detector development

- Physics aim :  $pp \rightarrow p + X + p$  (Higgs, New physics, QCD studies)
- Status: Project funded by the UK

# Summary

## TEVATRON - what we have learnt

- $M^2$  - scaling
- Non-suppressed double-gap to single-gap ratios
- ➔ Pomeron: composite object made up from underlying pdf's subject to color constraints

## LHC - what to do

- Elastic and total cross sections &  $\rho$ -value
- High mass (➔4 TeV) and multi-gap diffraction
- Exclusive production (FP420 project)
  - ➔ Reduced bgnd for std Higgs to study properties
  - ➔ Discovery channel for certain Higgs scenarios